

Visual Analytics

Vision and Perception

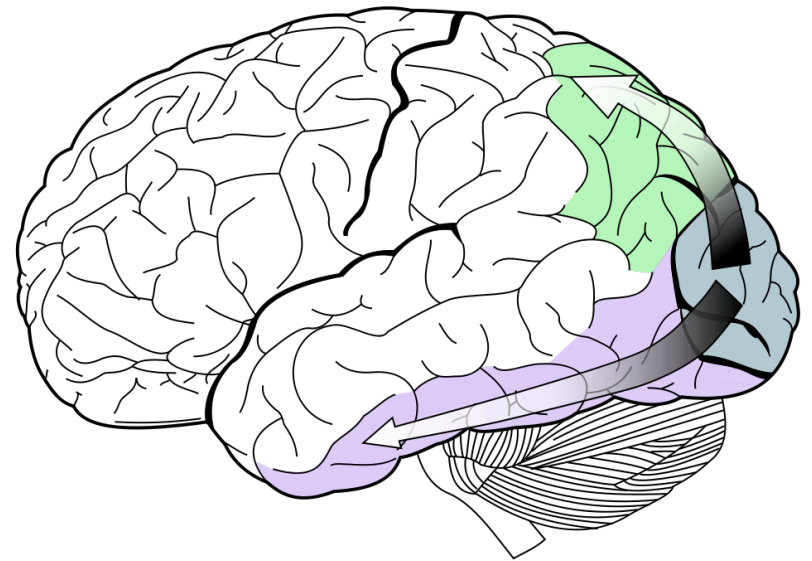
S. Rinzivillo

23 March 2015

Perception

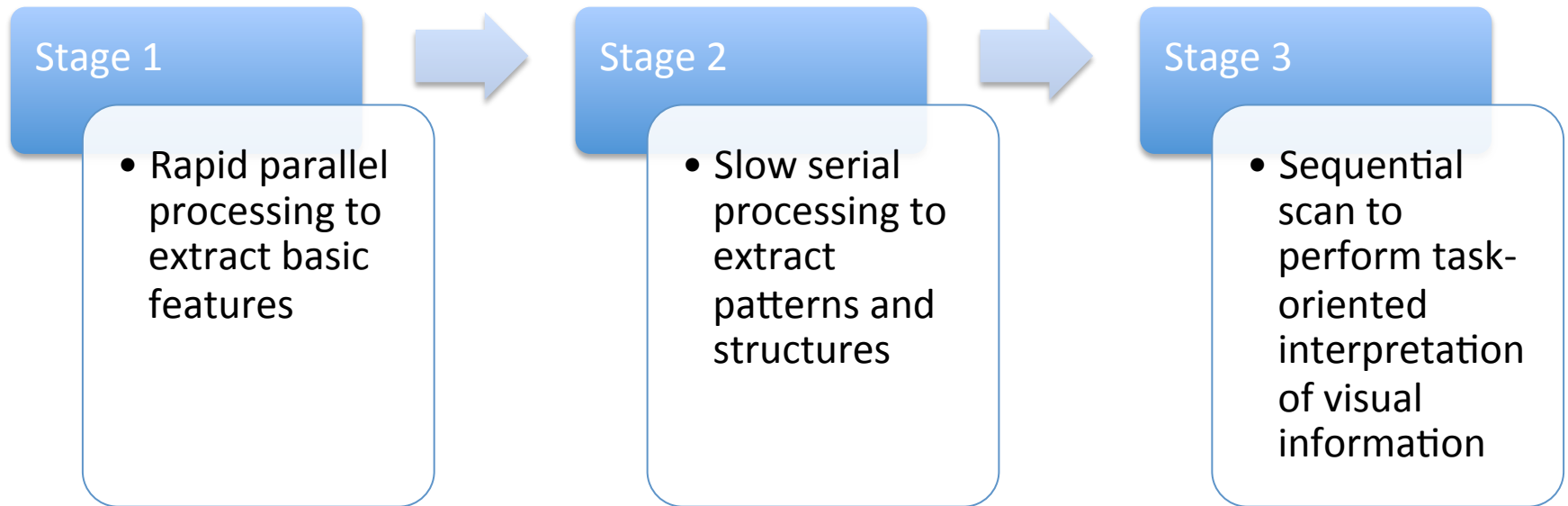
- Perception: the way in which something is regarded, understood, or interpreted (Oxford Dictionary)
- Electrical signals from vision system are interpreted and organized by the brain
- Two-stream hypothesis:
 - Ventral Stream
 - Dorsal Stream

The dorsal stream (green) and ventral stream (purple) are shown. They originate from a common source in the visual cortex



"Ventral-dorsal streams" by Selket - I (Selket) made this from Image:Gray728.svg. Licensed under CC BY-SA 3.0 via Wikimedia Commons - http://commons.wikimedia.org/wiki/File:Ventral-dorsal_streams.svg#/media/File:Ventral-dorsal_streams.svg

Perception and Congnition



Perception and Cognition

1258965168765132168943213
5463479654321320354968413
2068798417184529529287149
2174953178195293926546831
3546516509898554684982984

1258965168765132168943213
5463479654321320354968413
2068798417184529529287149
2174953178195293926546831
3546516509898554684982984

1258965168765132168943213
5463479654321320354968413
2068798417184529529287149
2174953178195293926546831
3546516509898554684982984

How many “3”?

Visual Perception

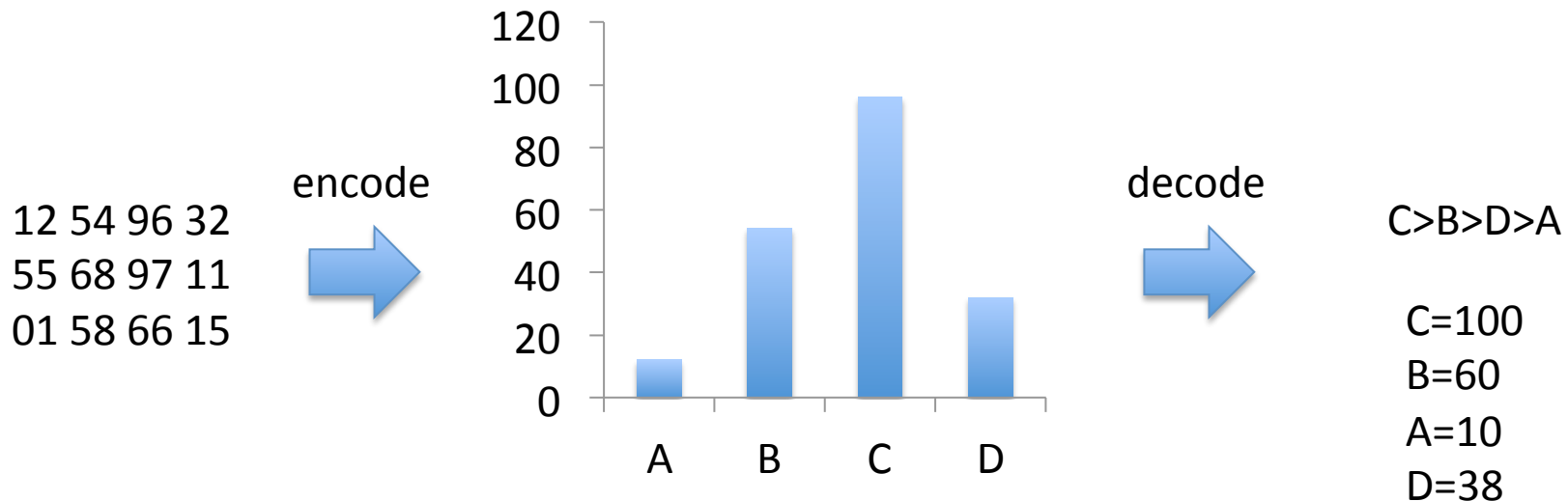
- Early visual processing takes places without our conscious intervention: **pre-attentive vision**
- Graphs that convey information at this level allow the observer to be more efficient in decoding

Visual Cognition

- At second stage, the observer is required to consciously analyze the image/scene
- At this level, the observer can perform higher level reasoning
 - This object is larger than the other one
 - This street slope is lower than the previous

Visual Encoding/Decoding

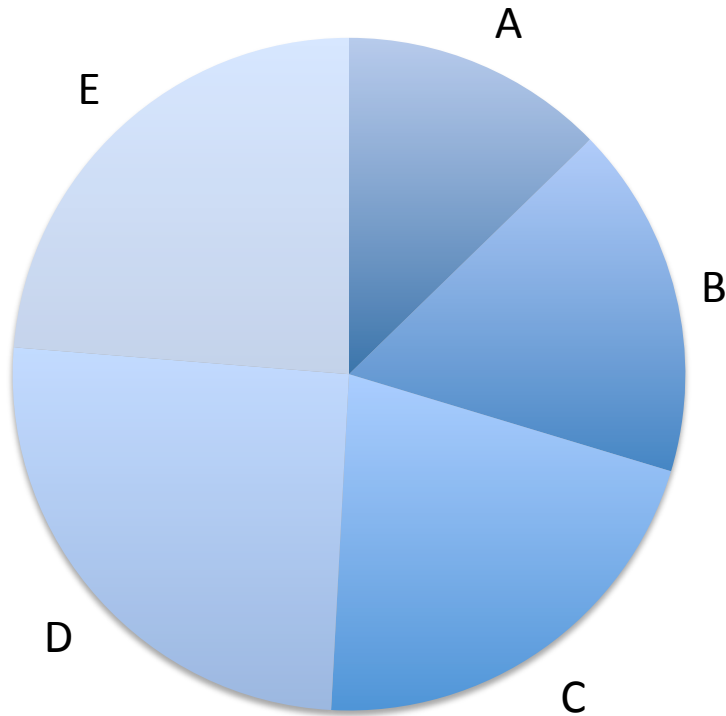
- A graph **encode** a set of information as a set of graphical attributes
- The observer have to **decode** the graphical attributes to extract the original information



Cleveland & McGill: graphical encodings

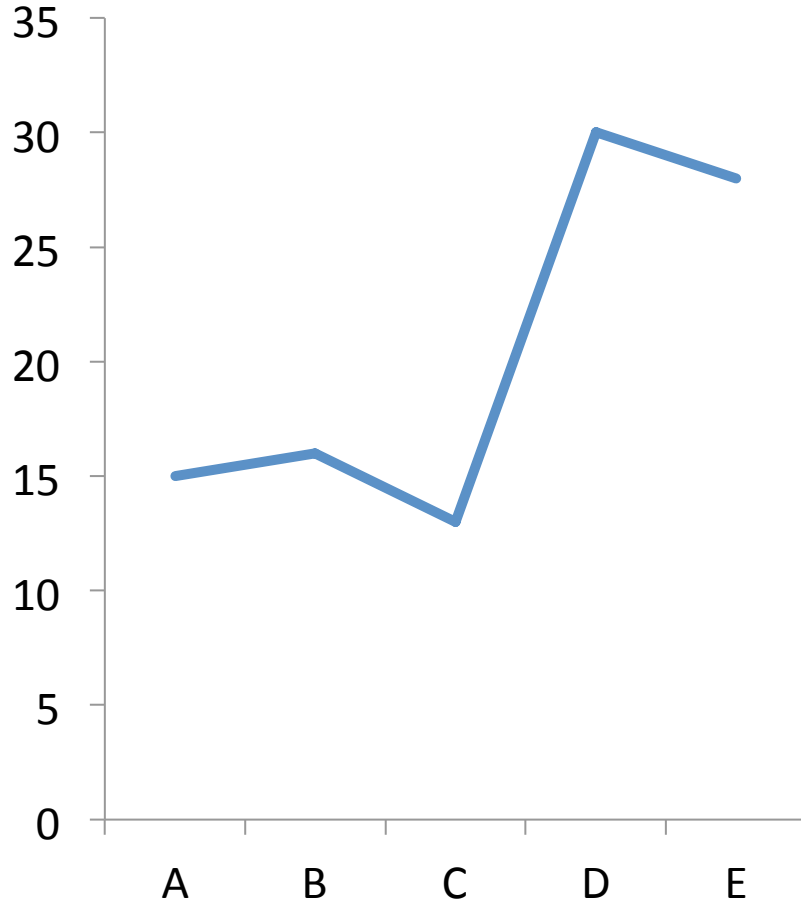
- Angle
- Area
- Color Hue
- Color Saturation
- Density
- Length
- Position on a common scale
- Position on non aligned scale
- Slope
- Volume

Angle decoding



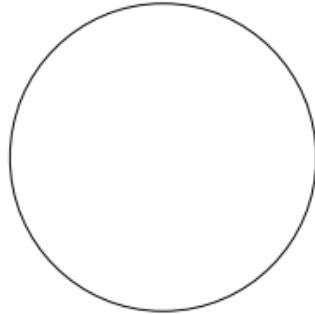
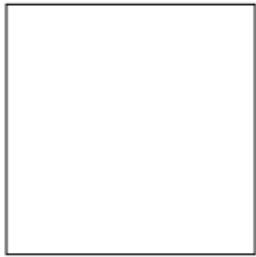
- It is difficult to compare angles
 - Underestimation of acute angles
 - Overestimation of obtuse angles
 - Easier if bisectors are aligned

Slopes Decoding



- Same difficulties as angles
- Easier task since one branch is aligned with x-axis

Area Decoding



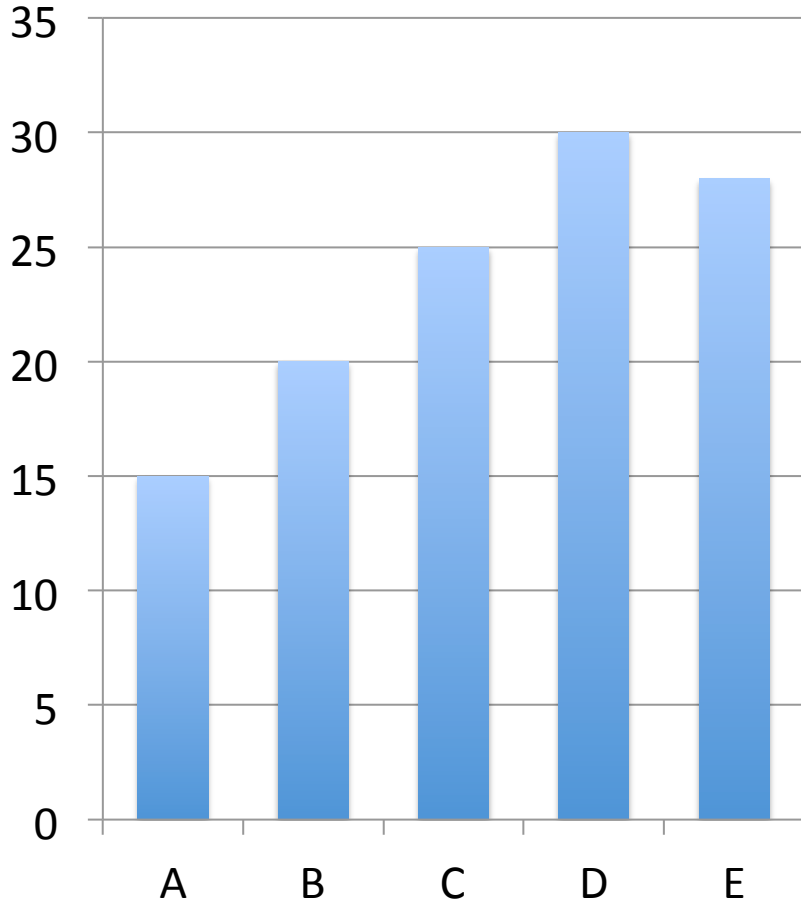
- Area is not well decoded
 - Different regular shapes
 - Irregular shapes
 - Context influences (thin area within compact thick area)

Length Decoding



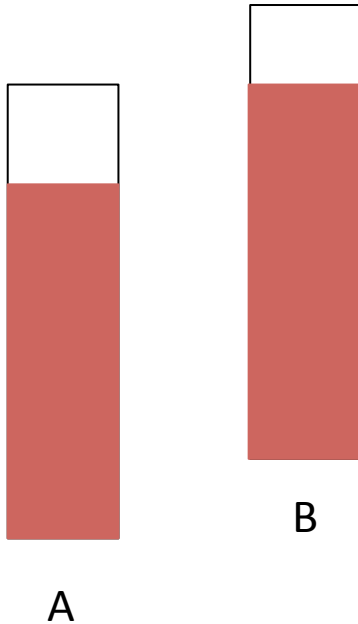
- Straight forward to encode numerical values
- Difficulties with relative lengths

Position on a common scale



- Widely used in statistical charts

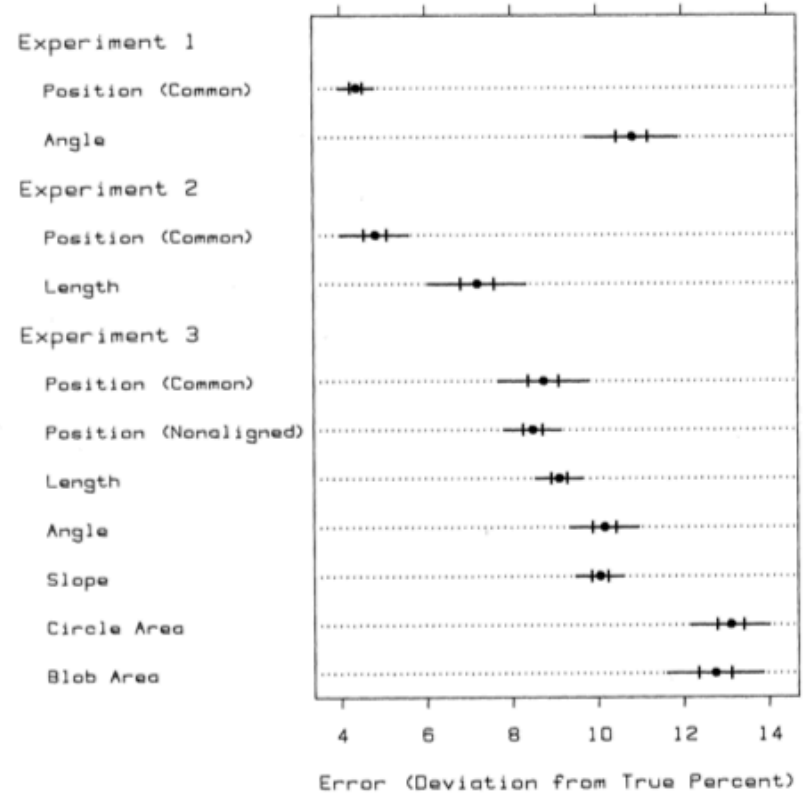
Position on non-aligned scale



- Not as bad as common scale
- Still acceptable

Designing Effective Visualizations

- If possible, use graphical encoding that are easily decoded
- Graphical Attributes ordered(Cleveland & McGill):
 - Position along a common scale
 - Position on non aligned scales
 - Length
 - Angle and Slope
 - Area
 - Volume, density, color saturation
 - Color Hue



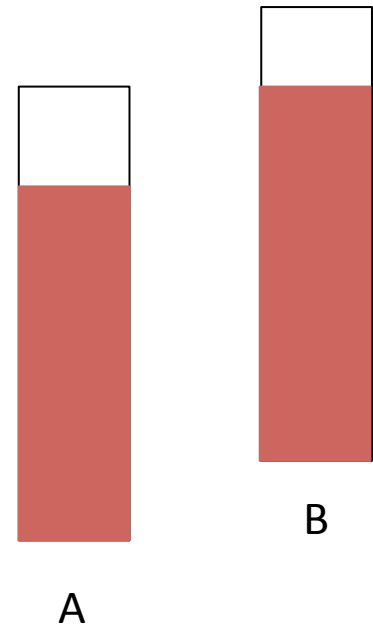
PERCEPTION LAWS

Weber's Law

- **Just-noticeable difference** between two stimuli is proportional to their magnitudes
- Case study on length
 - Given two lines with lengths x and $x+w$
 - If w is small, it is difficult to notice difference between the two lines
 - If w is larger, it is easier to catch the difference
- How large should w be?
 - The probability of detecting the change is proportional to the relative value w/x

Weber's Law

- Given values (90, 92)
- Detect with probability of $2/90$
- Given values(90,92)
- Detect with probability of $2/10$

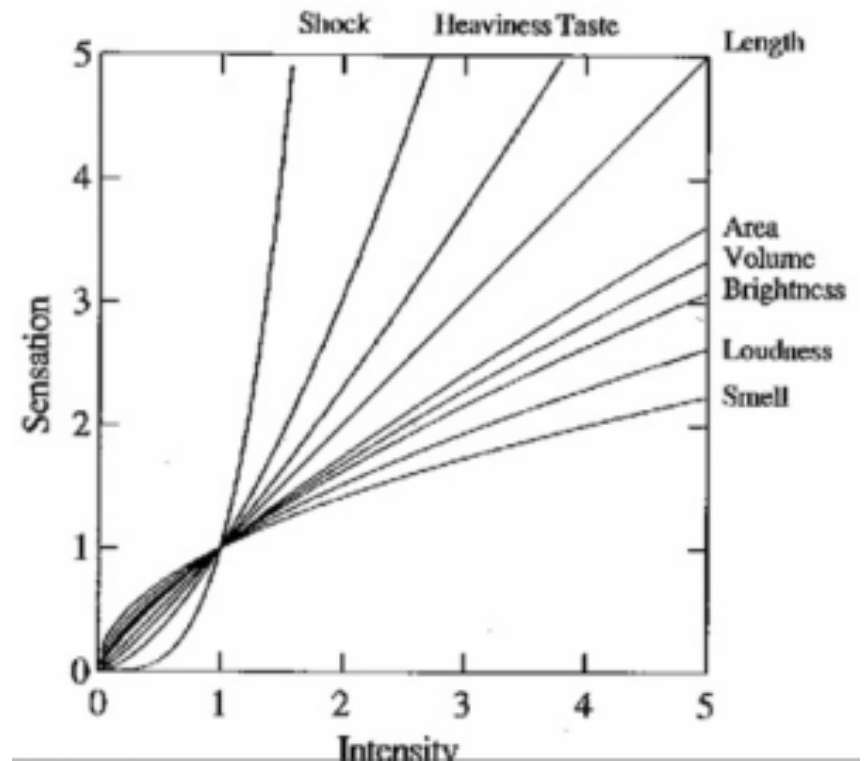


Stevens' Law

- Model the relation between a stimulus and its perceived intensity
- Given a stimulus x encoded with a visual attribute
- An observer decodes a perceived value $p(x)$
- Stevens' law states that
 - $p(x) = kx^\beta$
 - where k is constant and
 - β is a constant that depends on the nature of stimulus

Stevens' law

- Better effectiveness when $p(x) = kx^\beta$ is linear
- Linearity depends only on β
- Different visual encodings yields typical ranges for β
 - Lengths: 0.9 – 1.1
 - Area: 0.6 – 0.9
 - Volume: 0.5 – 0.8



Weber and Stevens' Laws

- Given two values x_1 and x_2
- Let the perceived values be $p(x_1)$ and $p(x_2)$

$$\frac{p(x_1)}{p(x_2)} = \left(\frac{x_1}{x_2} \right)^\beta$$

Weber and Stevens' Laws: areas

- For areas $\beta=0.7$
- Let $x_1=2$ and $x_2=1$
- The perceived difference will be

$$\frac{p(2)}{p(1)} = \left(\frac{2}{1}\right)^{0.7} = 1,6245$$

- For areas $\beta=0.7$
- Let $x_1=0,5$ and $x_2=1$
- The perceived difference will be

$$\frac{p(\frac{1}{2})}{p(1)} = \left(\frac{1/2}{1}\right)^{0.7} = 0,6155$$

Weber and Stevens' Laws: areas vs lengths

- For areas $\beta=0.7$
- Let $x_2=x_1+w$
- The perceived difference will be

$$\left(\frac{x+w}{x}\right)^{0.7} \approx 1 + \frac{0.7w}{x}$$

- For lengths $\beta=1$
- Let $x_2=x_1+w$
- The perceived difference will be

$$\left(\frac{x+w}{x}\right)^1 = 1 + \frac{w}{x}$$