

# Neural control of movement

# Movement control is difficult



Humans and in general animals exhibit remarkably complex movement behaviors.

Possible due to several brain regions taking care of specific control issues like **disturbance rejection, state-estimation, prediction, internal models** about the body and the world and several other features unexplored in artificial systems

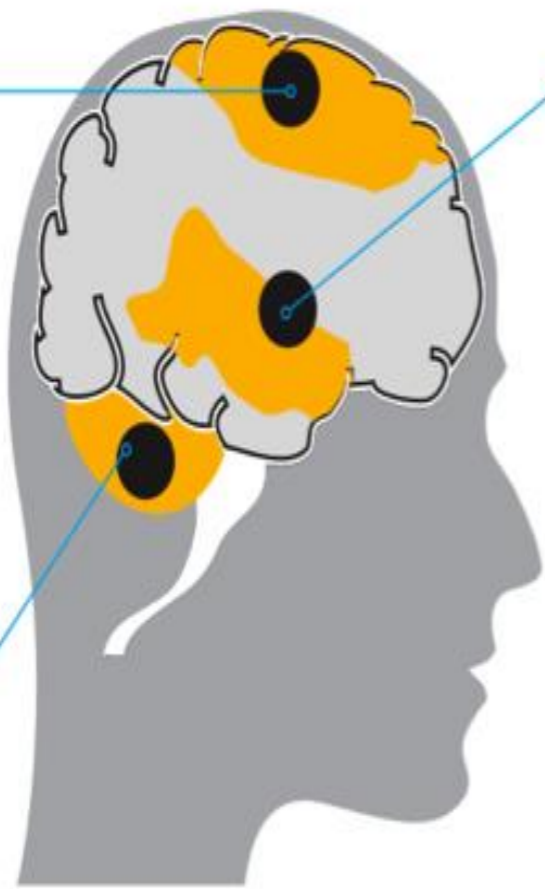


# Disorders are equally puzzling

Damages to different regions results in different deficits

## MOTOR TYPES

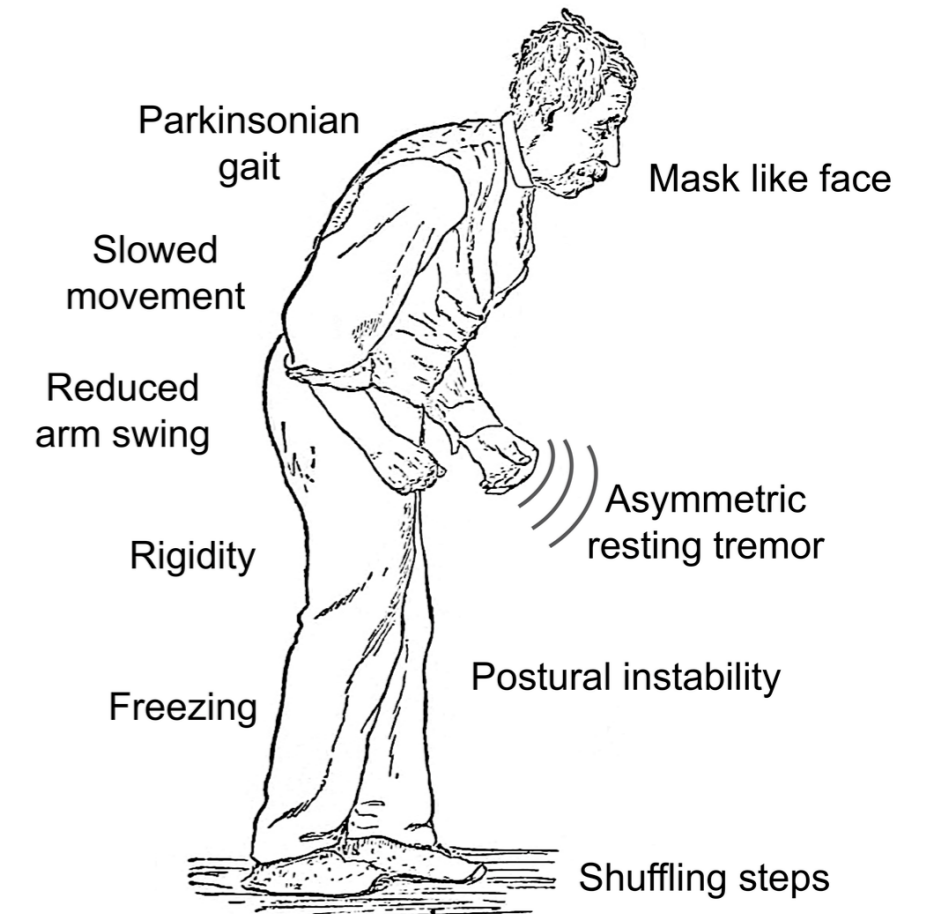
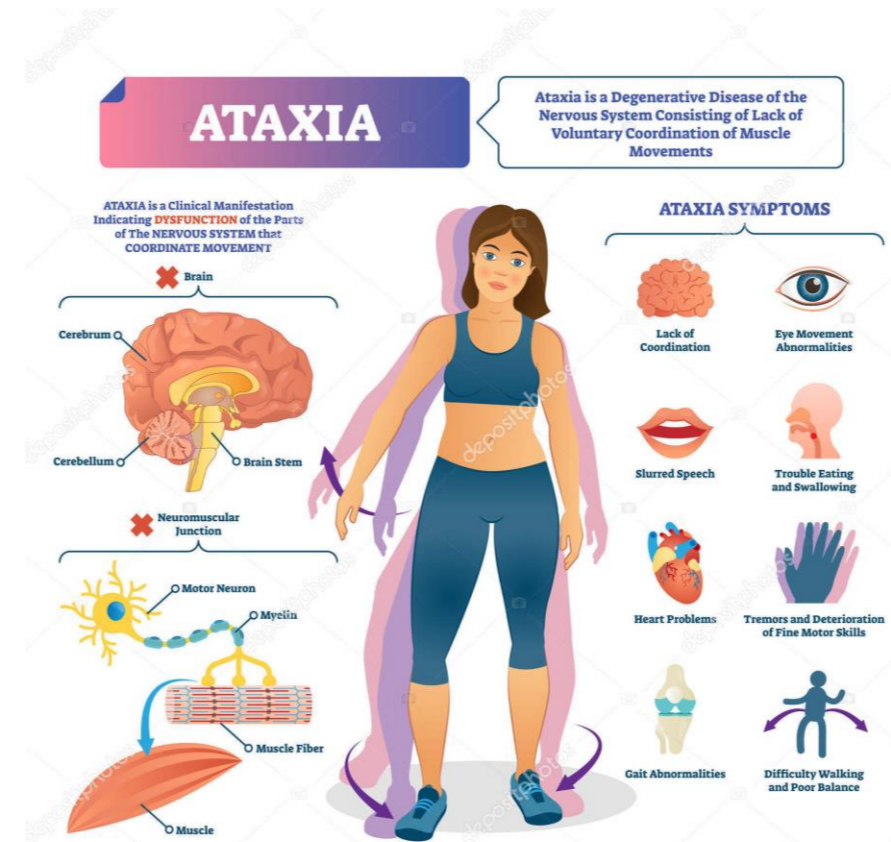
**SPASTIC: 70-80%.**  
Most common form. Muscles appear stiff and tight. Arises from Motor Cortex damage.



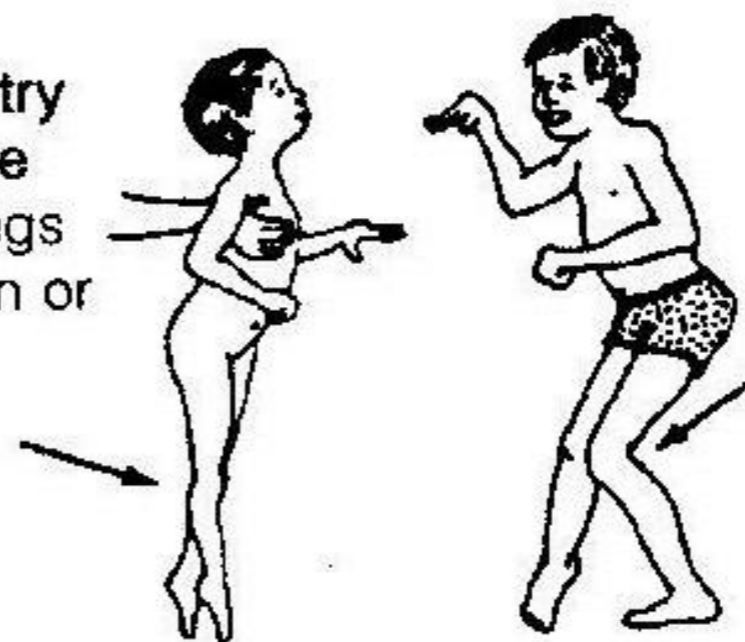
**DYSKINETIC: 6%.**  
Characterised by involuntary movements. Arises from Basal Ganglia damage.

**MIXED TYPES:**  
Combination damage.

**ATAXIC: 6%**  
Characterised by shaky movements. Affects balance and sense of positioning in space. Arises from Cerebellum damage.



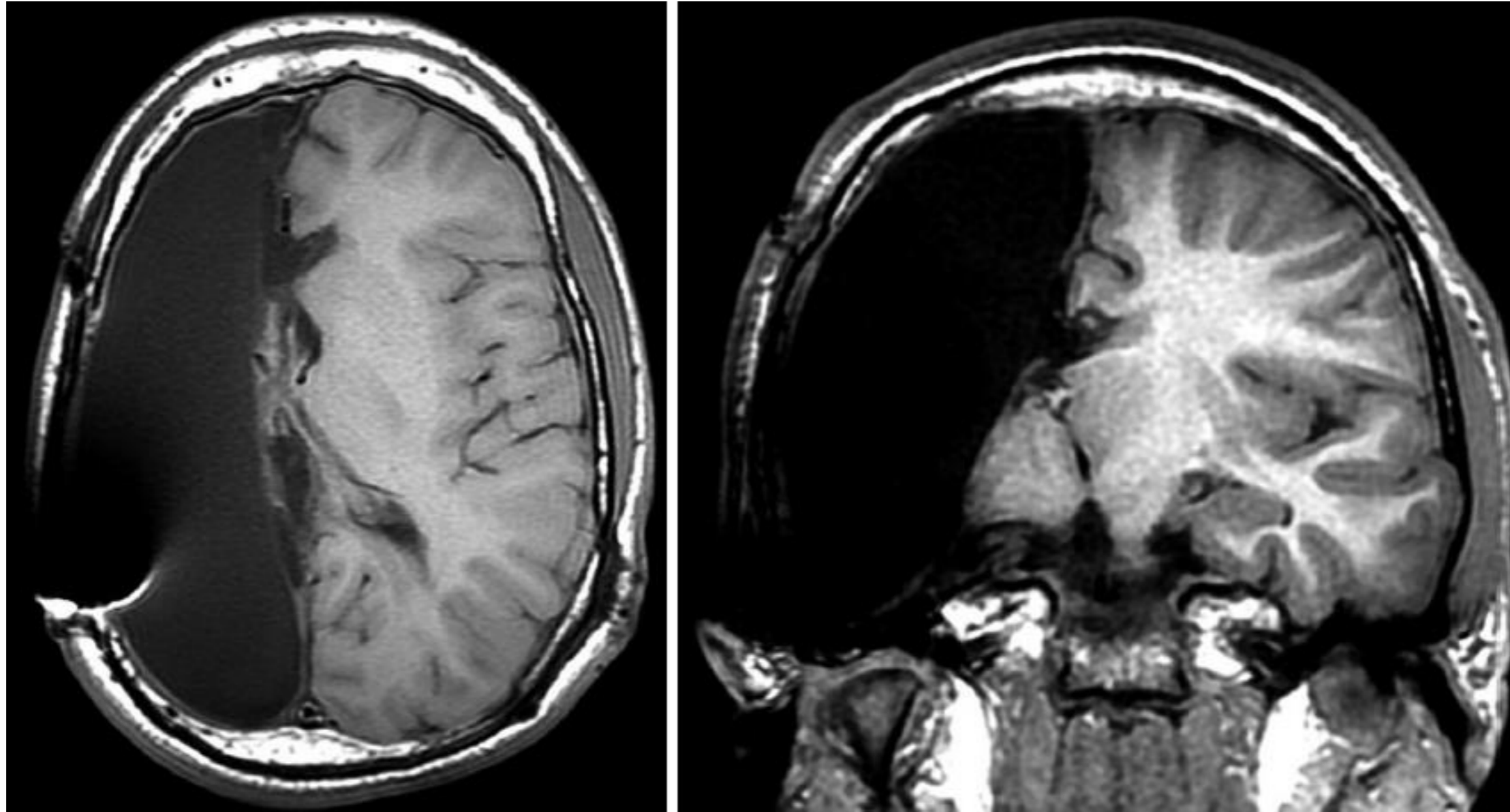
When you try to stand the child the legs often stiffen or cross like scissors.



The child who learns to walk may do so in a stiff, awkward position, with the knees pulled together and bent. Feet often turn in.

At the same time.....

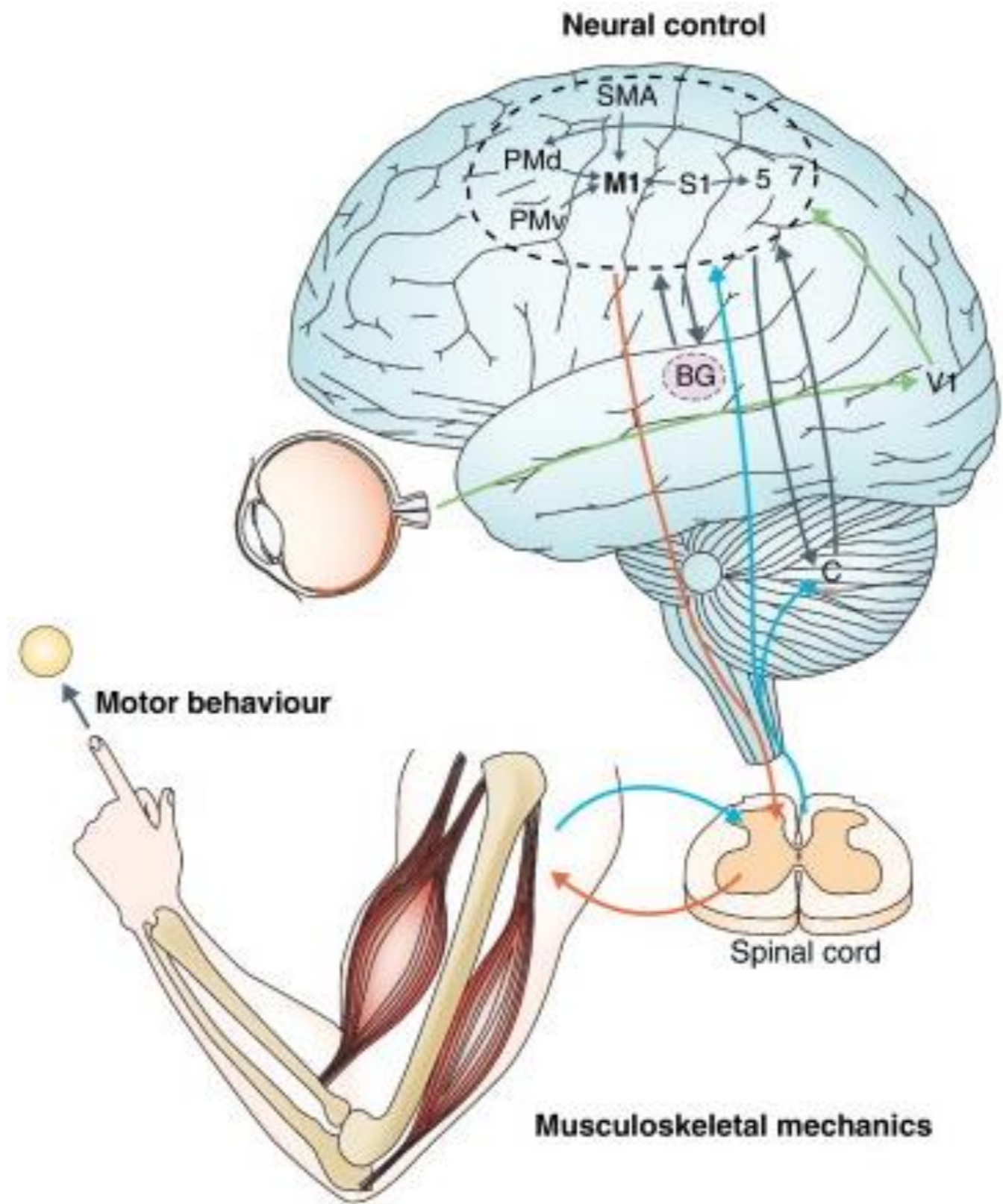
## Recoveries are even more mysterious



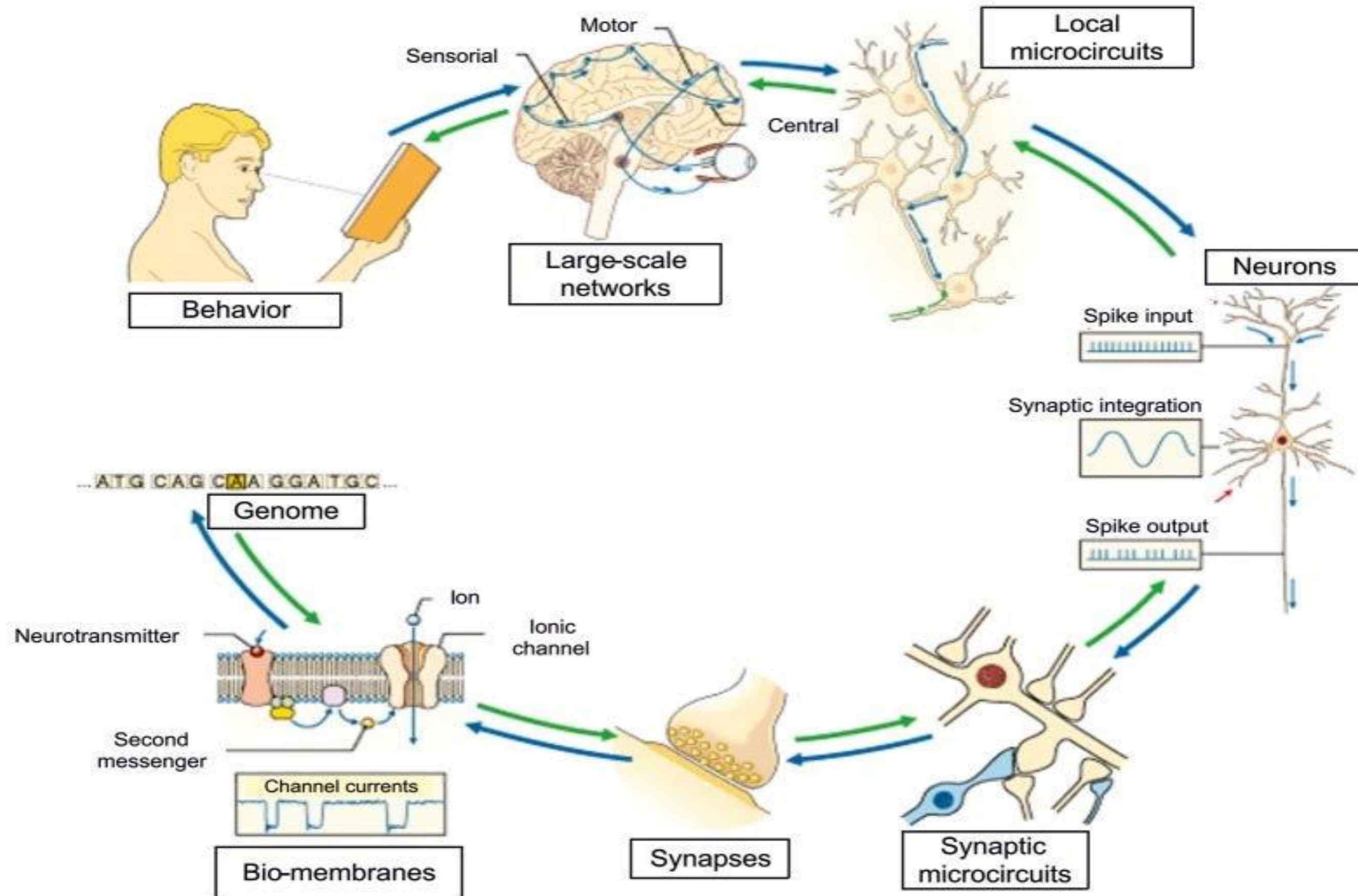
Slicing off half the brain at an appropriate age to deal with epilepsy doesn't really cause major limitations in any behaviour – memory, motor, personality etc.,



# From sensation to movement and back

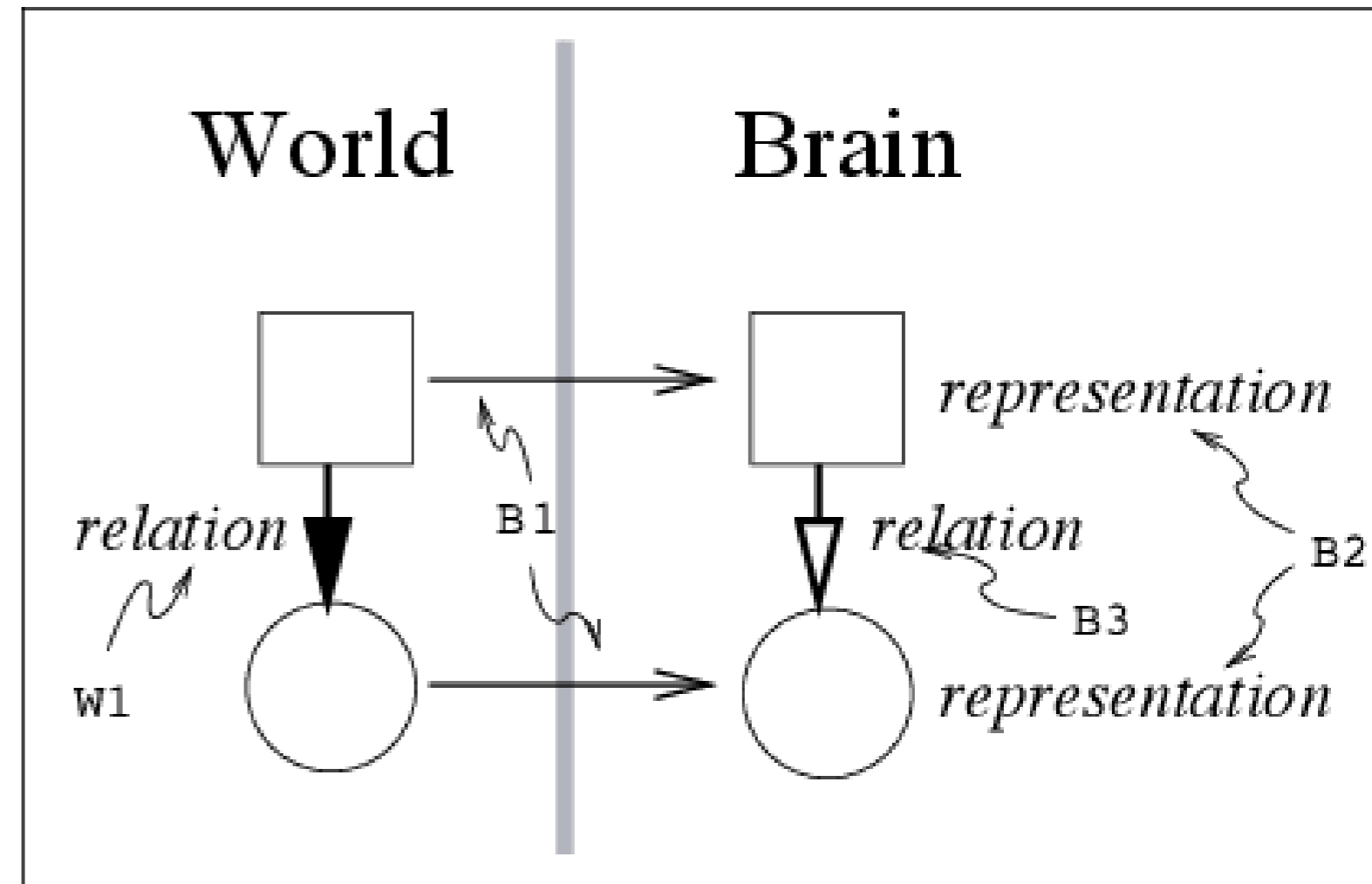


# The difficulty is due to the multi-scale brain organization



# Pursuit to understand Brain as an encoding/decoding machine

- The nature of the world is stored/encoded in the electrical firing patterns of brain circuits
- Different brain regions read-out/decode the neural activity for generating meaningful action
- Encoding: how does a stimulus cause a pattern of responses?  $p(r | s)$
- Decoding: what do these responses tell us about the stimulus?  $p(s | r)$

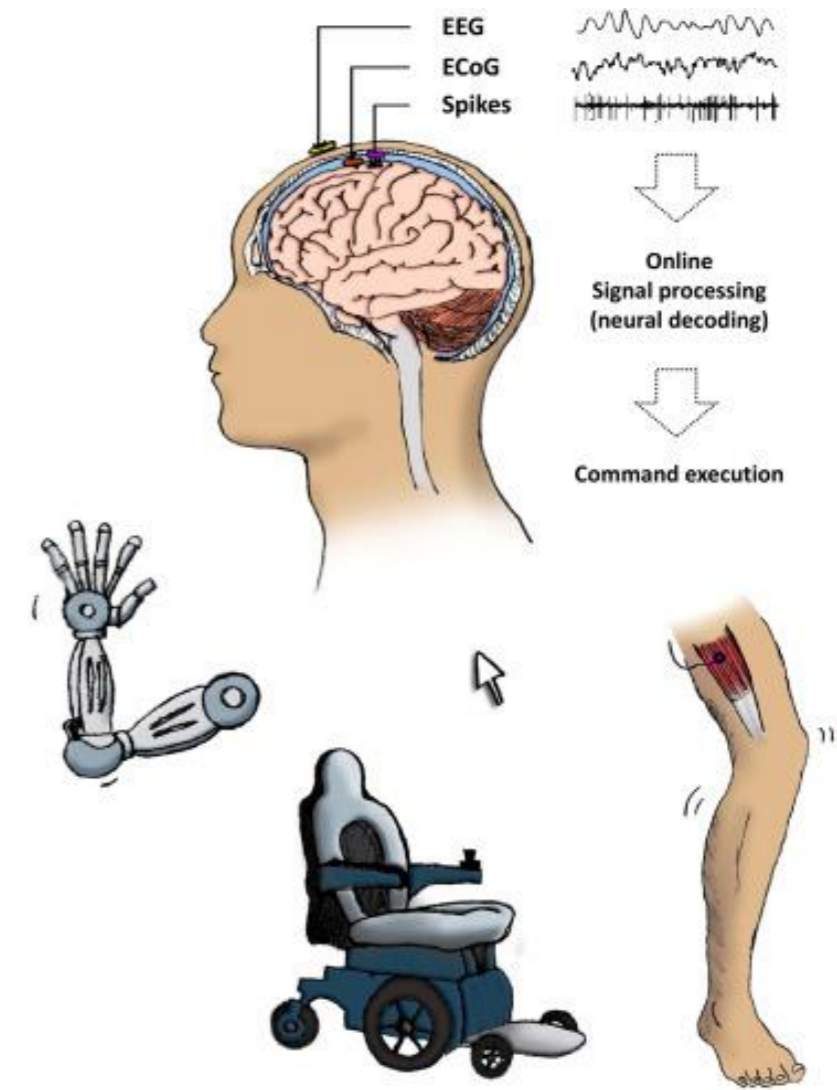
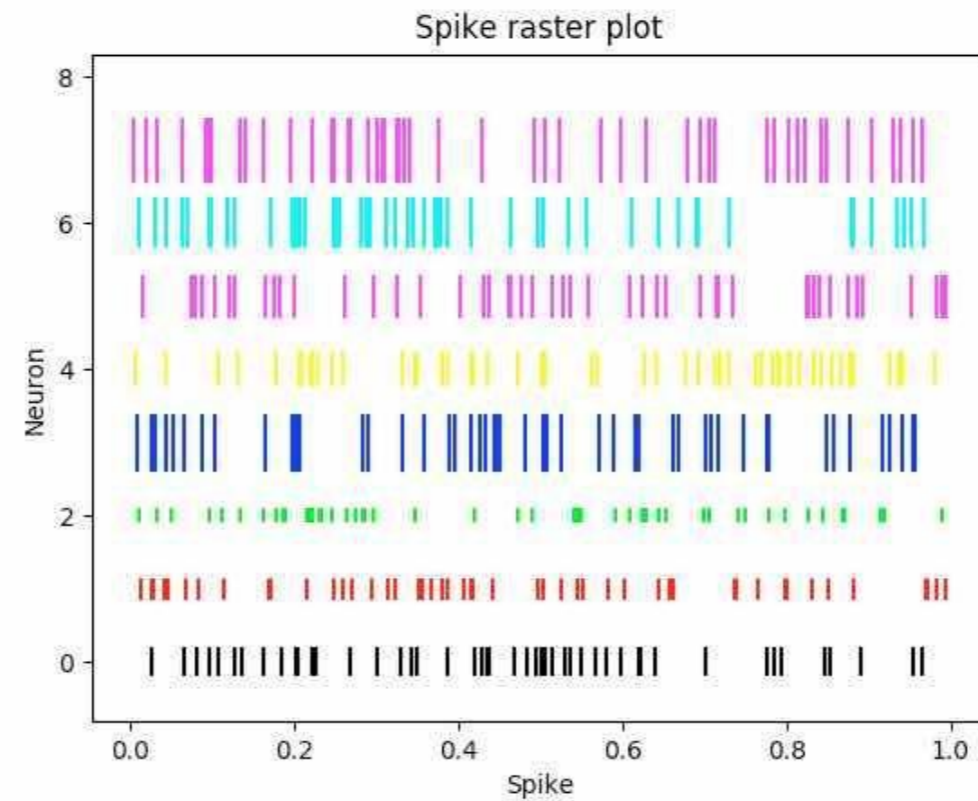




## Stimulus - 's'



## Response - 'r'



What is stimulus and what is neural response ?

- 's(t)' can represent quantitative characteristics of the sensory data like the edge properties in the visual image, strength of the smell etc.,
- 'r(t)' is a function of the spikes in the neural response vector i.e.,  $r(t) = f(r_1, r_2, r_3, \dots, r_n)$ . Two broad types of responses of most neurons:
  - Spike count
  - Spike timing

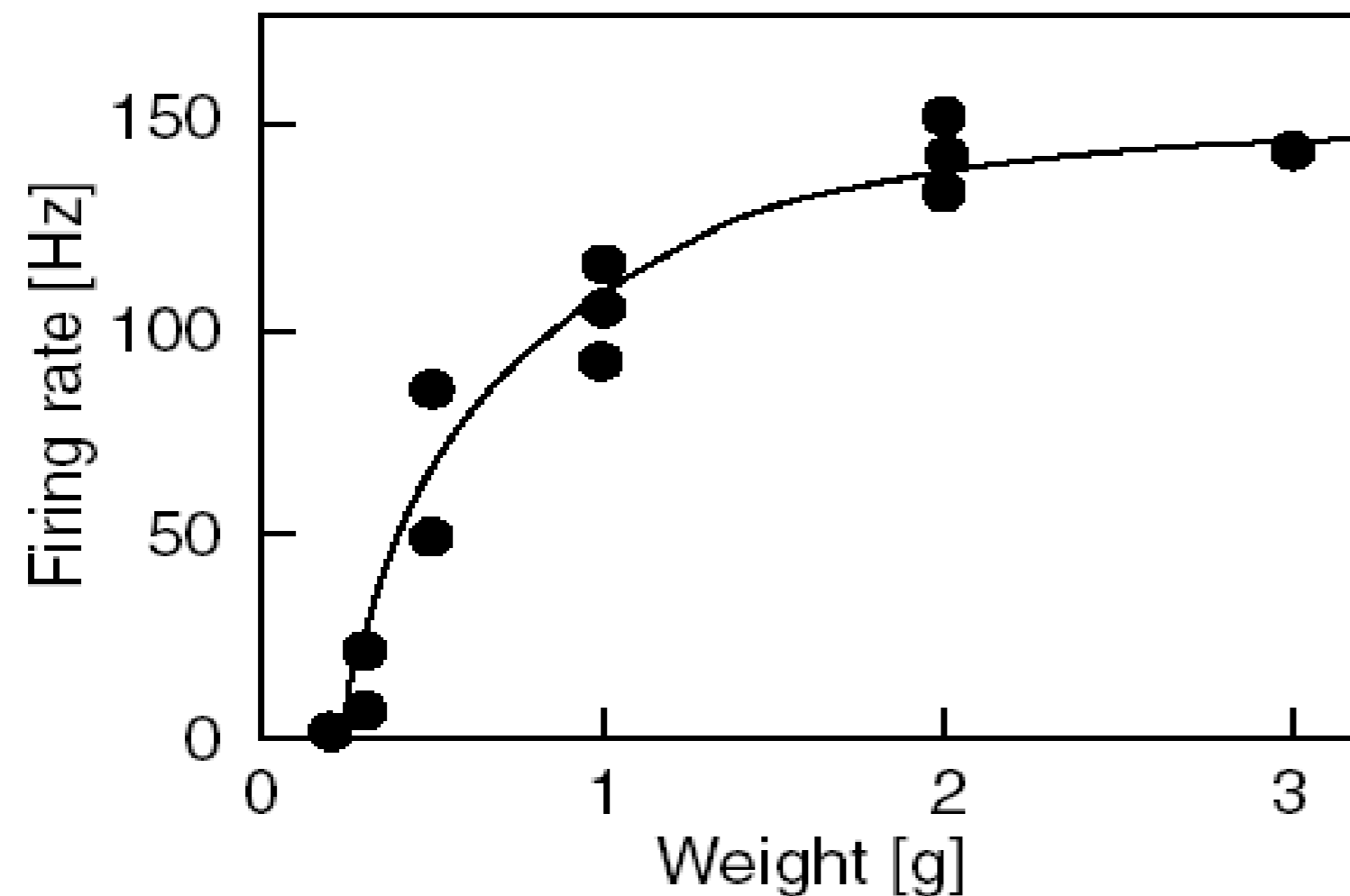


# Firing rate – spike count hypothesis

The intensity or/and identity of stimulus is encoded by the number of spikes emitted by the neuron.

Firing rate = number of spikes per second

## A. Stretch receptor on frog muscle



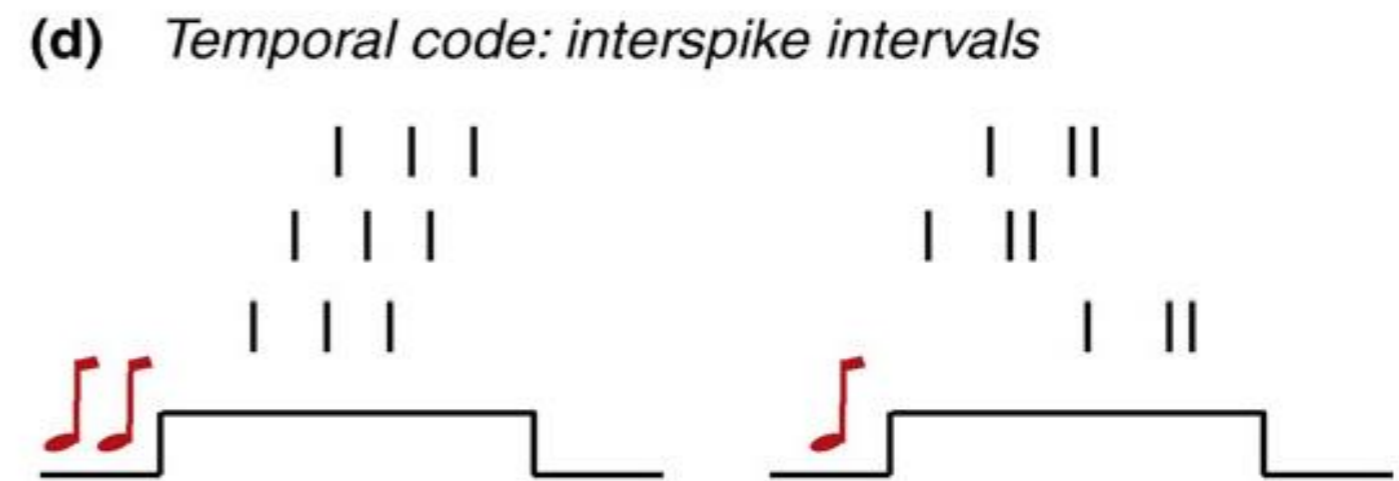
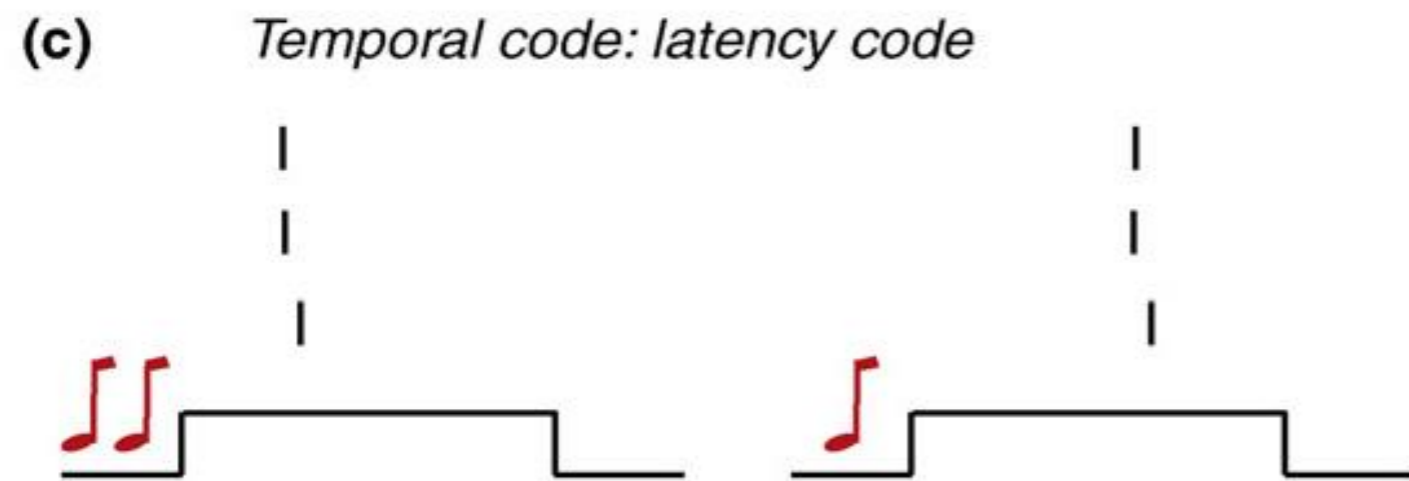
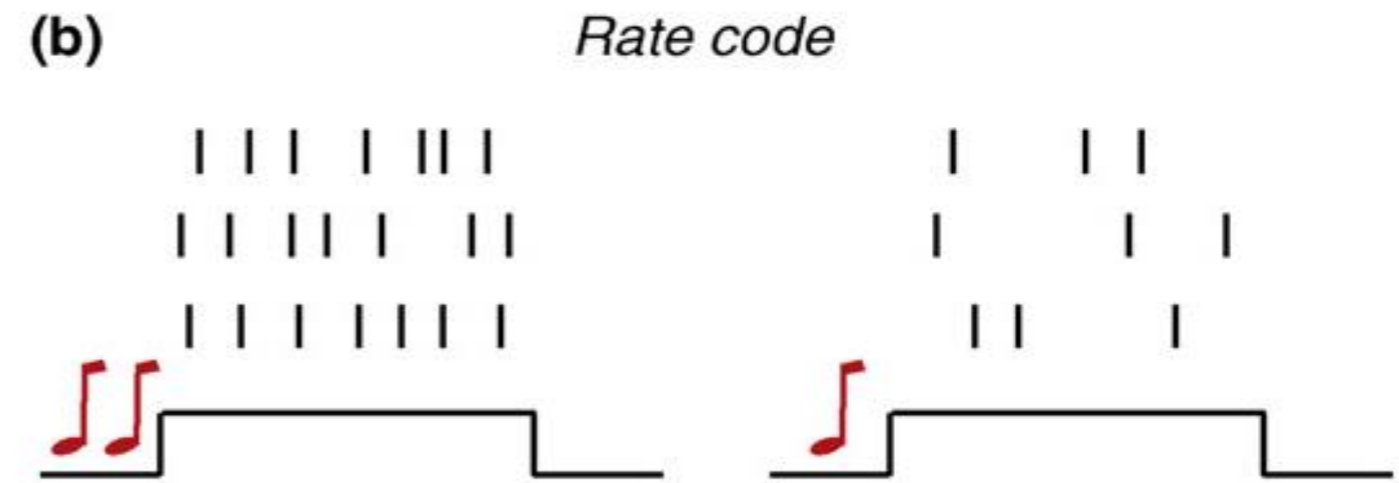
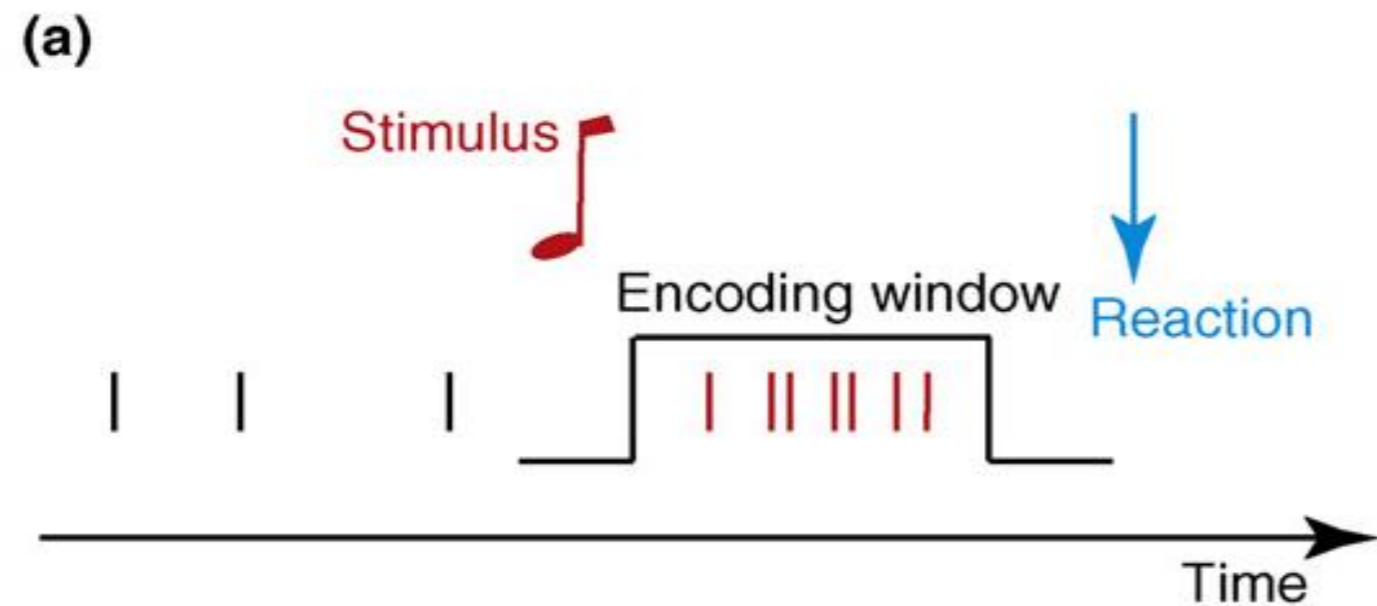
Lord Adrian (1928). Showed that the number of spikes emitted by a frog's stretch receptor on a muscle increased when increasing the weight load applied to the muscle.

Spike counts increased with stimulus intensity

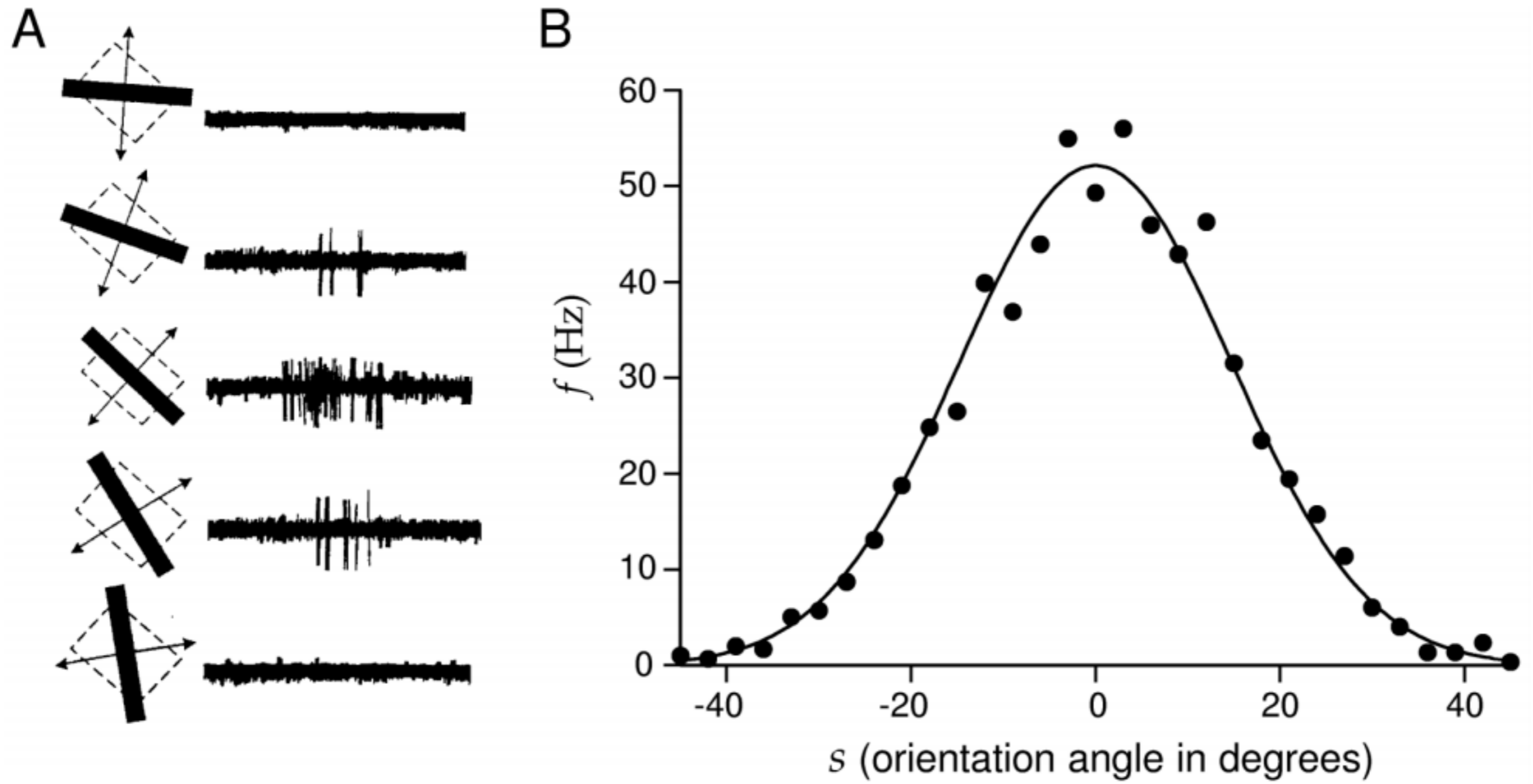
Example for firing rate encoding of identity is the face-selective neurons in inferior temporal cortex (IT) of the monkeys

# Temporal coding – Spike time hypothesis

Not only the number of spikes per second, but also the temporal patterns of successive spikes can be used for encoding the stimuli



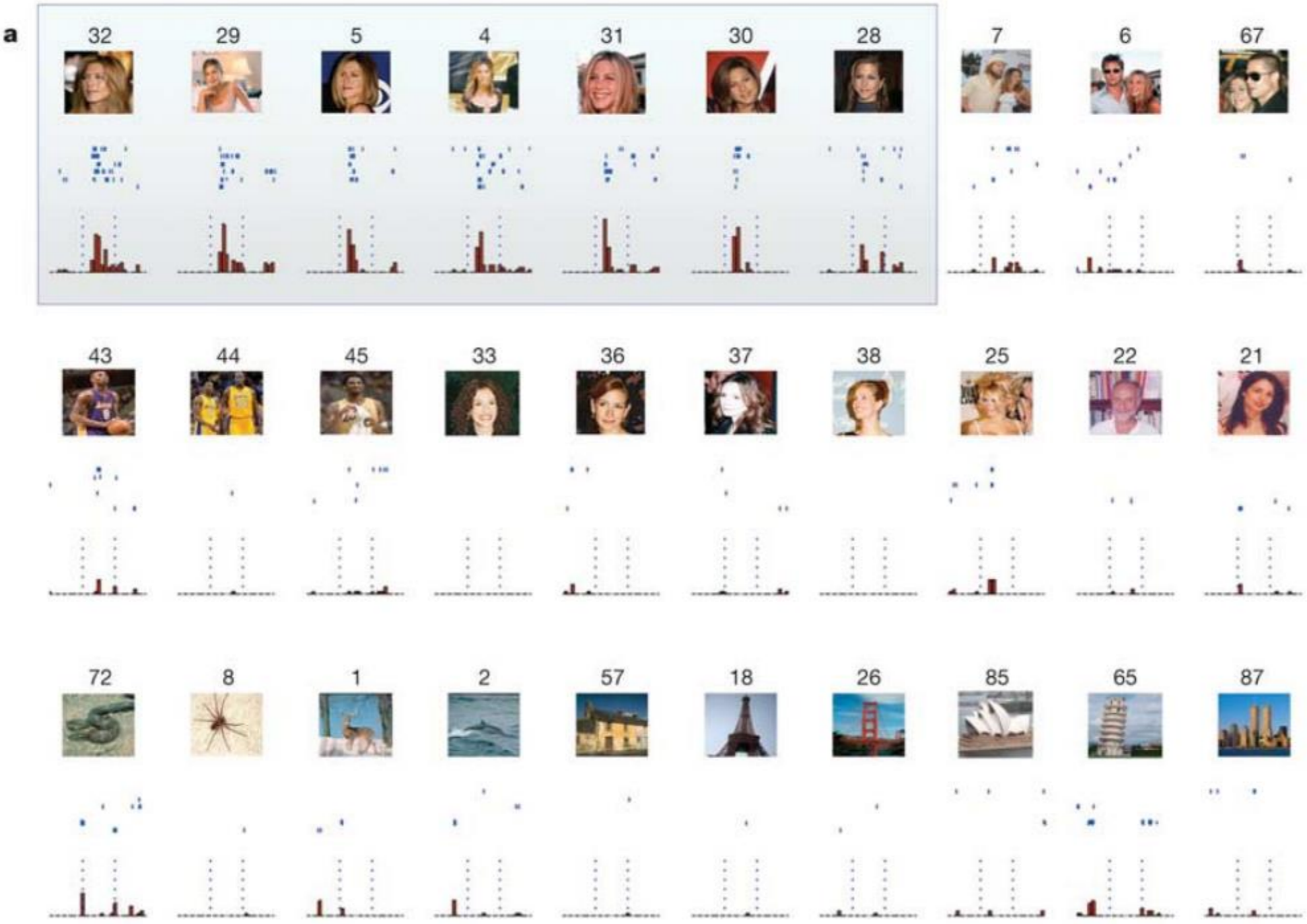
# Hierarchical encoding of stimuli - V1 stimulus representation



**Gaussian tuning curve of a cortical (V1) neuron**

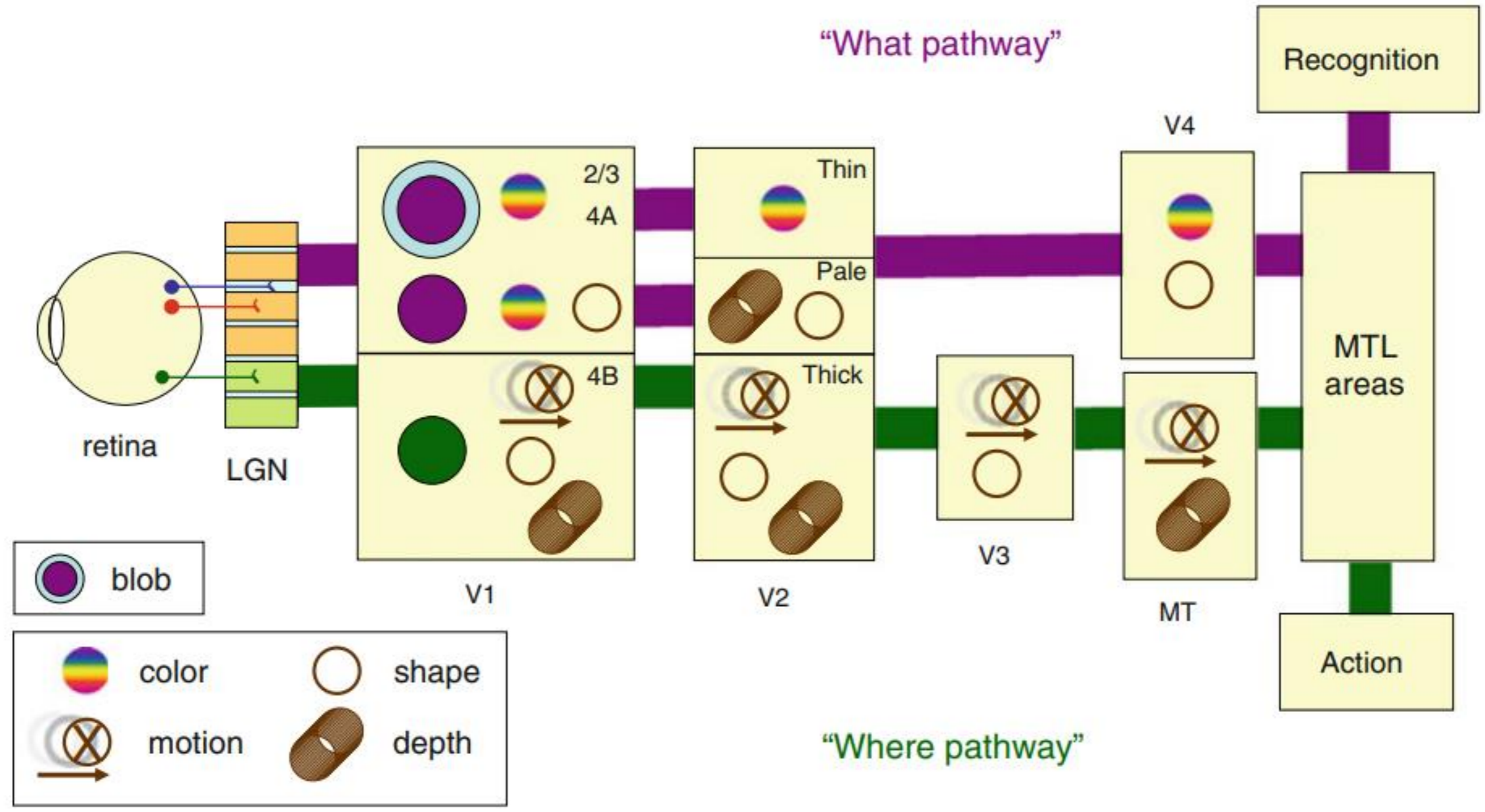


# Hierarchical encoding - MTL stimulus representation



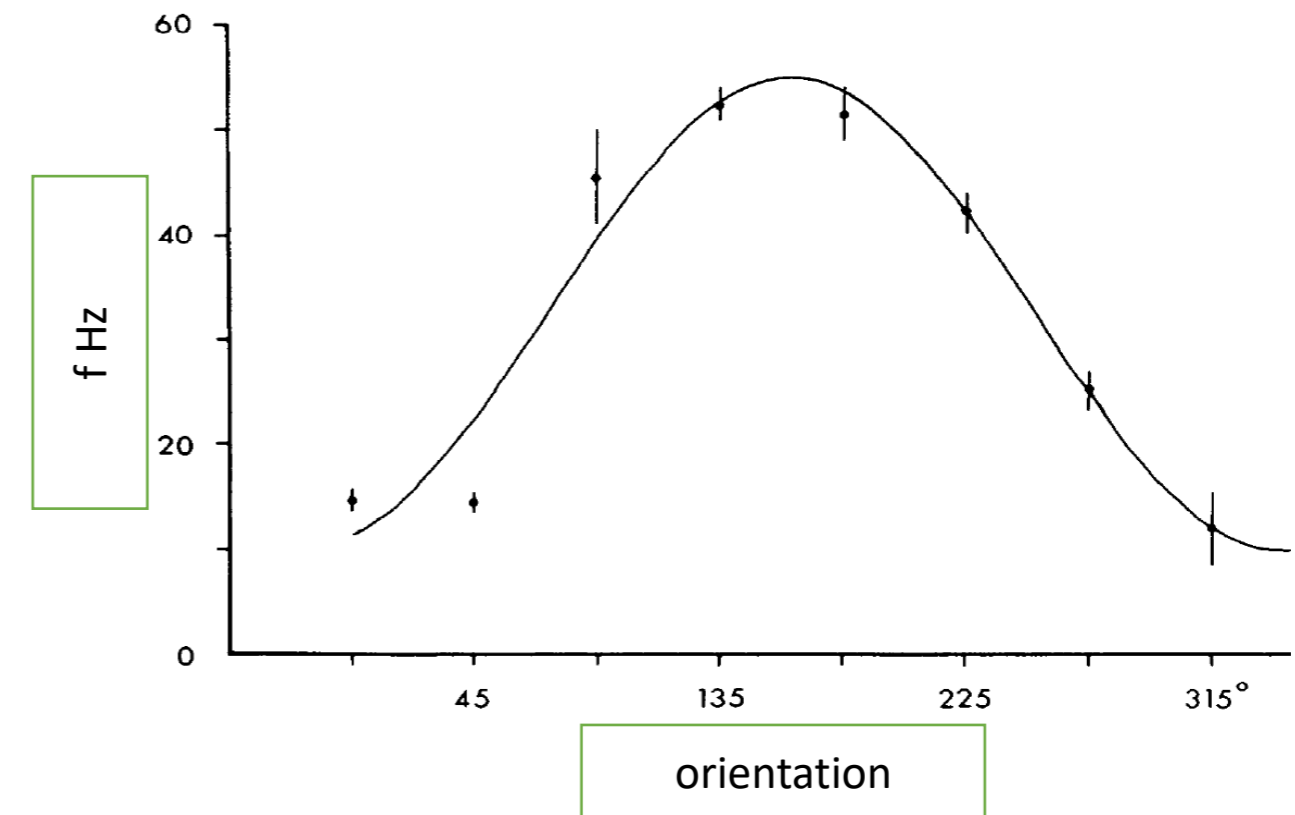
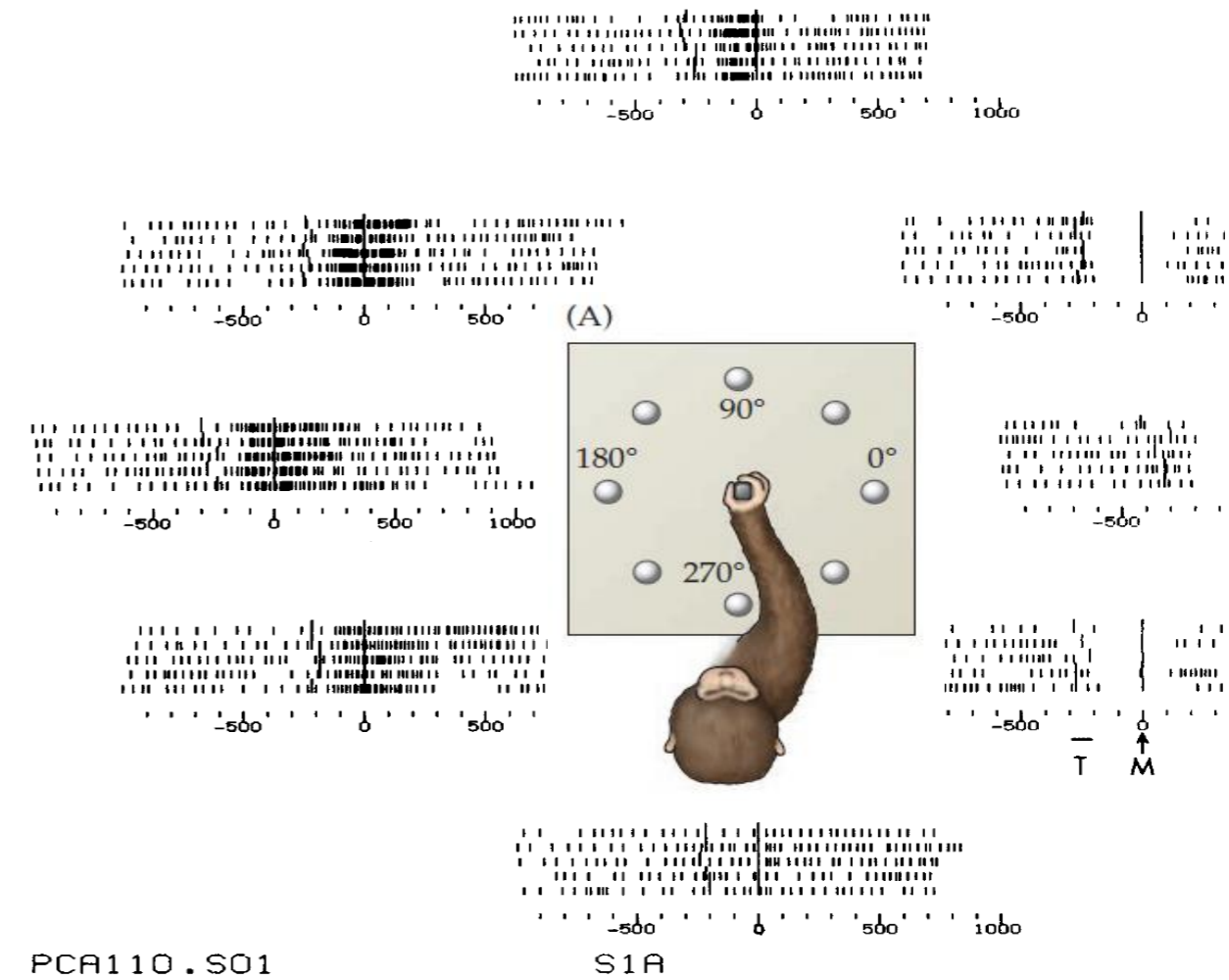
Medial temporal lobe - complex tuning like faces invariant to the image transformation *R. Quian Quiroga et al Nature 2005*

# Hierarchical encoding - sensory stimulus representation



Z.Khan et al. CMLS 2011

# Hierarchical encoding - Motor cortex (M1) movement representation

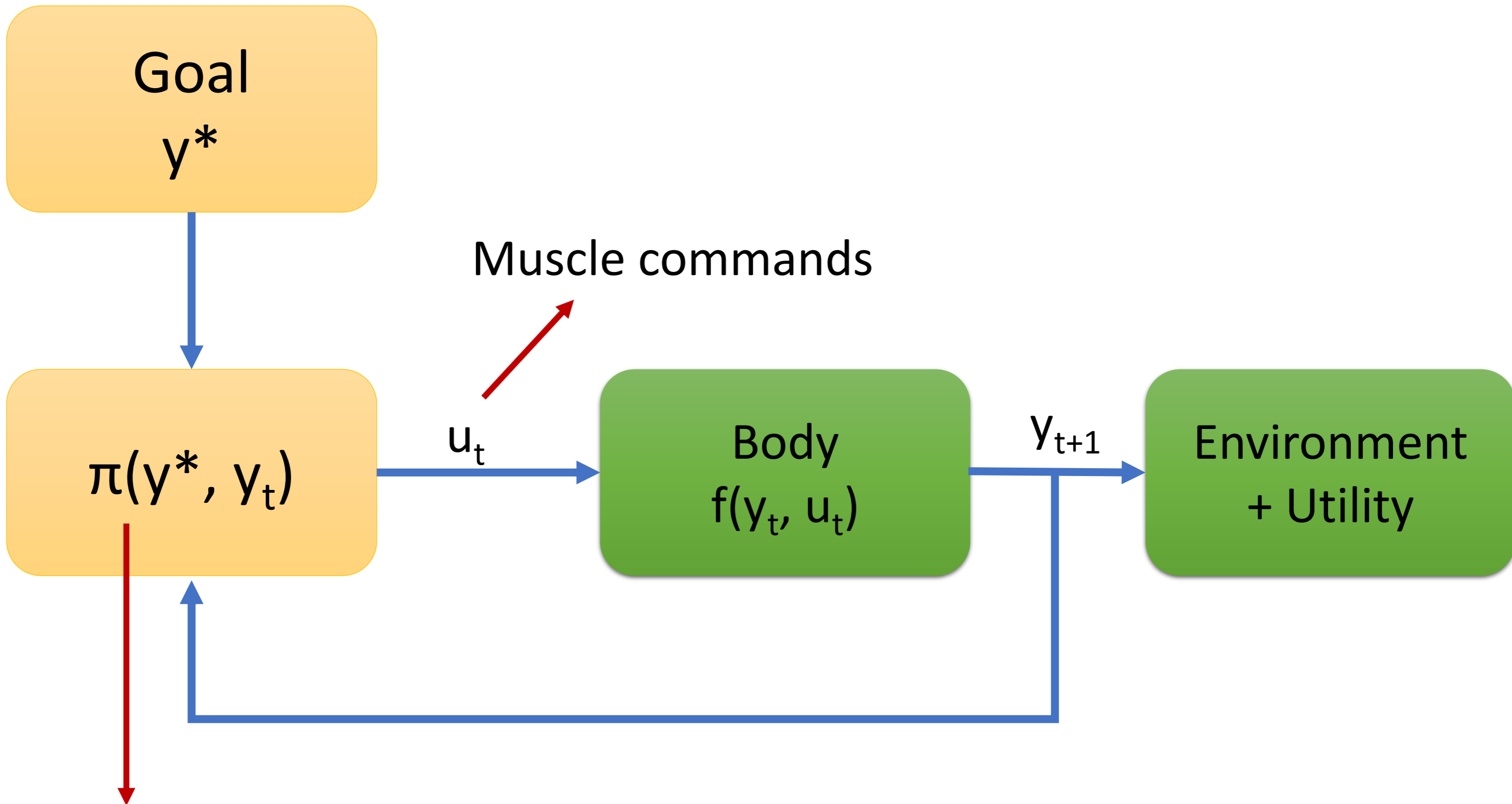




## Encoding view is only descriptive

- Multiple codes
- Importance of mechanism
- For example, the descriptive models would not have anything to predict if the body under the experimentation undergoes a physical change unless more data is explicitly collected for this specific case

# Goal-driven understanding



Brain/Processor/Controller

# Optimal control formulation to find policy parameters

$$J = y_f[N]^T Q_f y_f[N] + \sum_{t=0}^N (y[t]^T Q y[t] + u[t]^T R u[t])$$

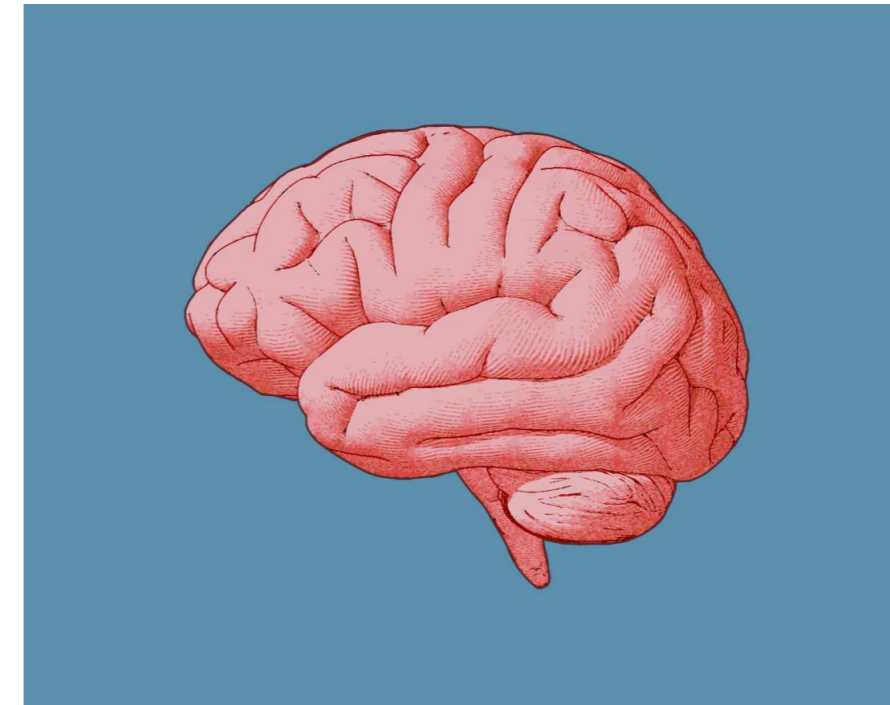
*such that*  $\dot{y}[t] = f(y[t], u[t])$

$$u[t = 0:N] = \pi(y^*, y) = \mathit{arg} \min_{\pi} J$$

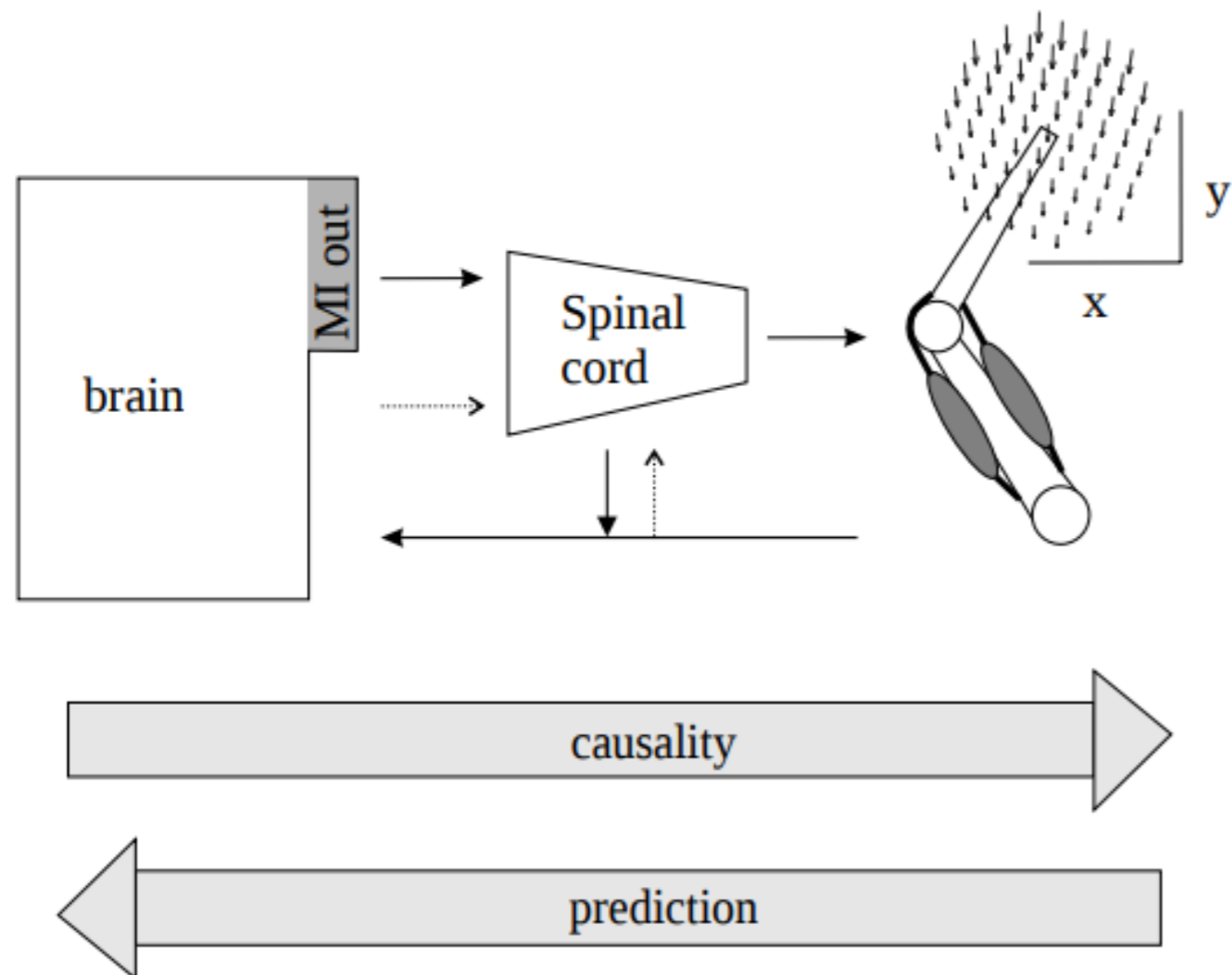


# Neural System Identification

$$\pi(y^*, y)$$



# Goal-driven understanding



- The 'brain' receives sensory feedback, combines it with motor plans, and somehow 'decides' what to do next.
- The focus of the model is the causal flow from the MI output through spinal processing, muscle force production and multijoint mechanics to endpoint force.
- First we hypothesize how M1 might be causing movement
- And then any correlations could be explained as emergent properties of the causal flow

$$Uc(t - \Delta) = F^{-1}f(t) + m\ddot{\mathbf{x}}(t) + b\dot{\mathbf{x}}(t) + k\mathbf{x}(t)$$

$$M = 1\text{kg}, b=10\text{N}\cdot\text{s}/\text{m}, k=50\text{N}/\text{m}$$

E. Todorov, Nature neuroscience 2000

**Body dynamics determines the neural encoding**

# Problem with a simple feedback based model

1. Sensorimotor delays

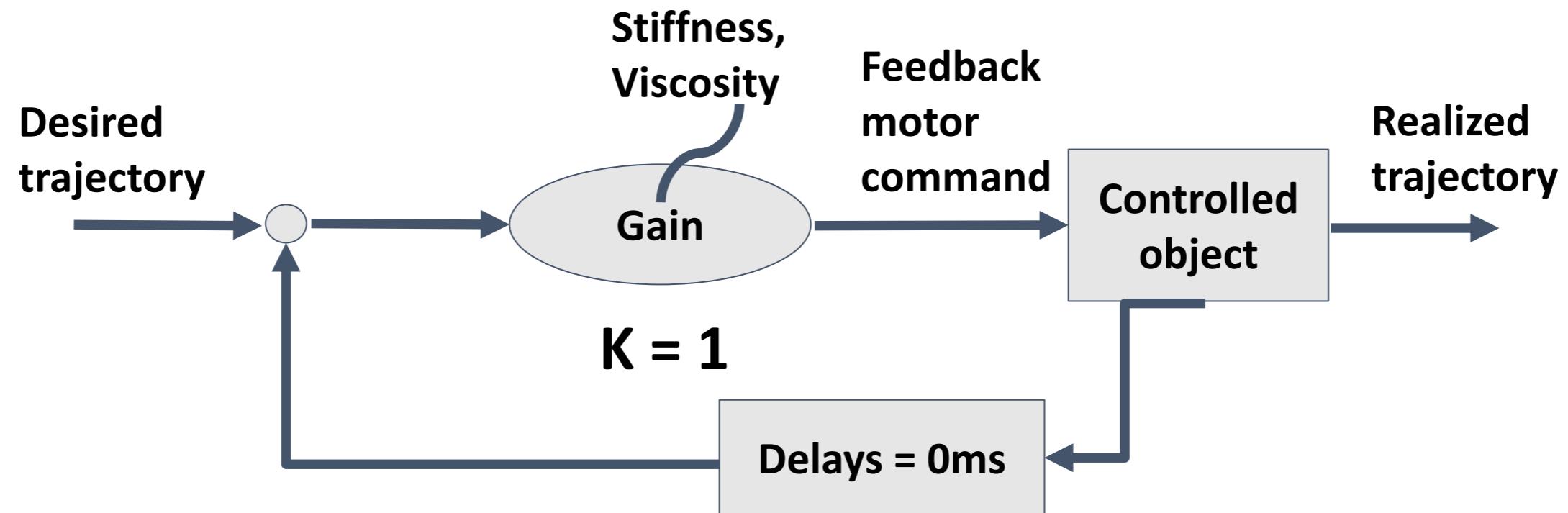
2. Stochastic process

3. Redundancies

Let us consider the problem posed by sensorimotor delays in animal movement control in detail, and for now ignore the other issues

# A simple example of the effect of feedback delays

Consider a simple feedback control loop with proportional feedback gain

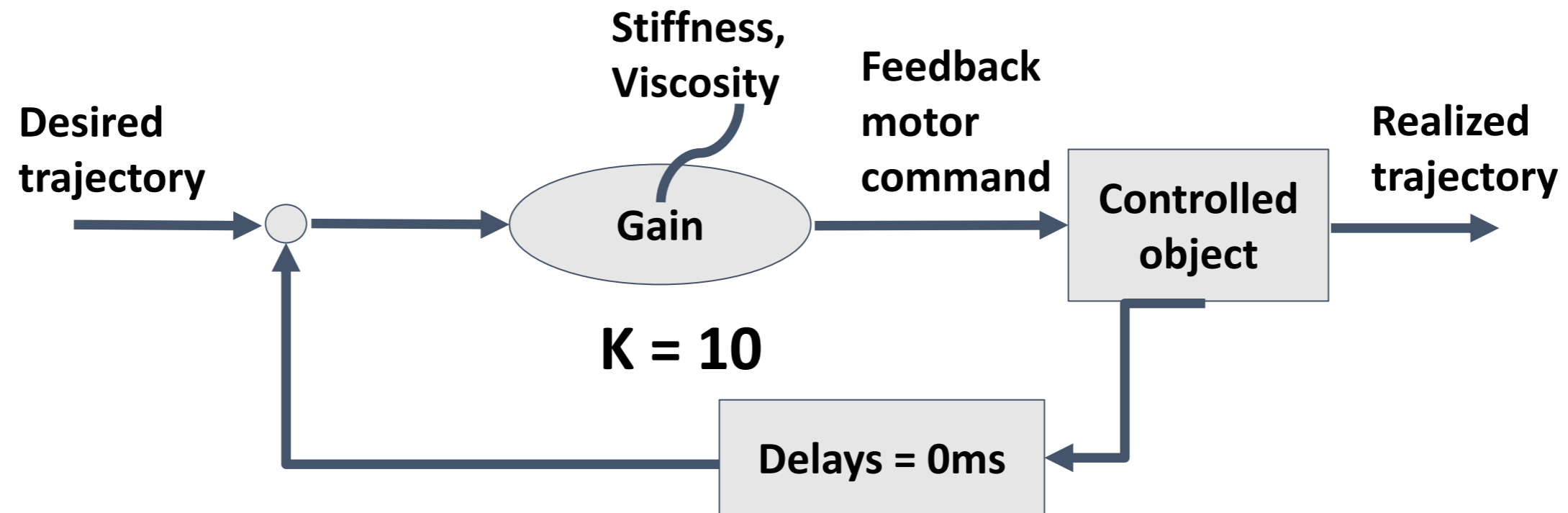


Low gain + No delay



# A simple example of the effect of feedback delays

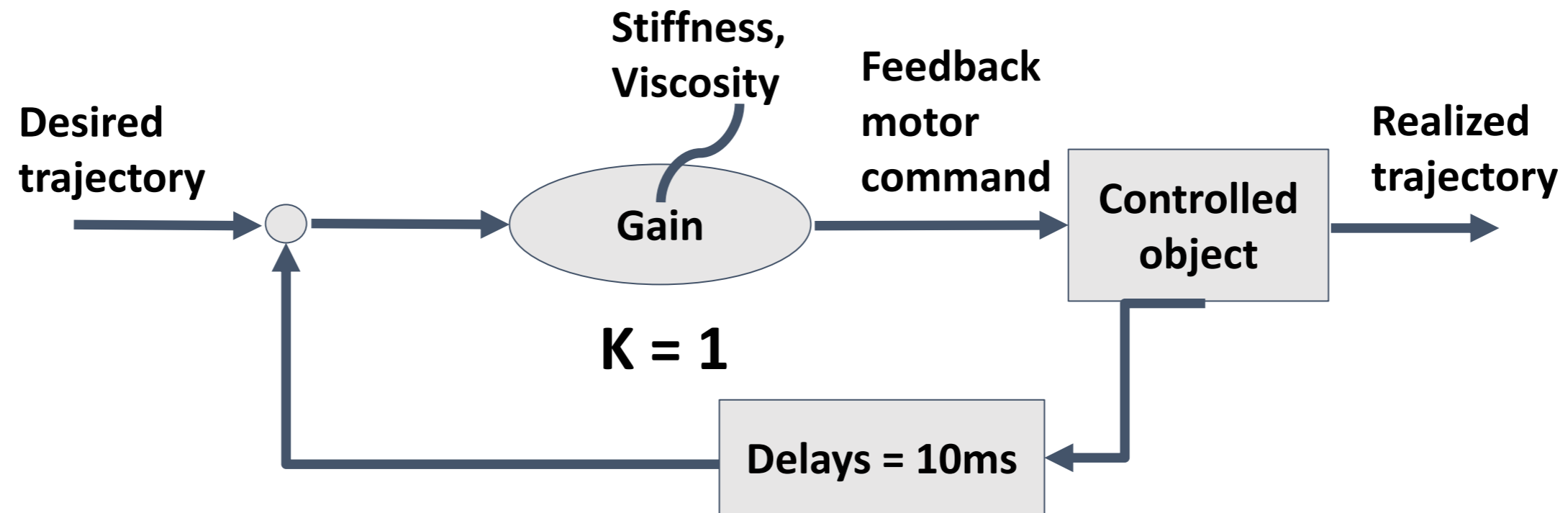
Consider a simple feedback control loop with proportional feedback gain



High gain + No delay

# A simple example of the effect of feedback delays

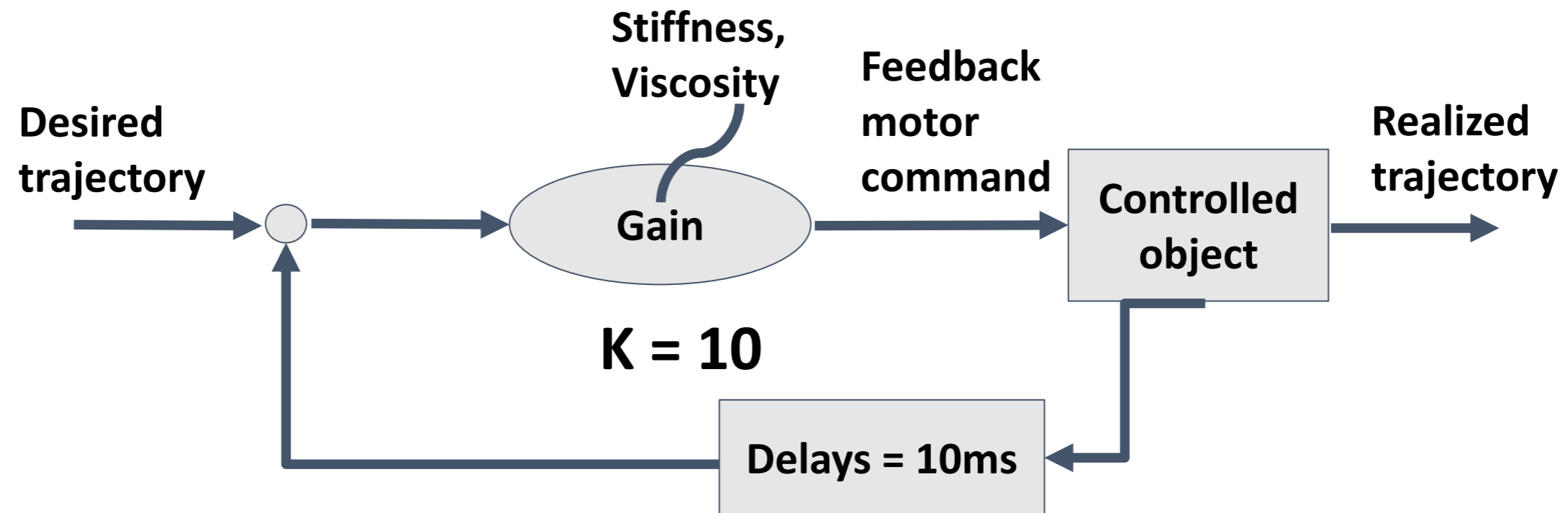
Consider a simple feedback control loop with proportional feedback gain



Low gain + delay

# A simple example of the effect of feedback delays

Consider a simple feedback control loop with proportional feedback gain



High gain + delay

# How does the brain deal with delayed sensory feedback?

Two possibilities

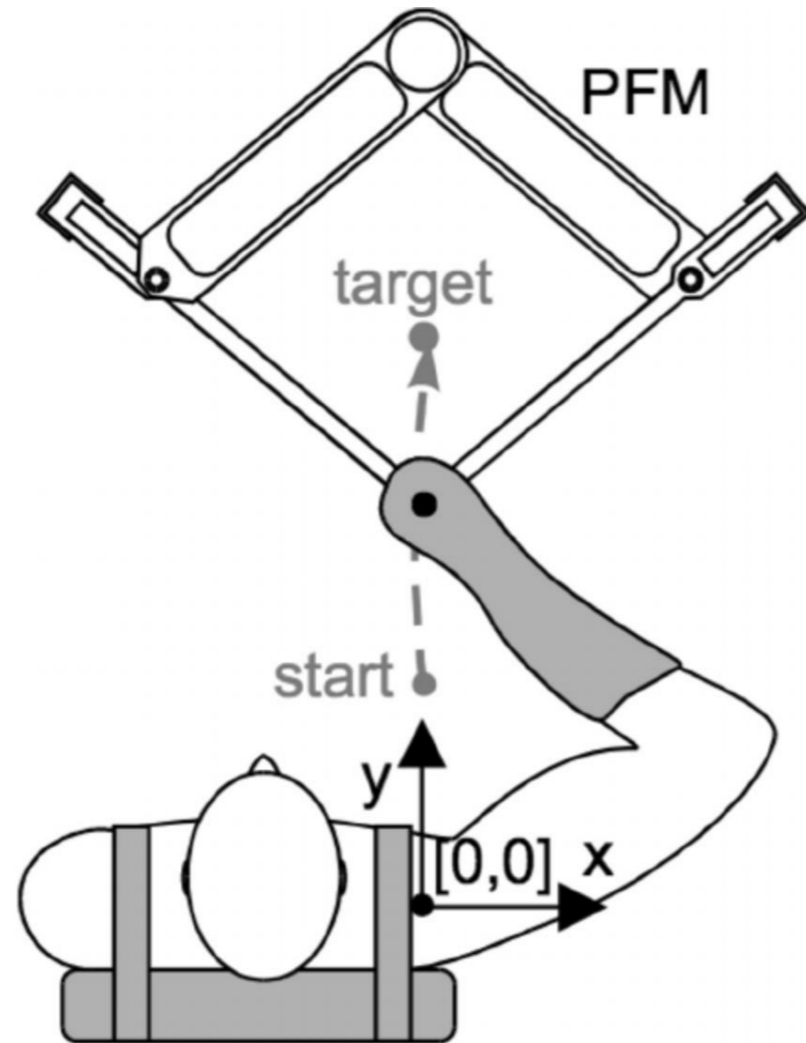
1. Equilibrium point control - Simple brain command & complex spring-like muscle control
2. Internal model based control - Predictive brain command & simple muscle control

As simulated earlier, the effect of delays in feedback is more pertinent when we have to compensate for the error in movement

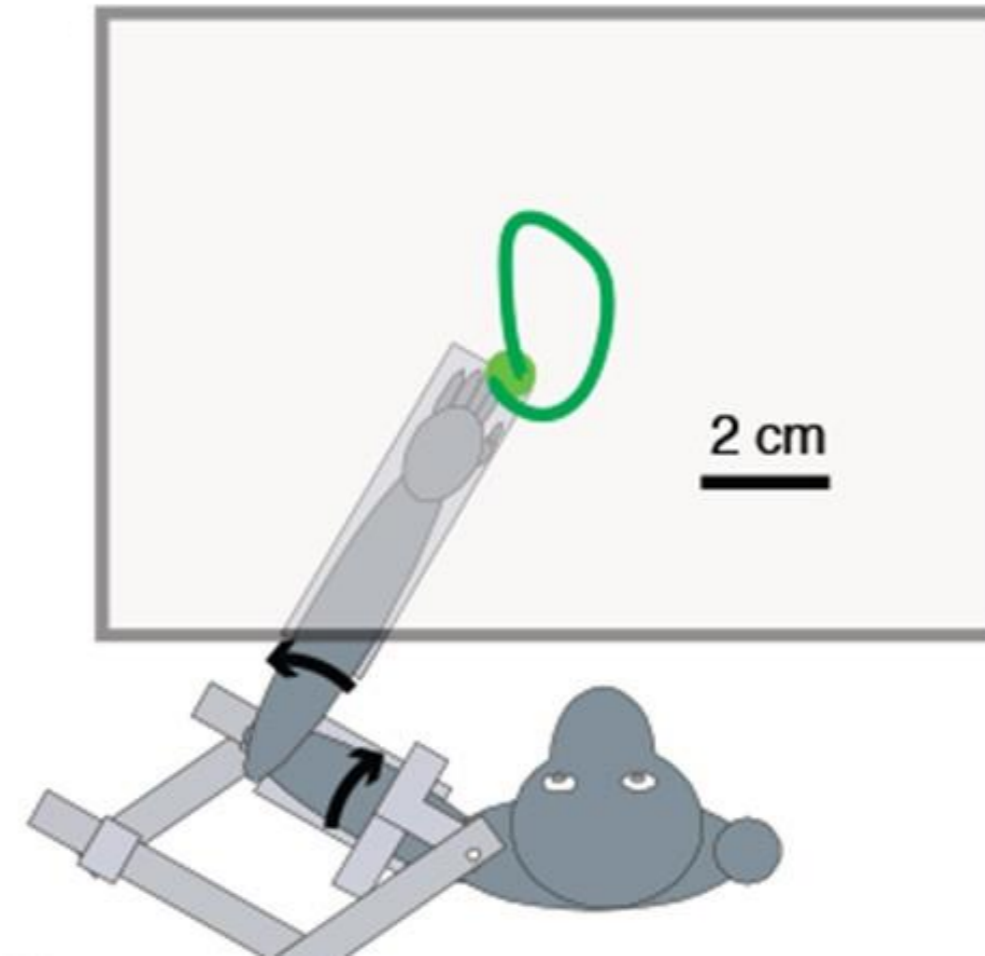
So we consider situations where we have to successfully deal with errors caused by mechanical/visual disturbances



# Feedback Perturbation experiments

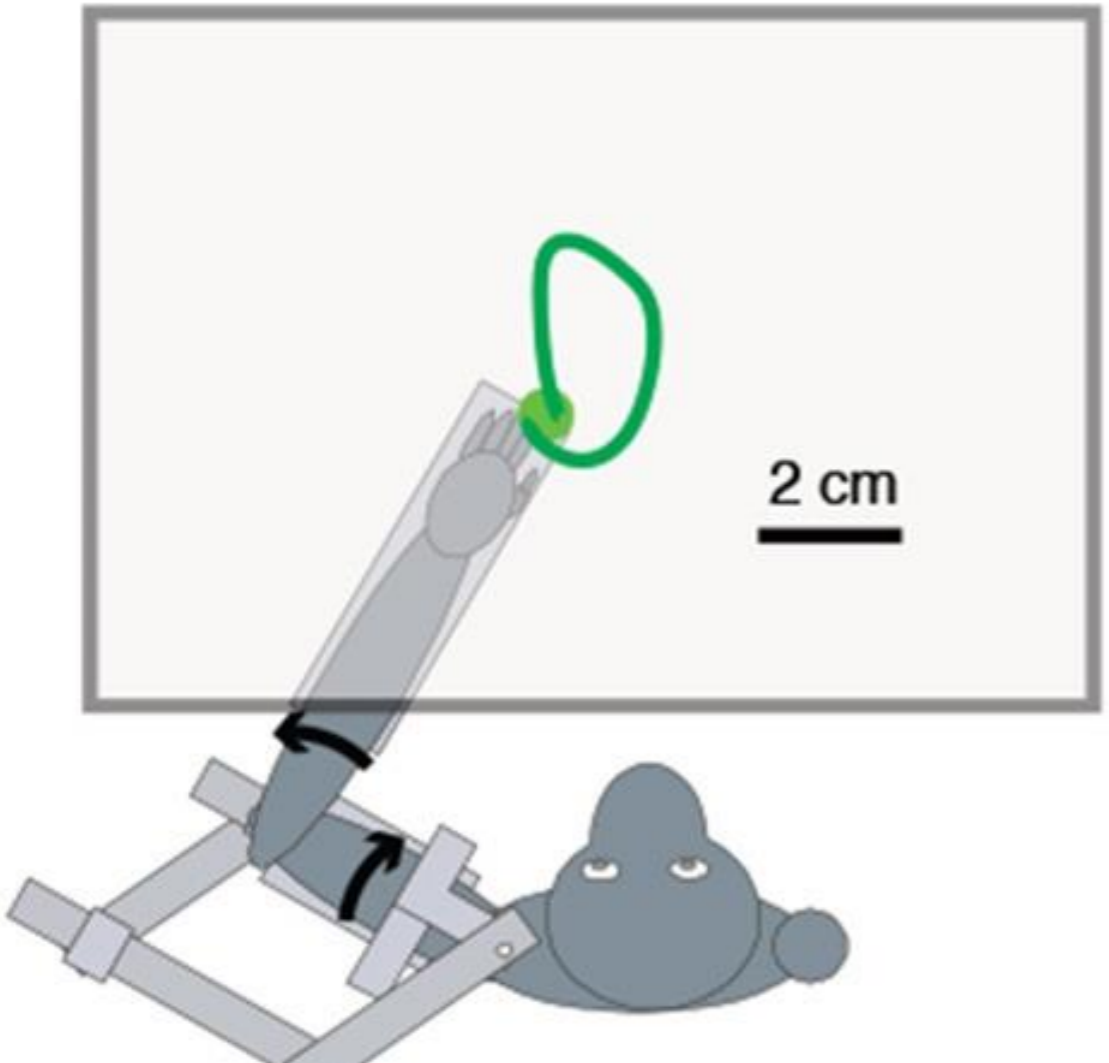


Reaching under perturbations

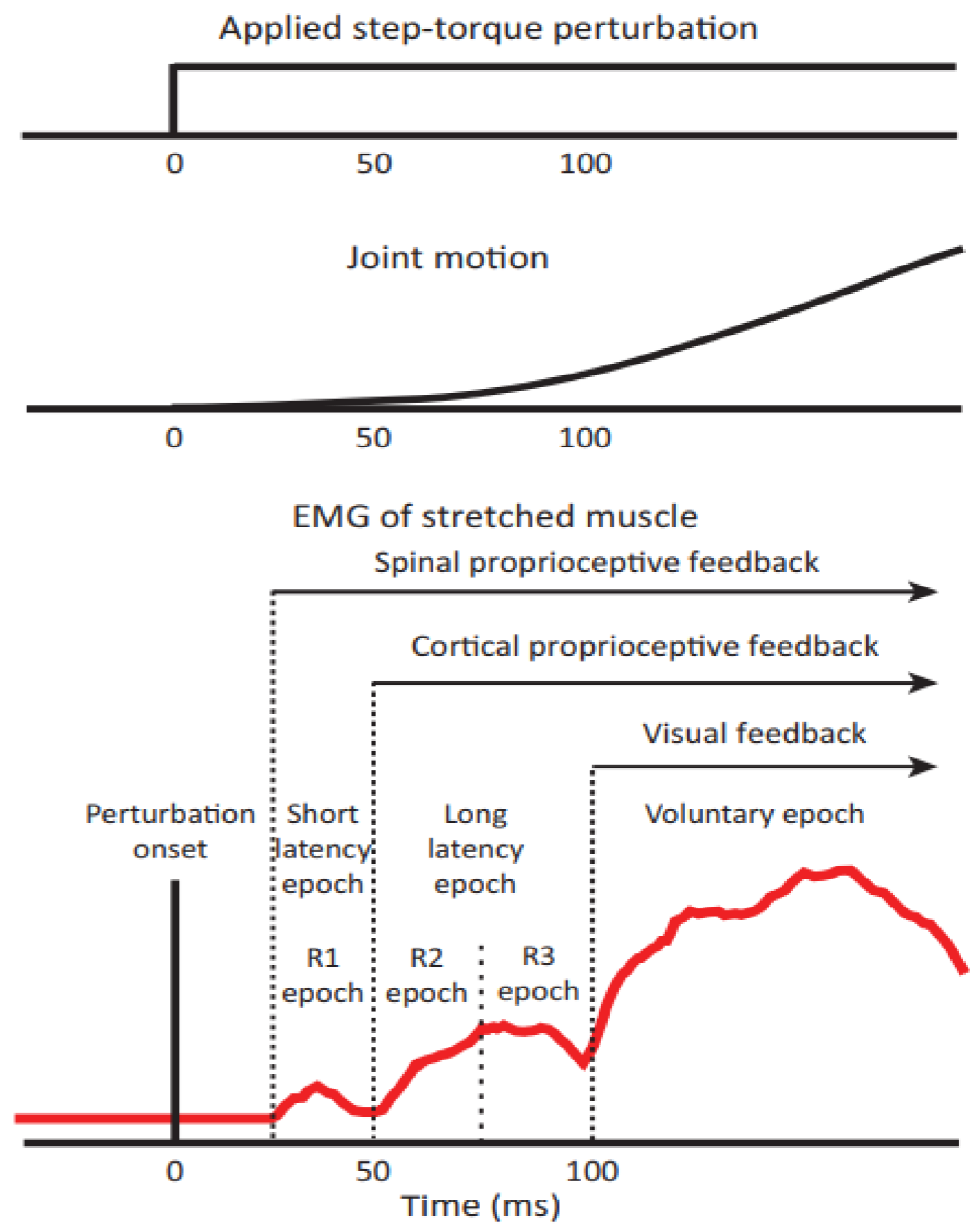


Posture control against mechanical loads

# EMG responses to perturbation



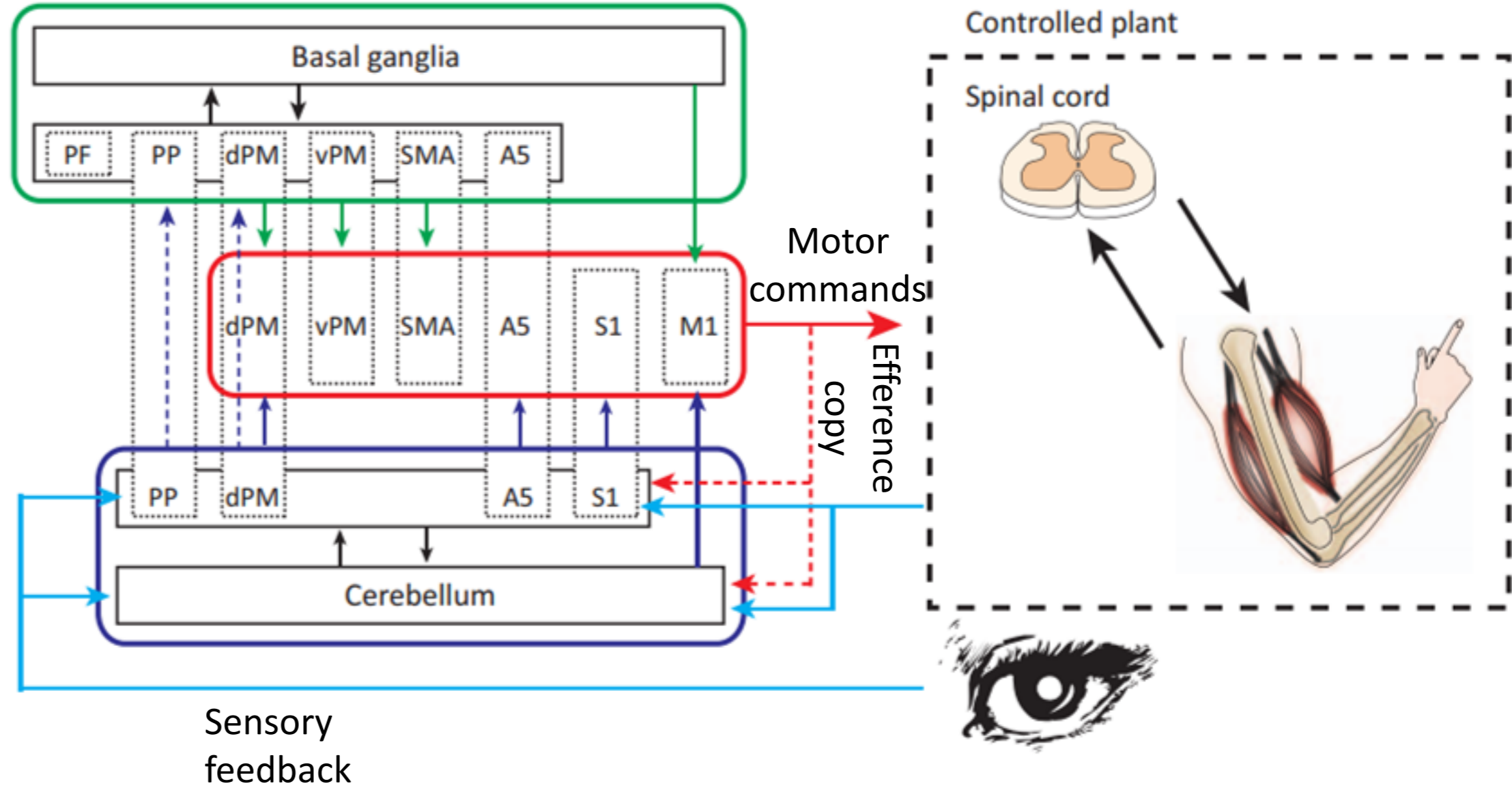
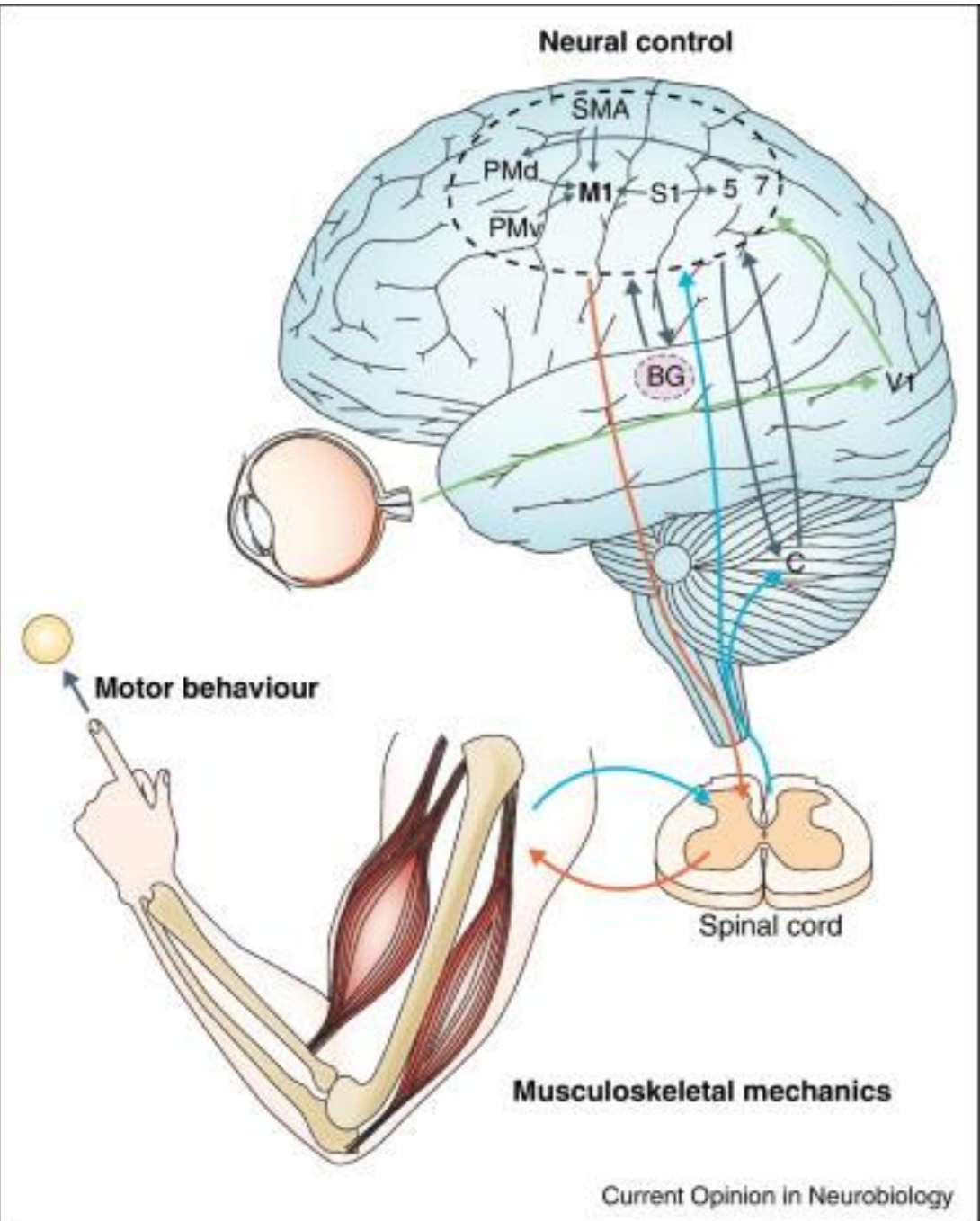
The majority of the EMG response is observed during the long-latency epoch. Hence ascertaining that spinal processing plays limited role during the stretch control



TRENDS in Cognitive Sciences

Figure I. Mechanical perturbation applied to a joint causes joint motion and a multiphasic electromyographic response in stretched muscles.

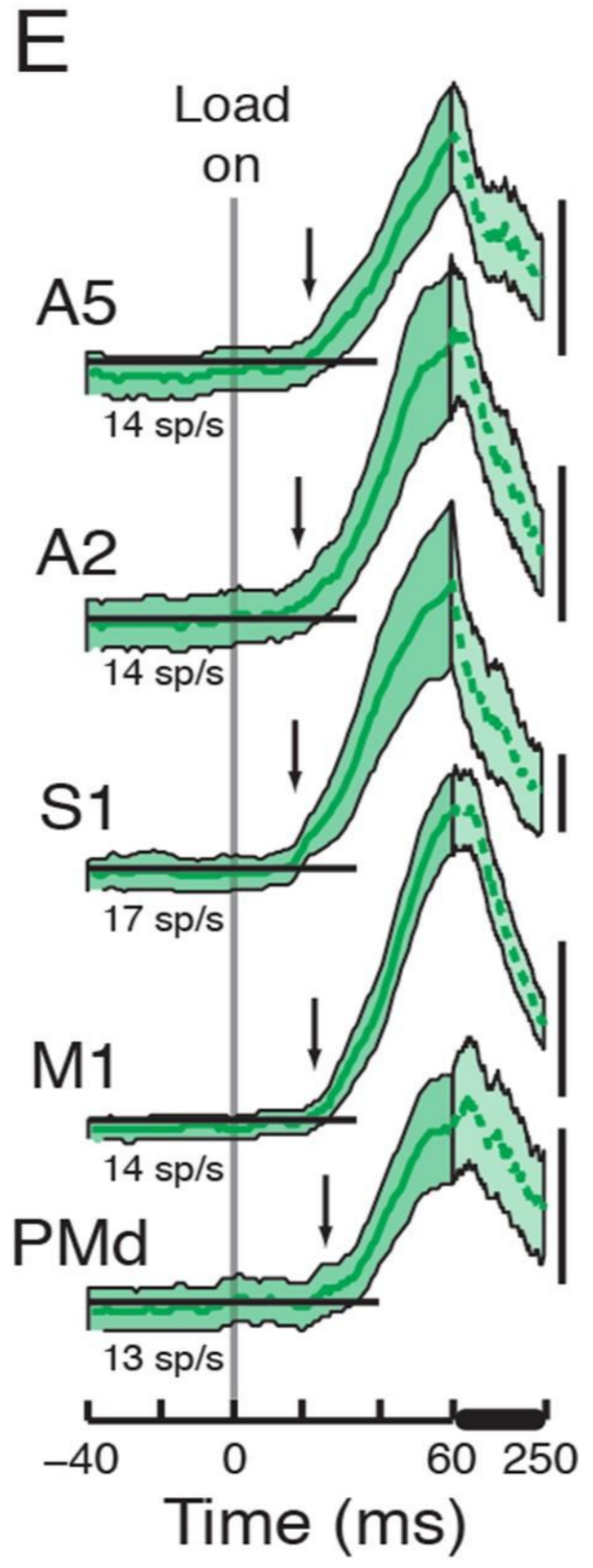
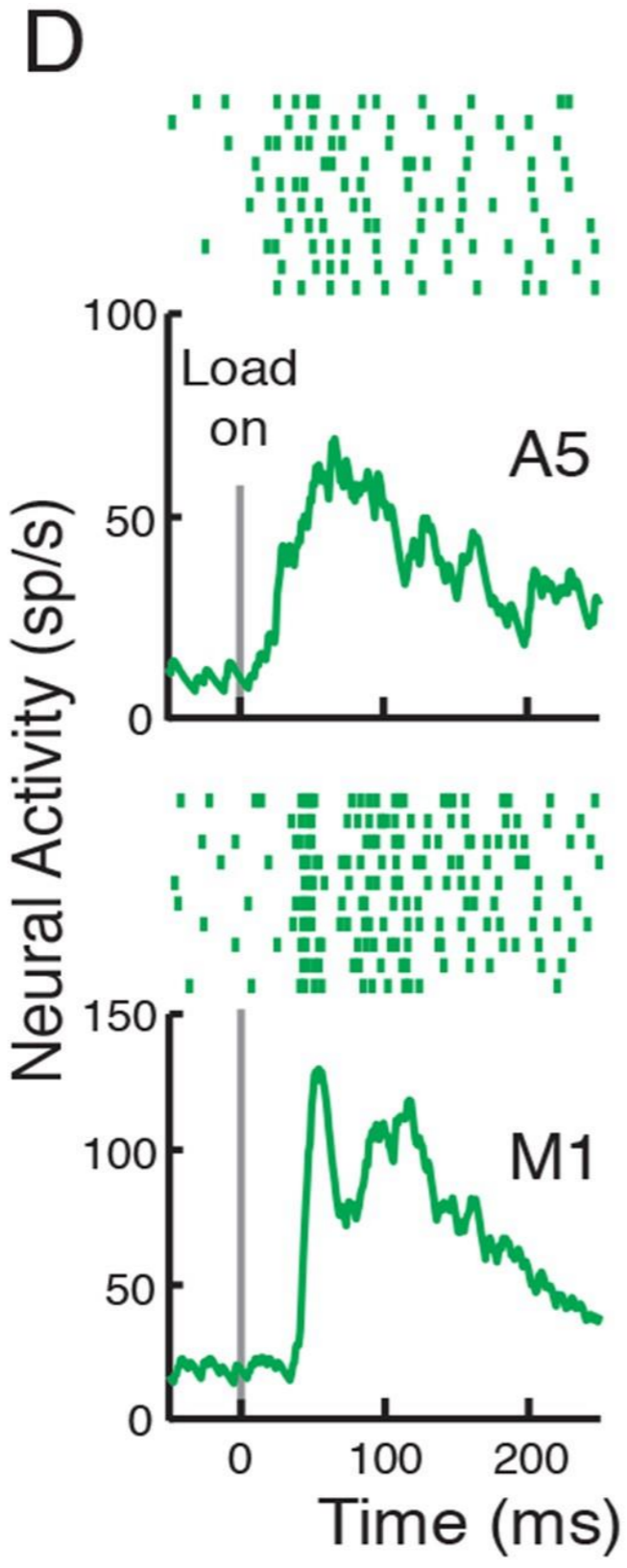
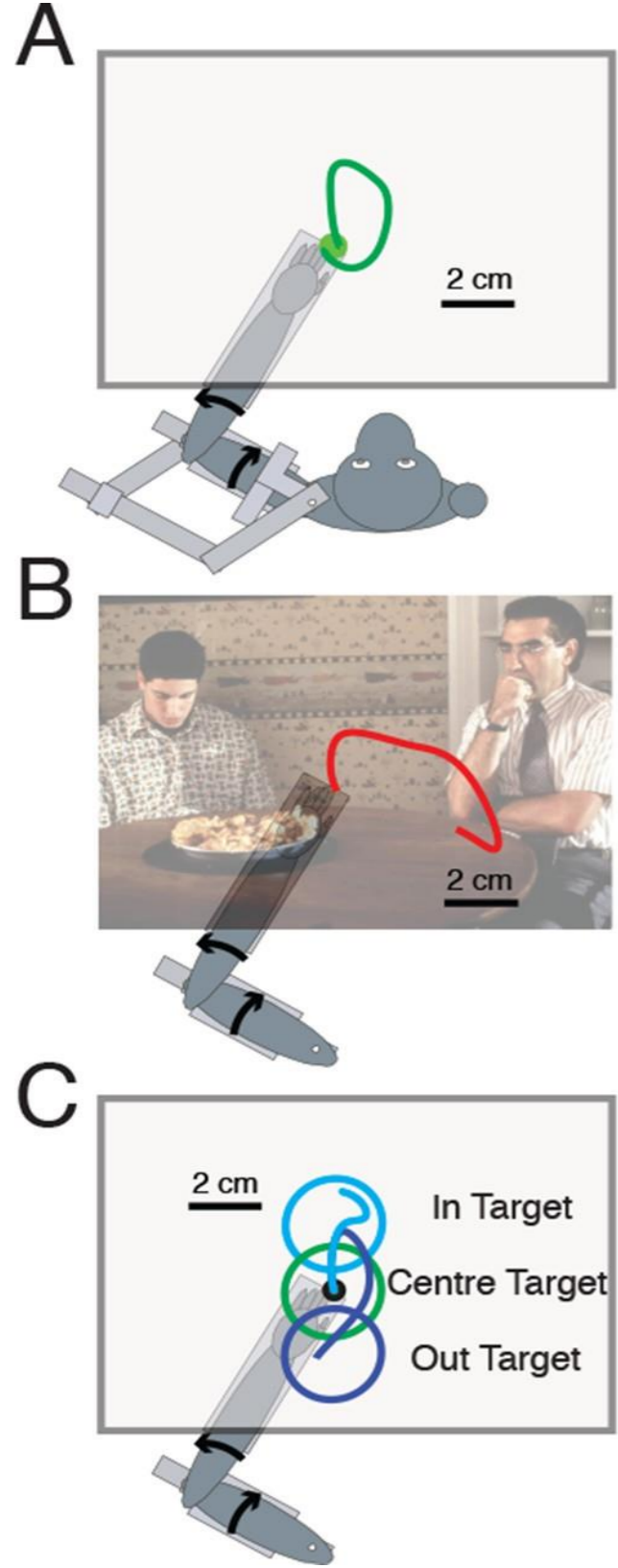
# Brain receives large amount of sensory projections



Difficult to interpret how the brain motor areas can have a simpler role in online movement control when it receives very dense sensory projections



# Cerebral EEG response to mechanical loads - supports a complex brain signal hypothesis



Different brain regions fire vigorously response to mechanical perturbations

This argues against a lesser involvement of cortical regions and hence against the equilibrium-point hypothesis

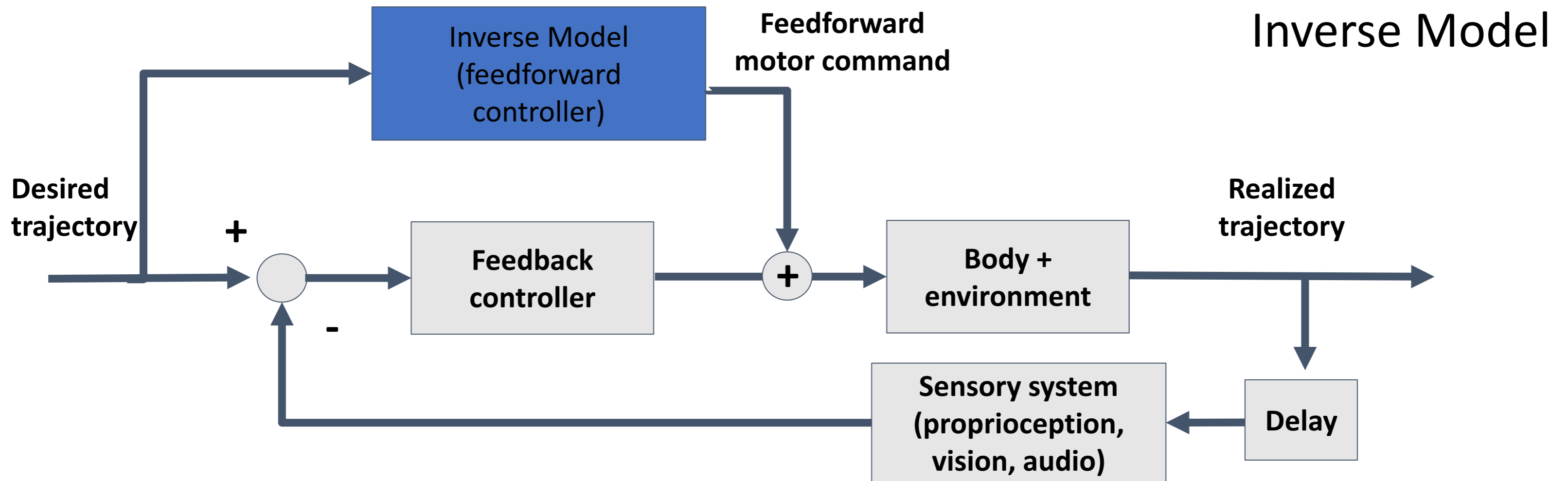
Some kind of internal model/estimation about the state of the body and the world must be actively helping online motor control



# Internal models can be used to deal with delays and disturbances

Two types of internal models

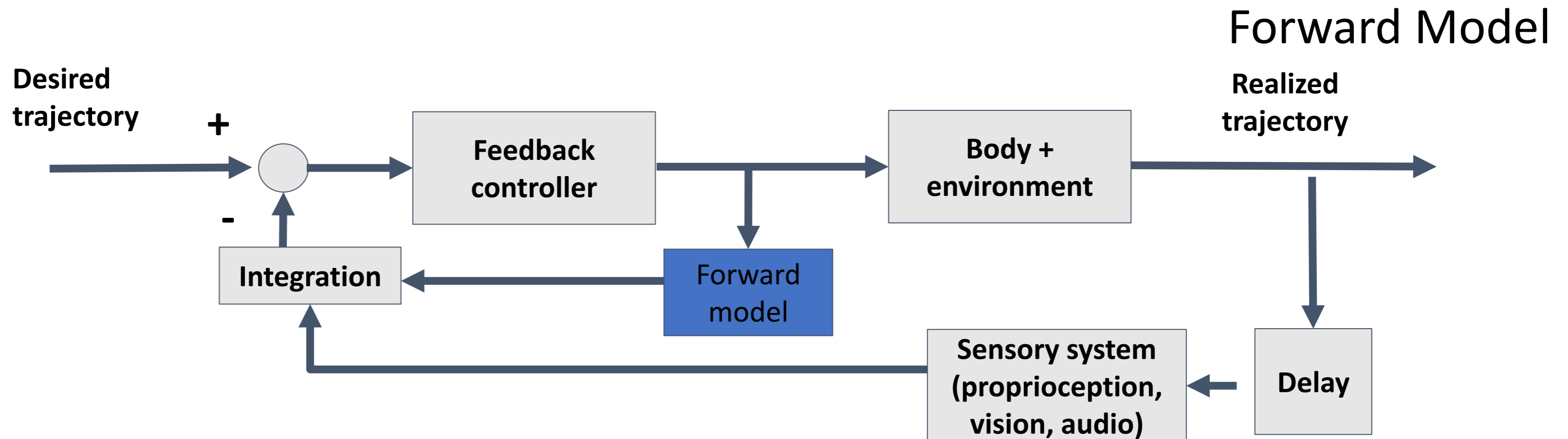
Inverse model – Takes the desired state trajectory as input and produces the muscle/motor commands that are necessary to move the body accordingly



# Internal models can be used to deal with delays and disturbances

## Two types of internal models

Forward model – takes the copy of muscle commands that the body receives from motor centres as input and generates the prediction of the current/future state of the body



# Internal models can be used to deal with delays and disturbances

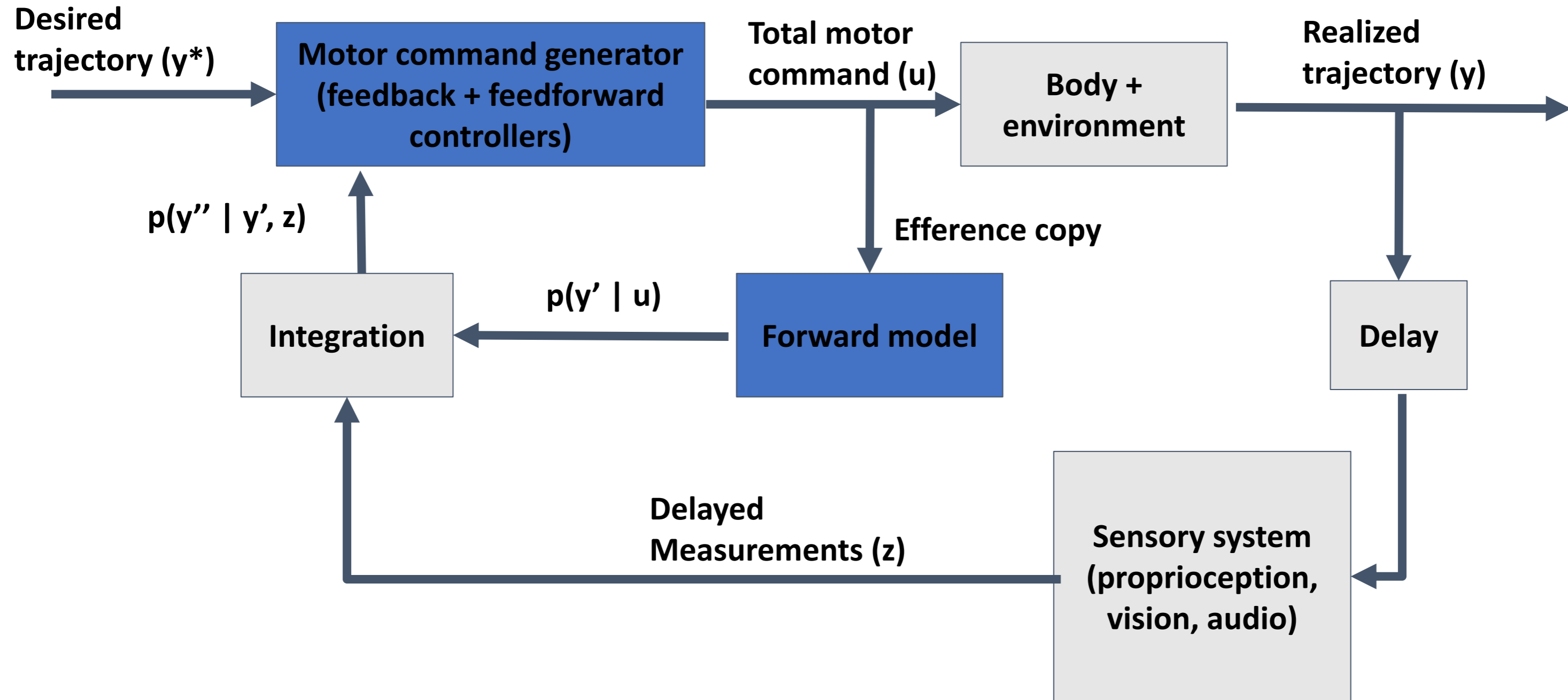
Two types of internal models

Forward model

Inverse model

Further, an **integrator** region should continuously integrate the predictions of the internal models with the respective delayed sensory feedback and produce an estimate of the most likely body state.

# The summary of sensorimotor control with delays and variability

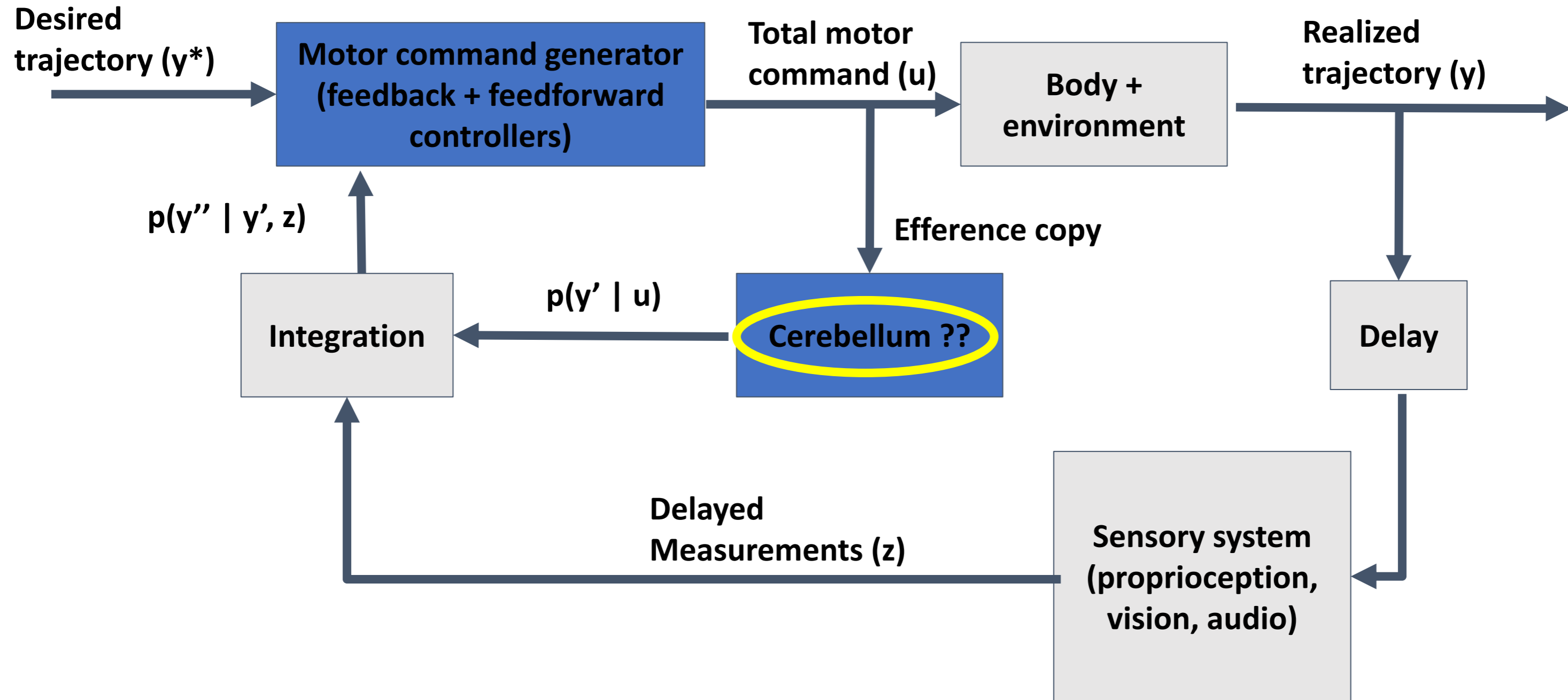


$p(y' | u)$  - likelihood/internal-belief of the original state 'y'

$p(y'' | y', z)$  - posterior estimate of the original state 'y'

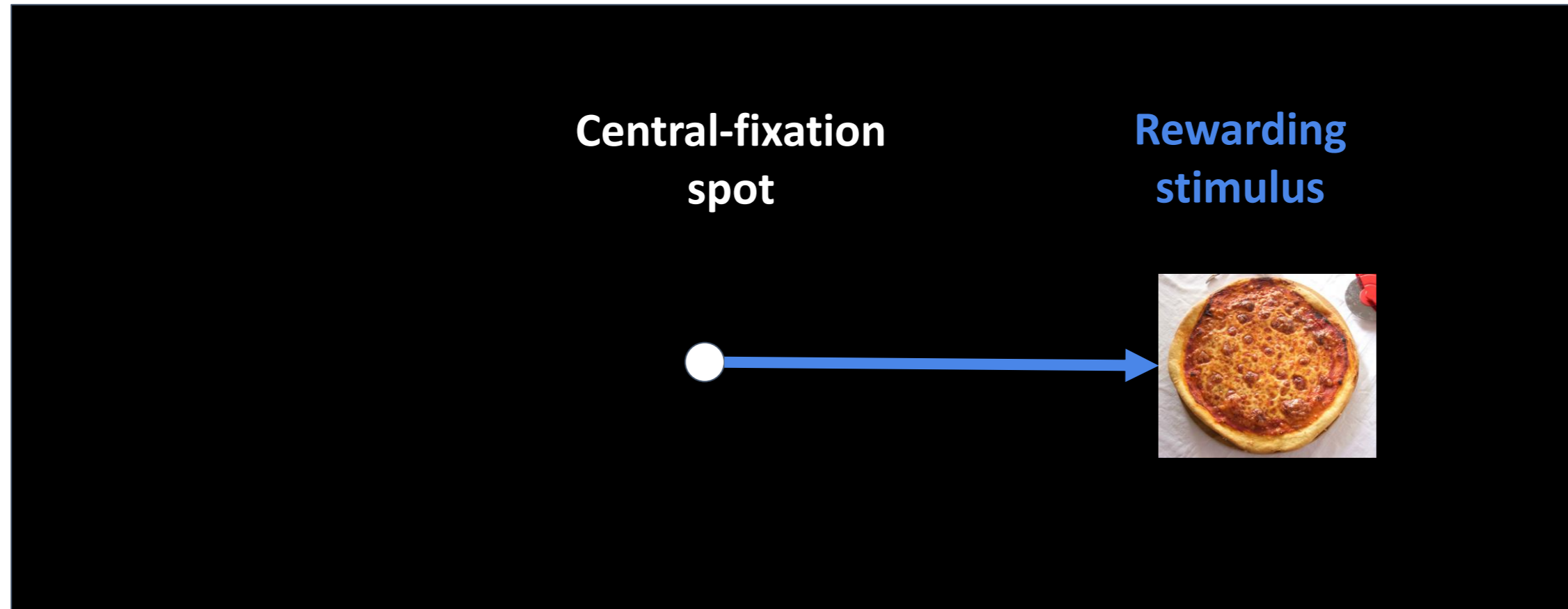


# The summary of neural sensorimotor control



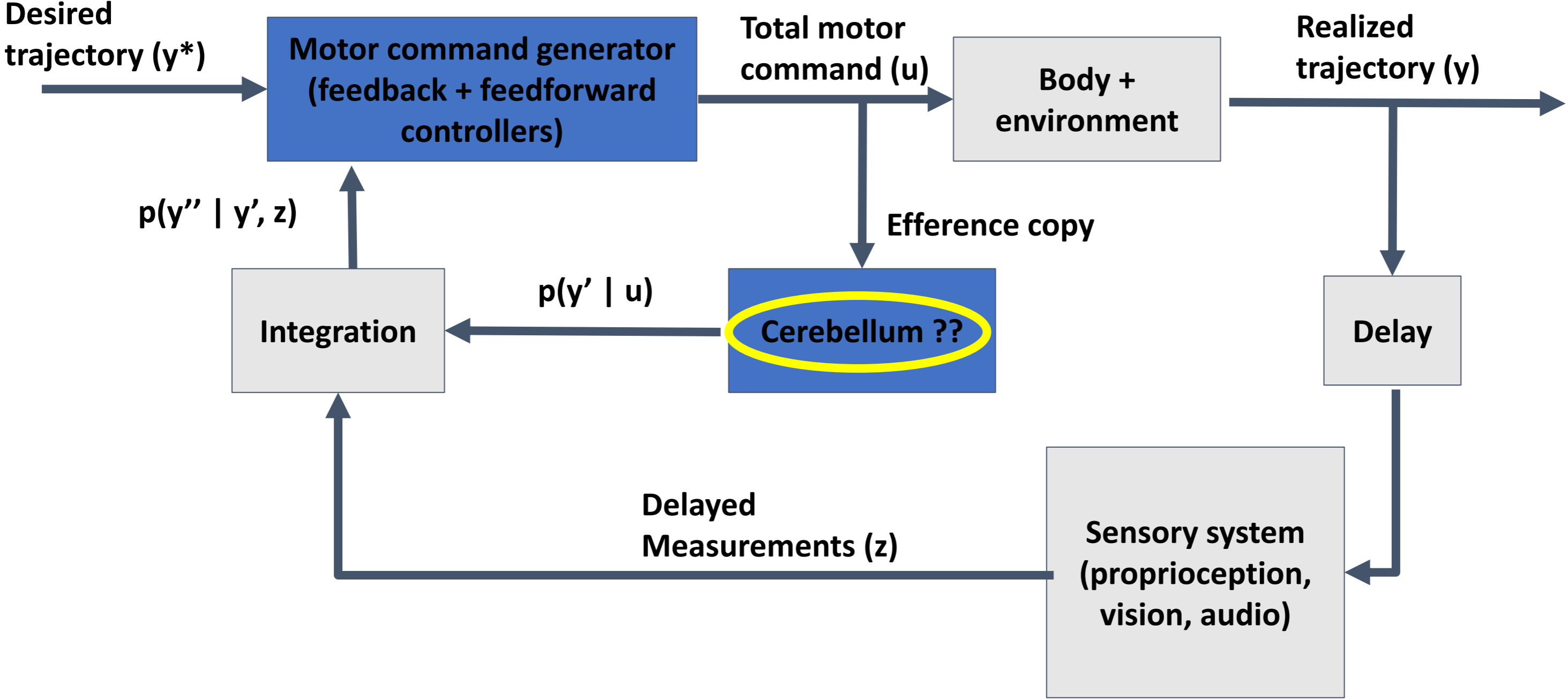
The brain region that houses internal models should display 1. movement prediction and 2. plasticity

# Evidence of cerebellum as forward model – saccadic eye movements

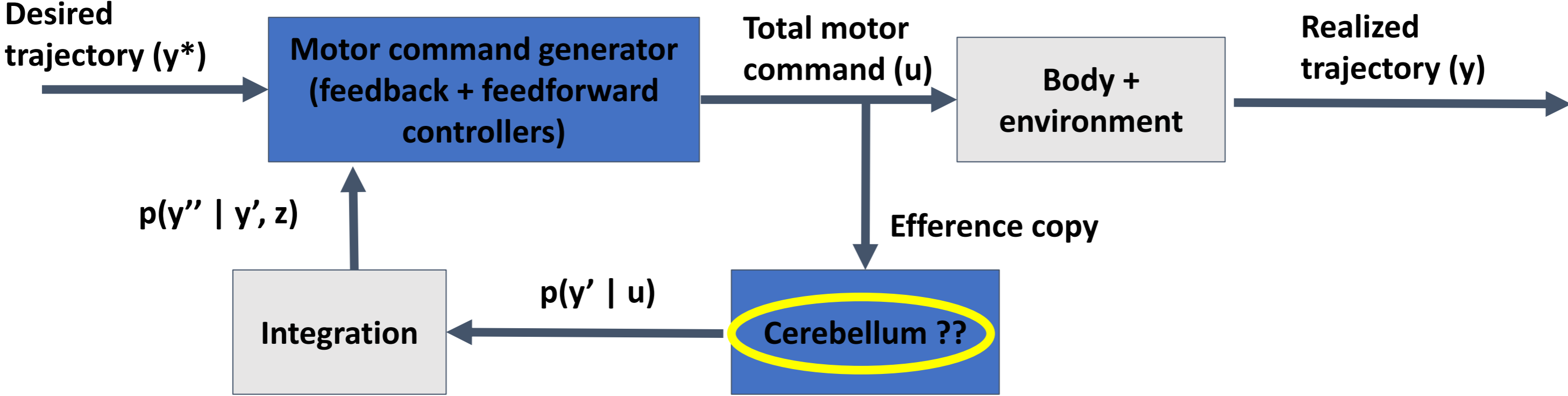


- Saccades are ballistic eye movements that can reach speeds 500-1000 deg/sec, and take place within 20-200 milli-seconds
- Sensory feedback is completely absent during the movement

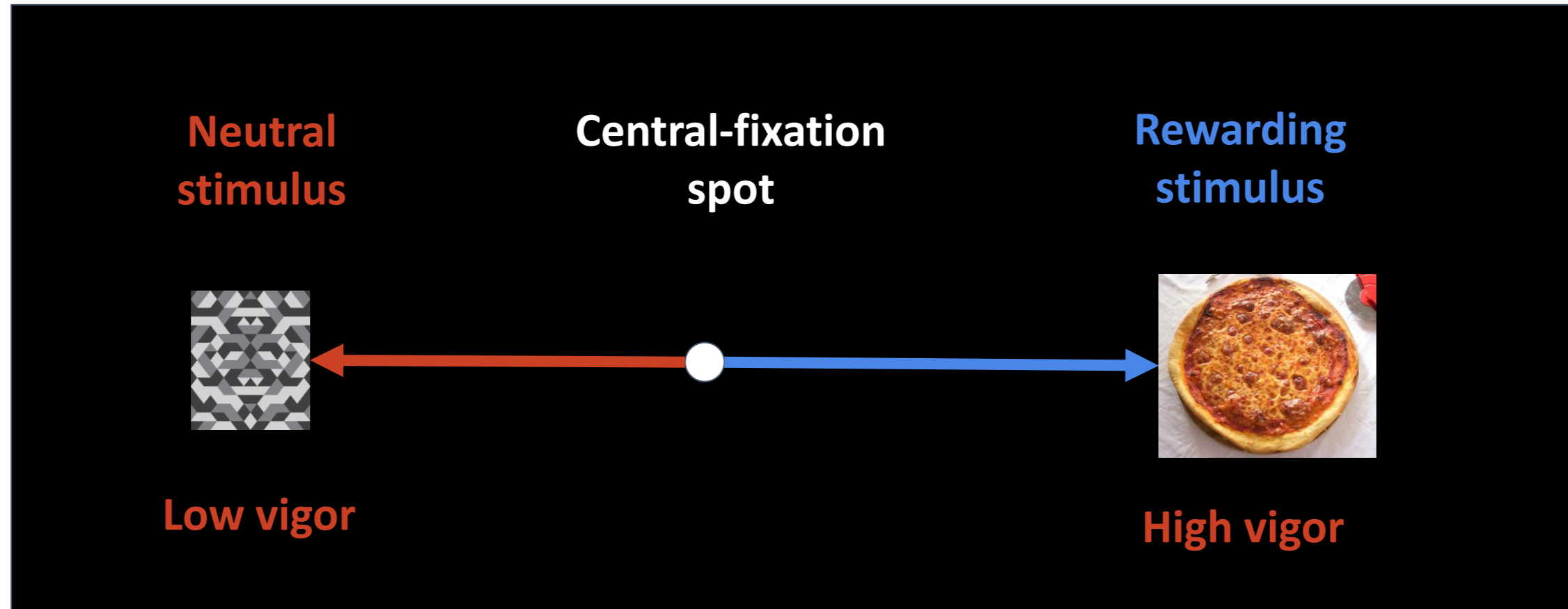
# Feedback effects can be neglected during saccades



# Feedback effects can be neglected during saccades



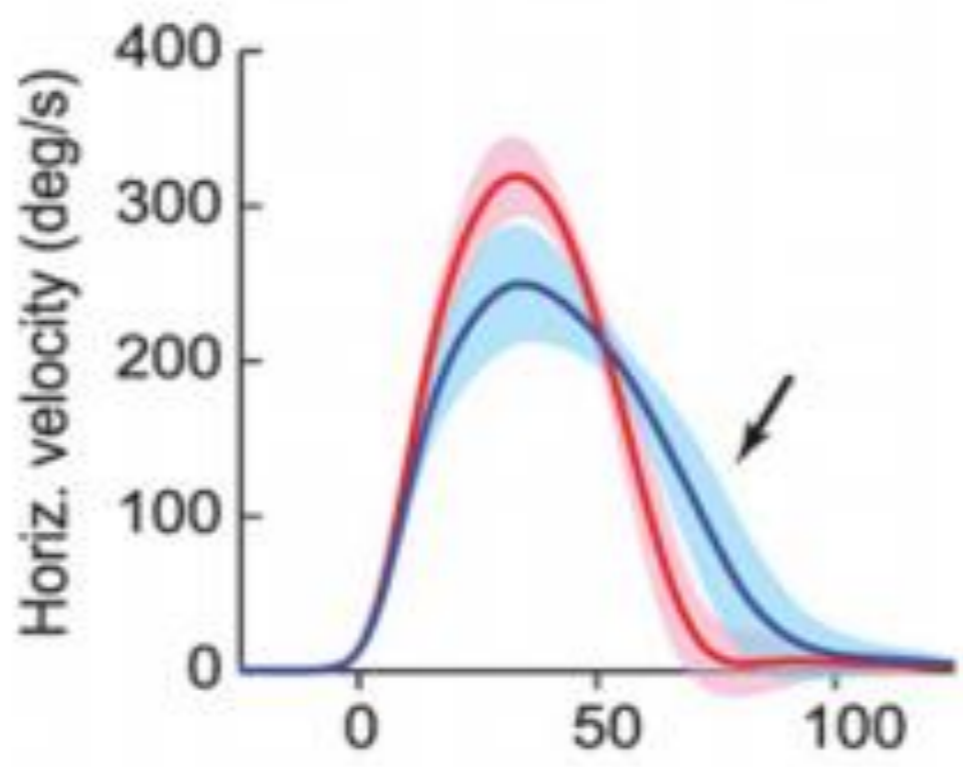
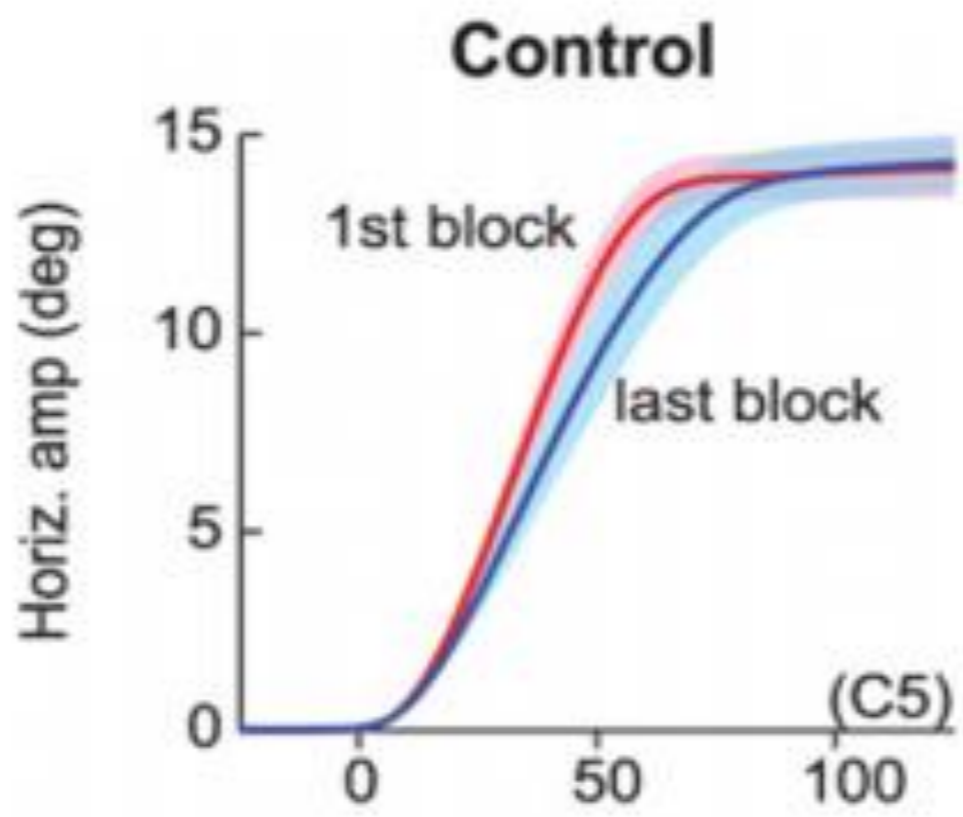
# Movements to similar distances are highly variable



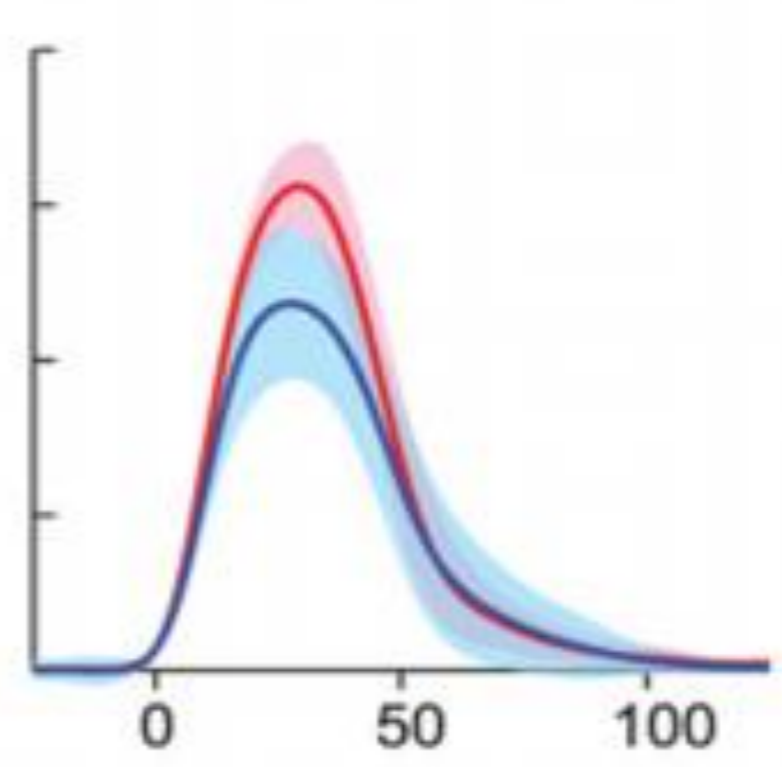
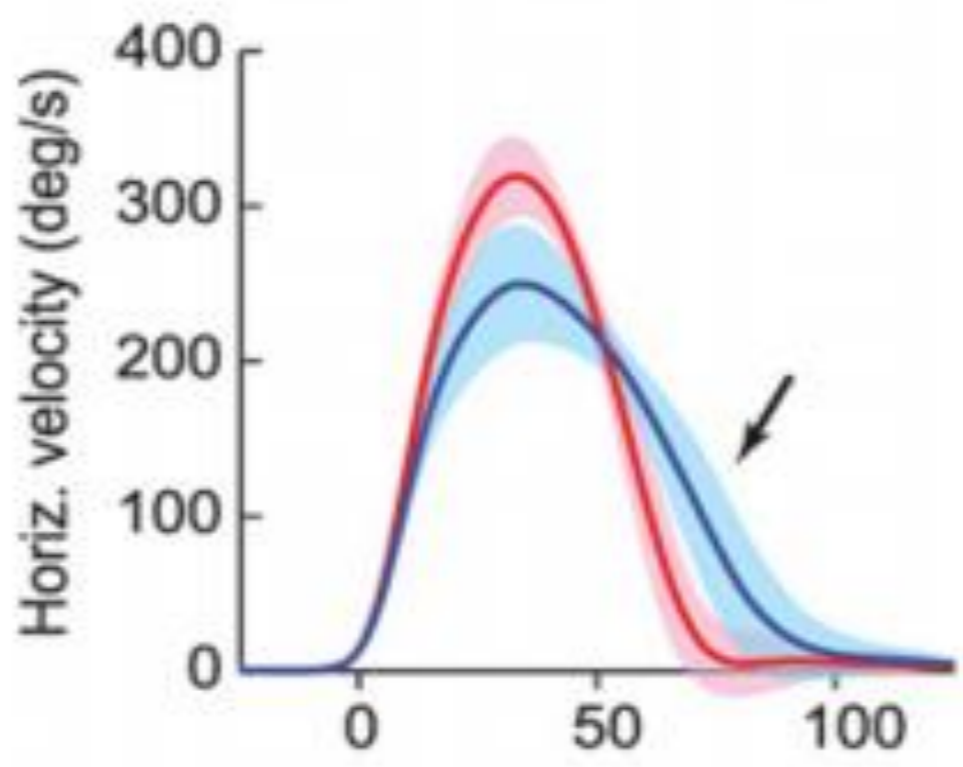
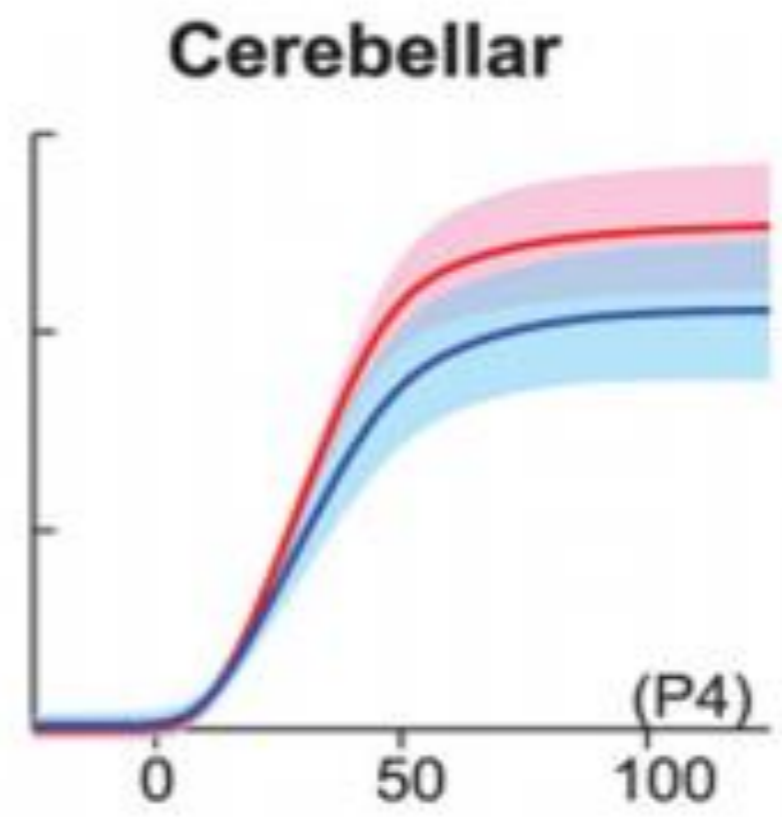
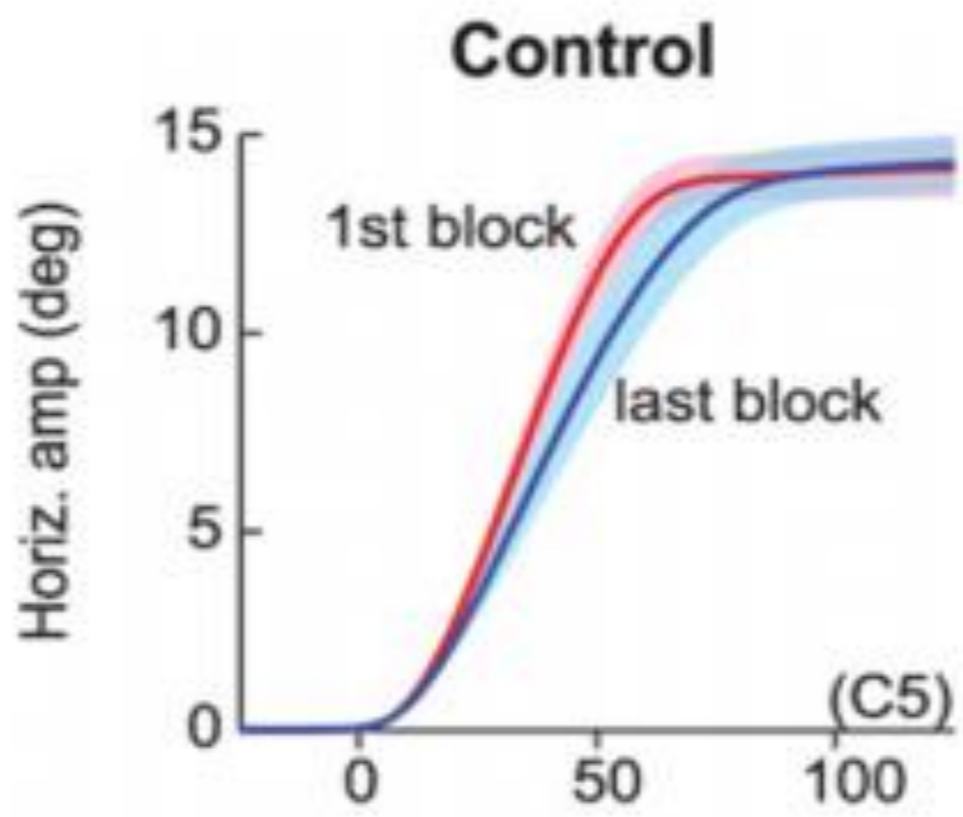
High vigor means low reaction-time and high velocity, which indicates a high motivation to reach the target



# Brain lesion studies / abnormalities

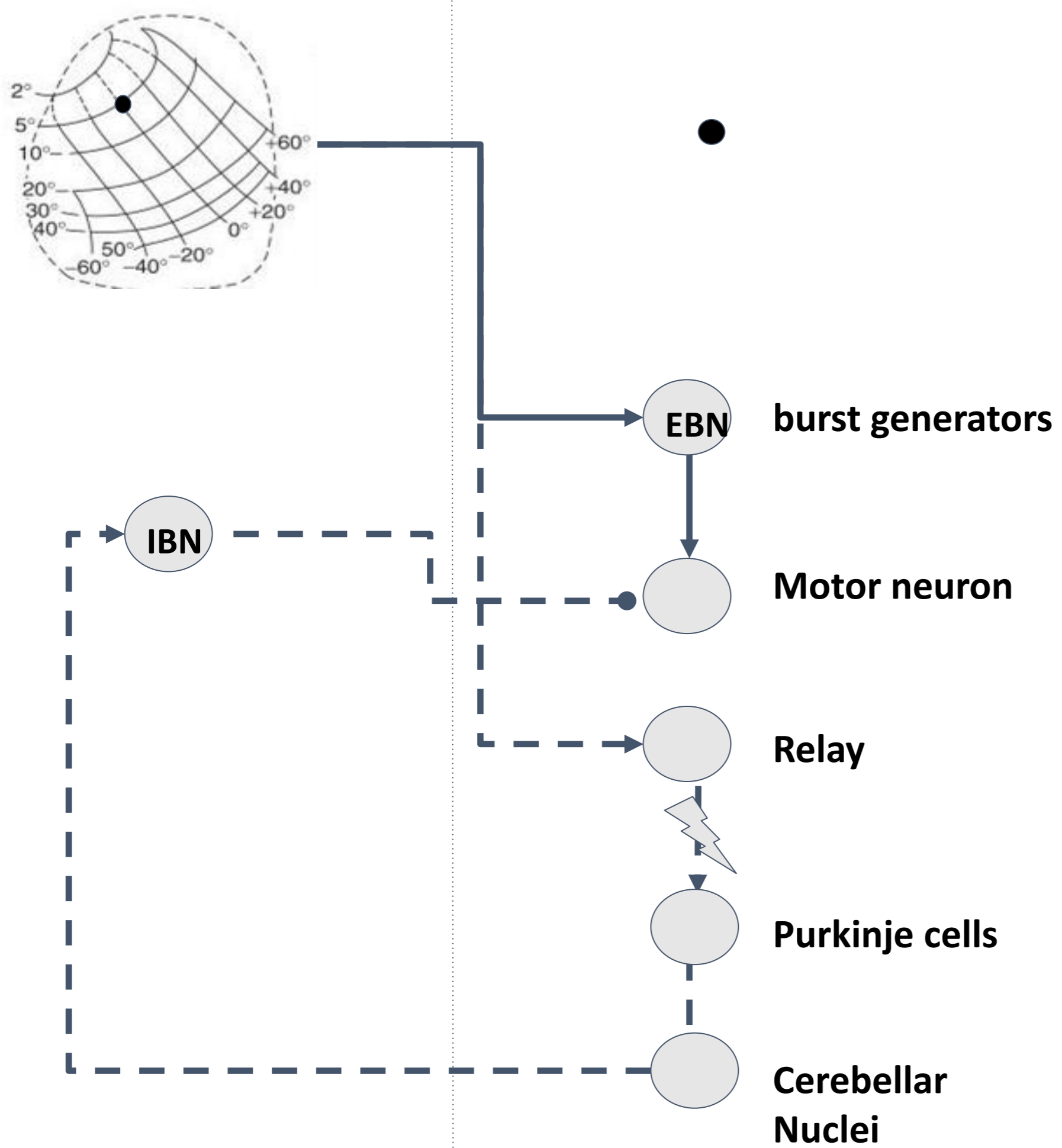


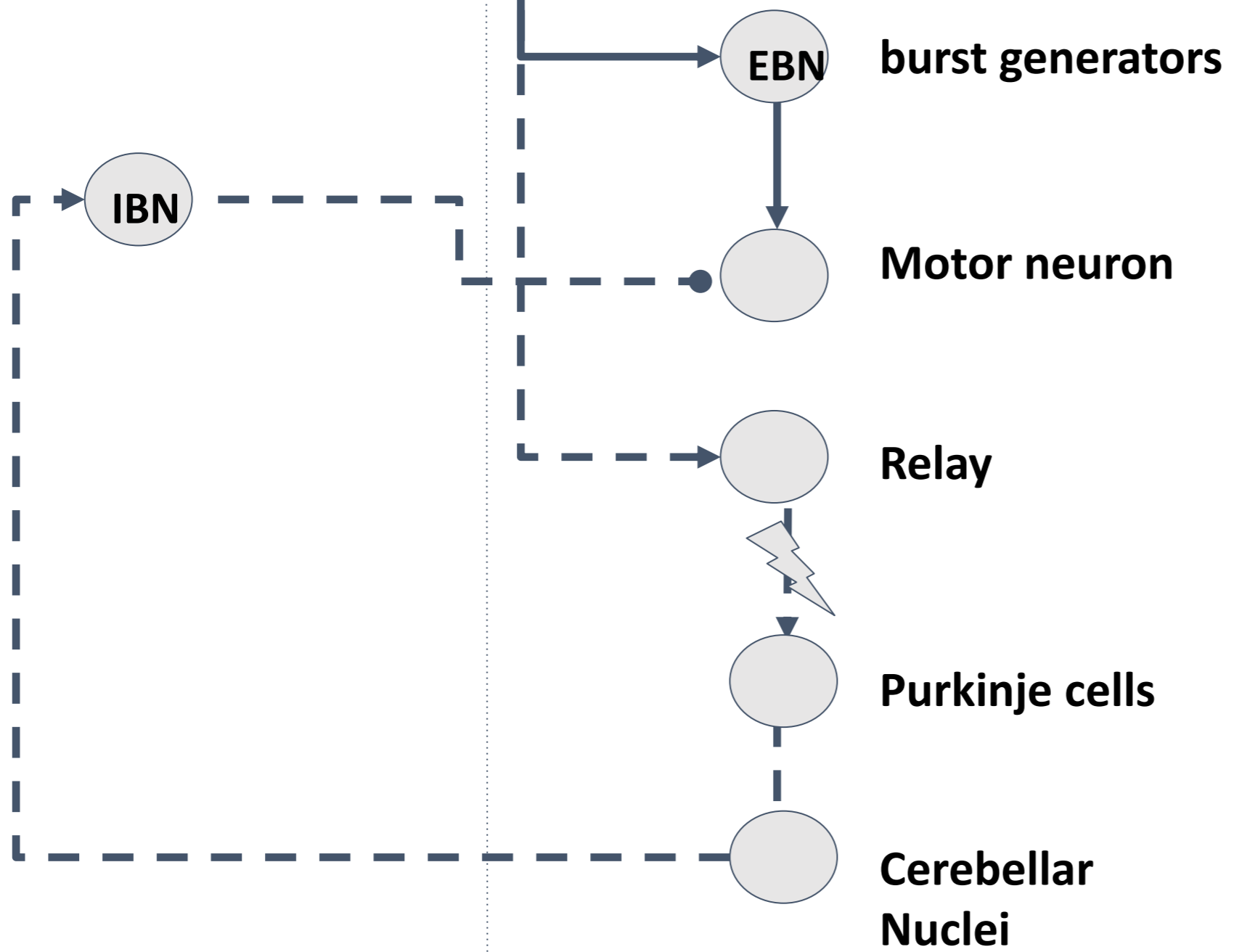
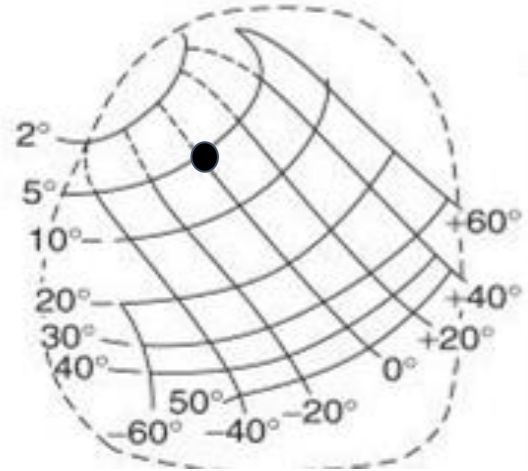
# Brain lesion studies / abnormalities

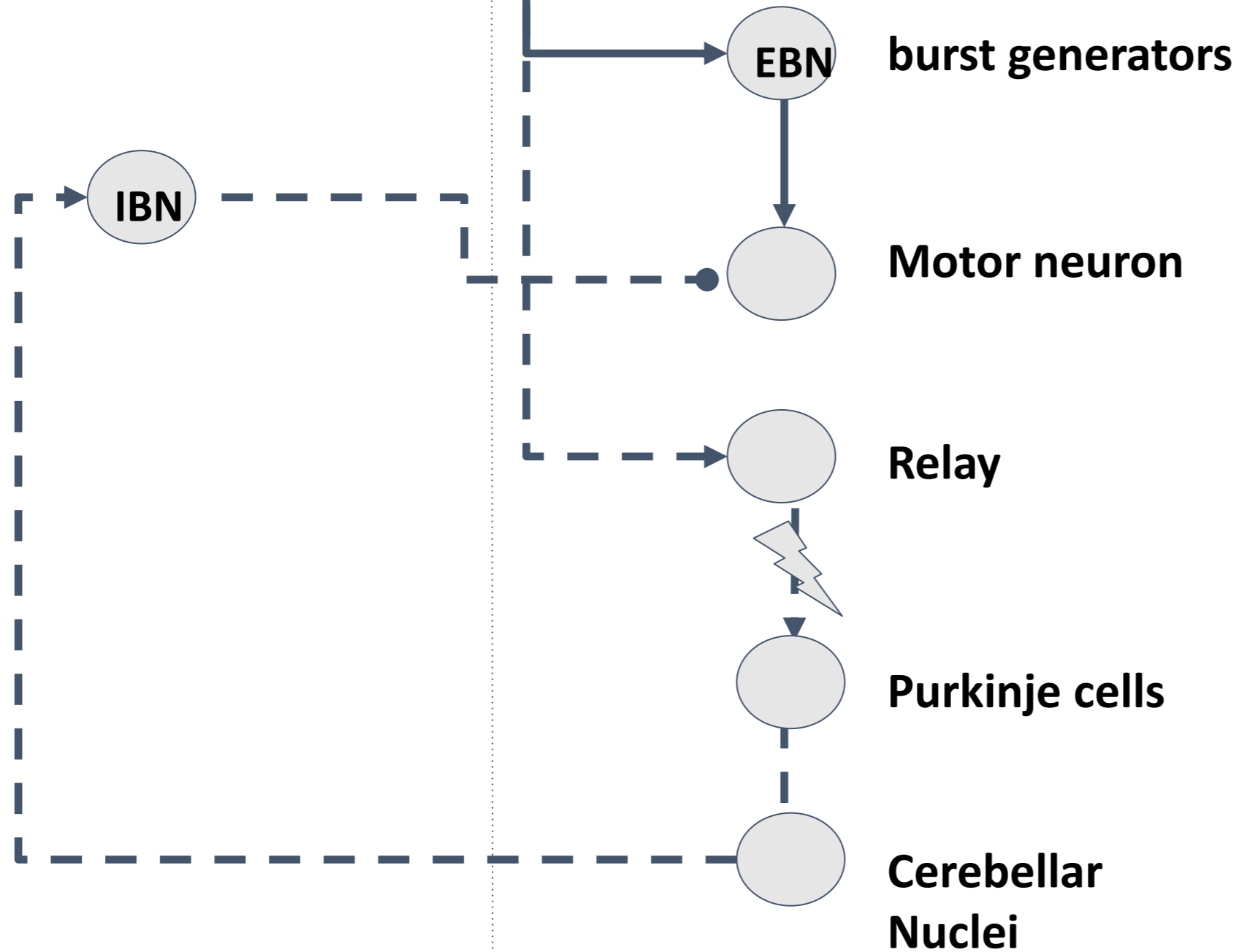
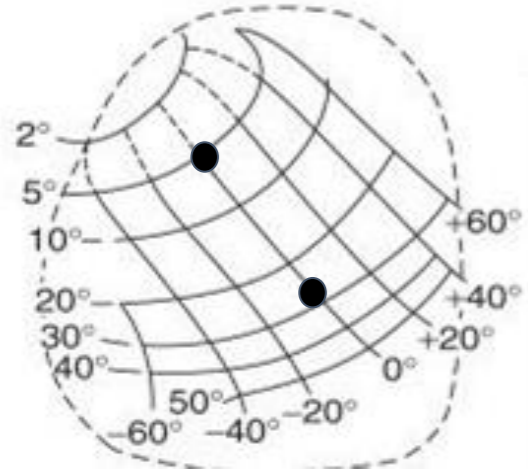


# Summary

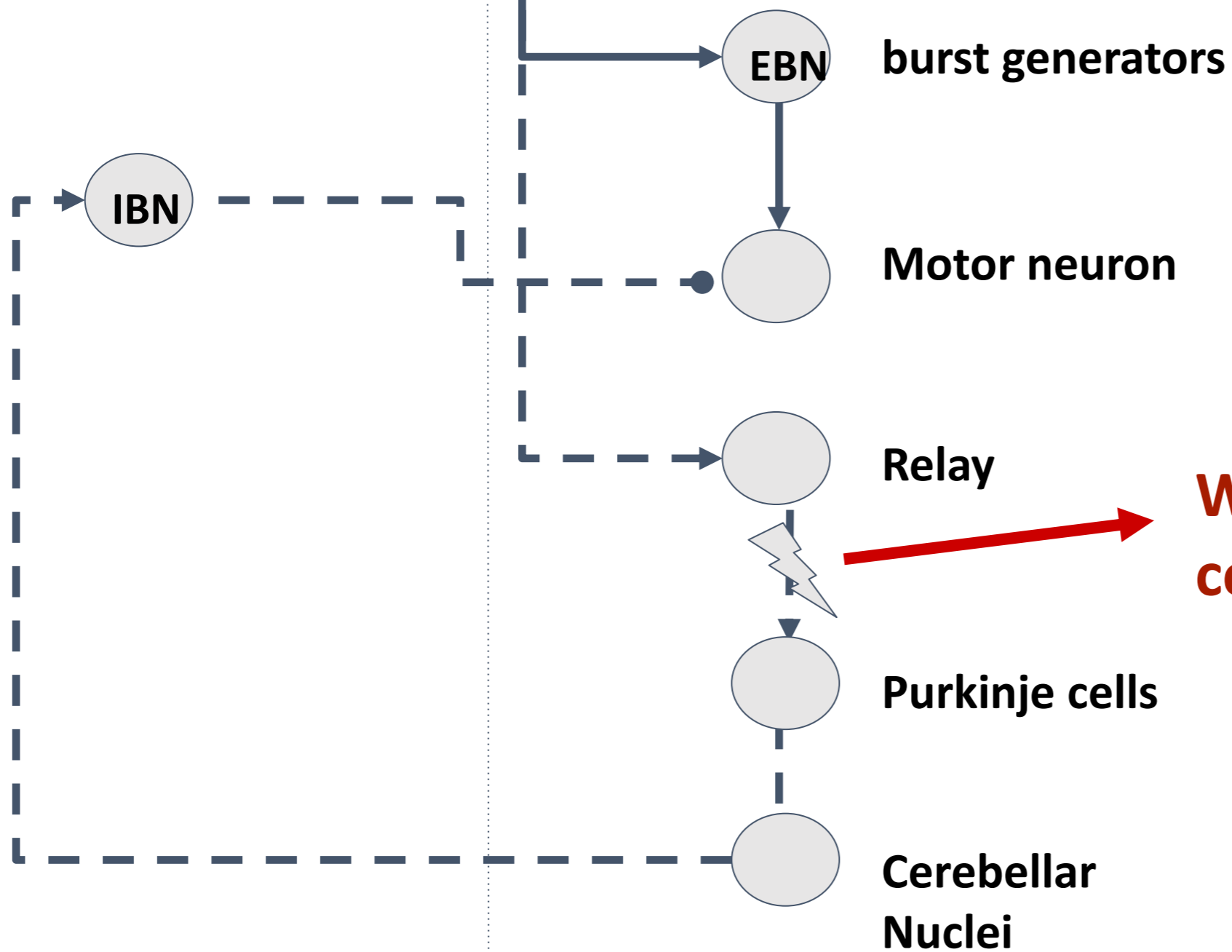
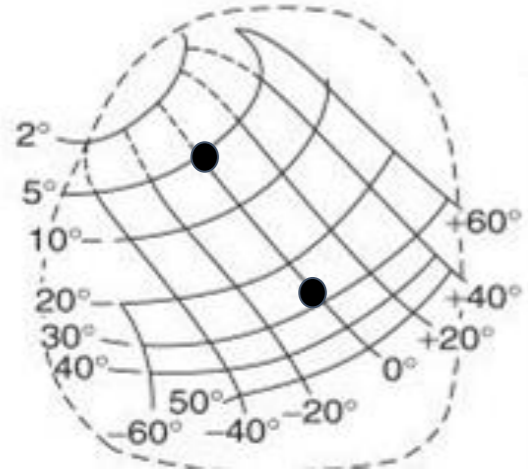
- Saccades are faster to more valuable stimuli
- Stimulus value acts as a source of variability during saccades
- In cerebellar patients the value-induced variability in the motor commands is poorly compensated





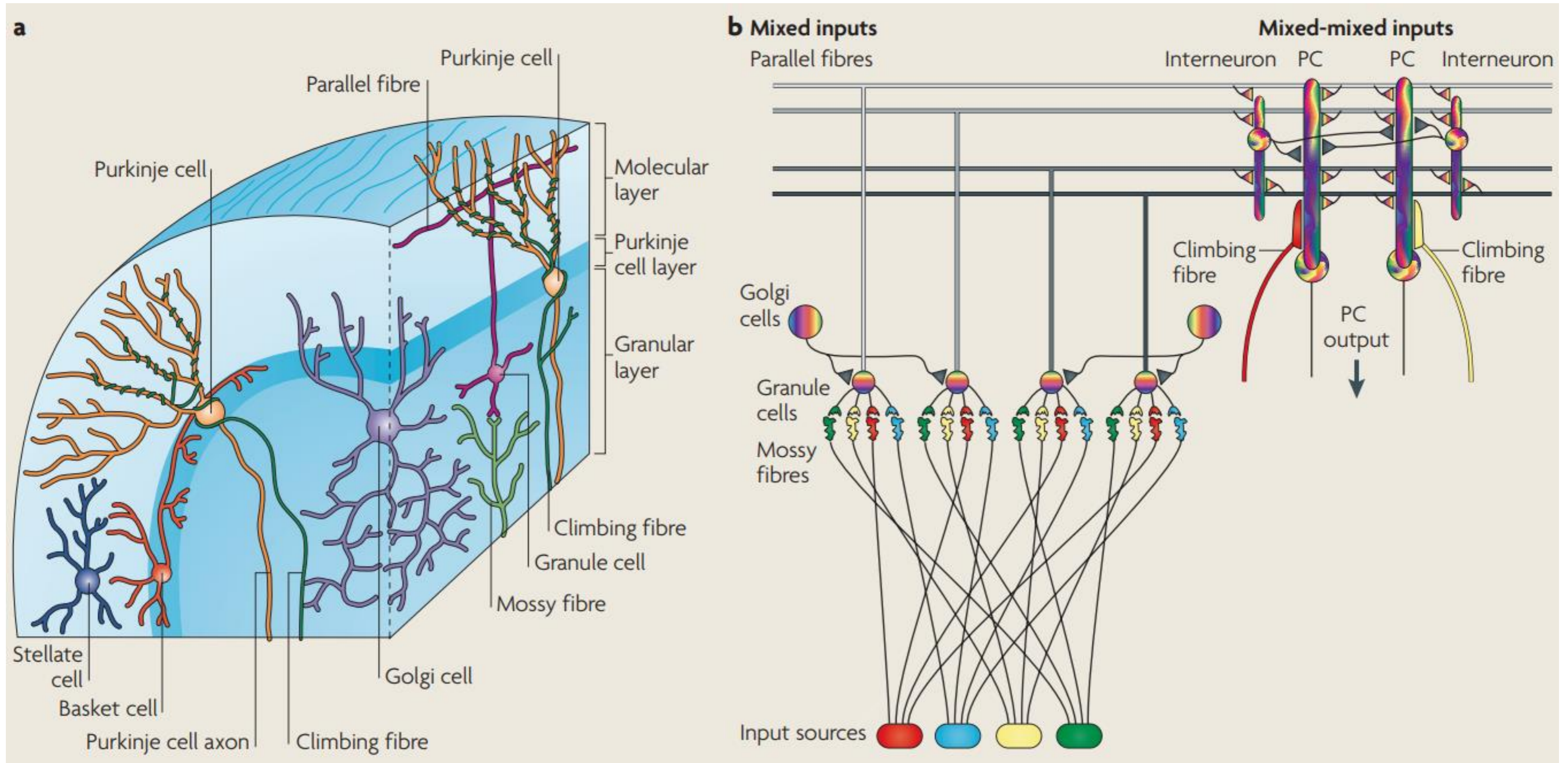






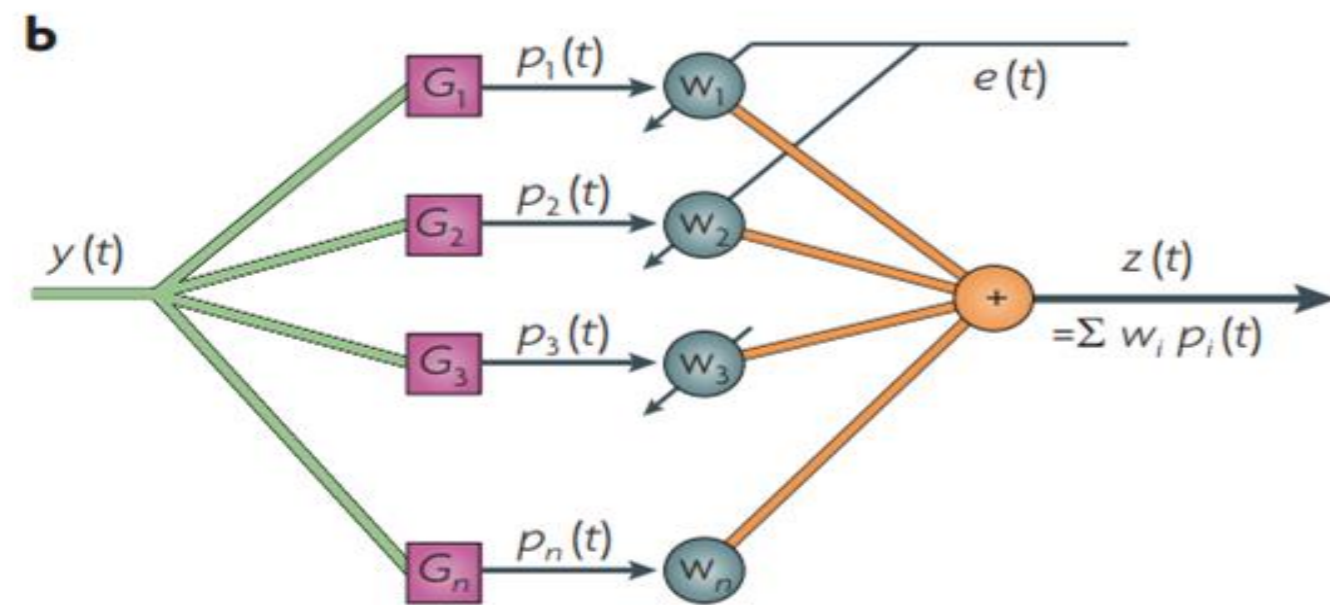
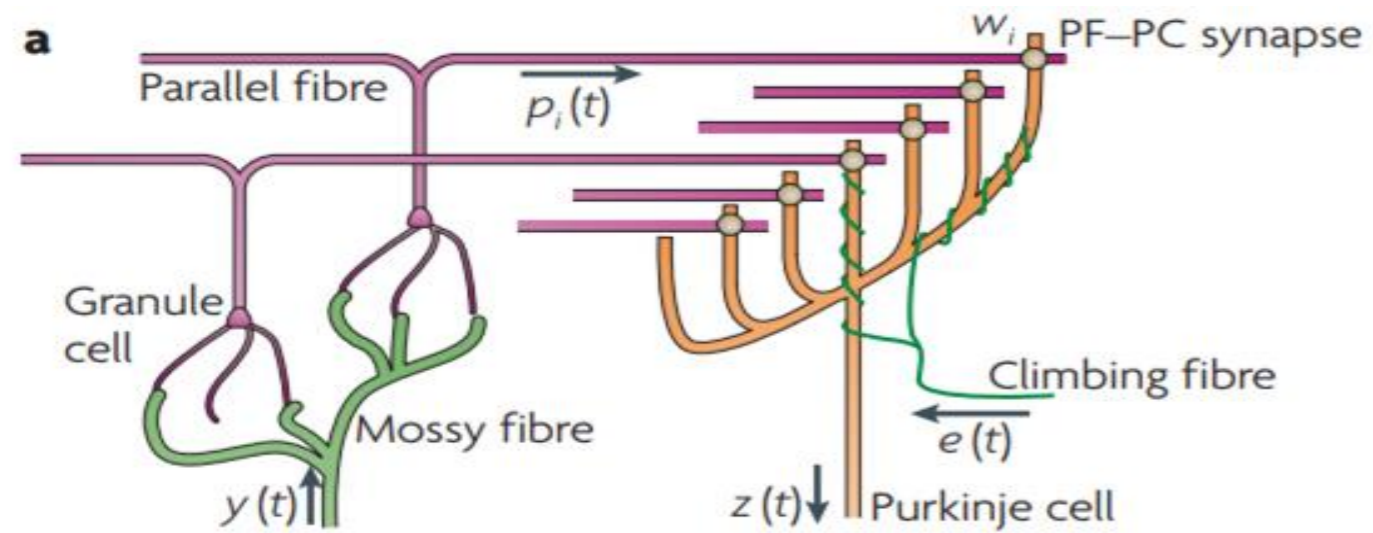
**What is cerebellum computing?**

# The computational circuit of cerebellum





# The computational circuit of cerebellum - adaptive filter approximation



## Organization

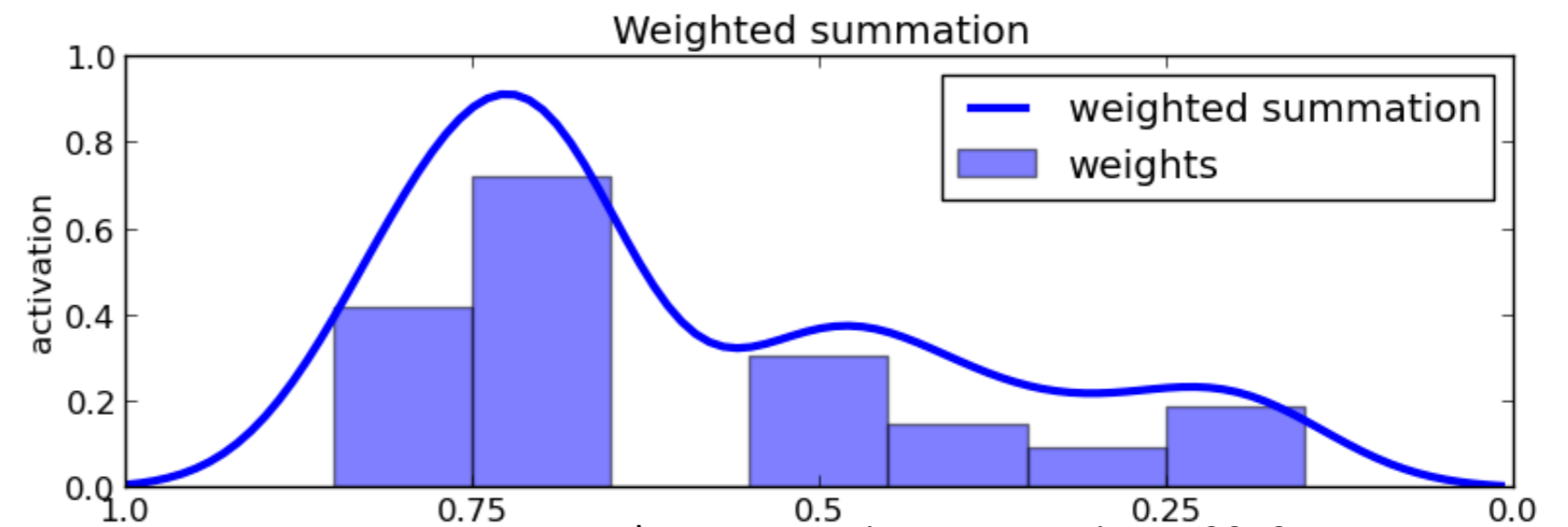
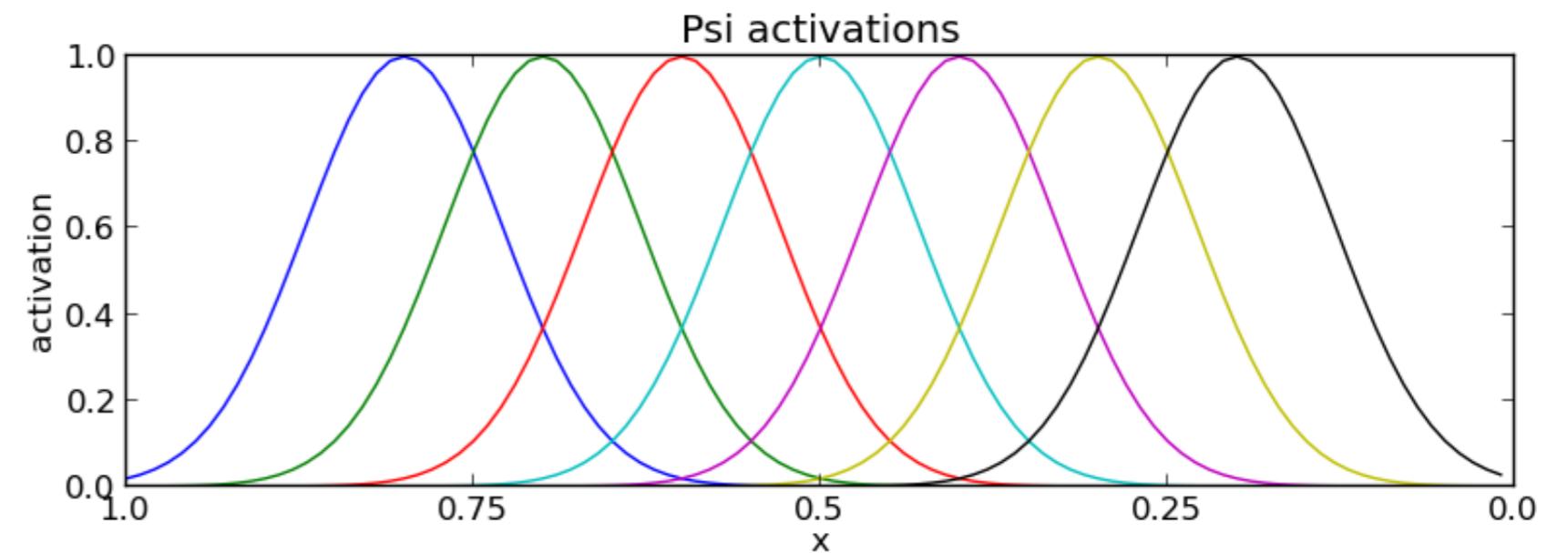
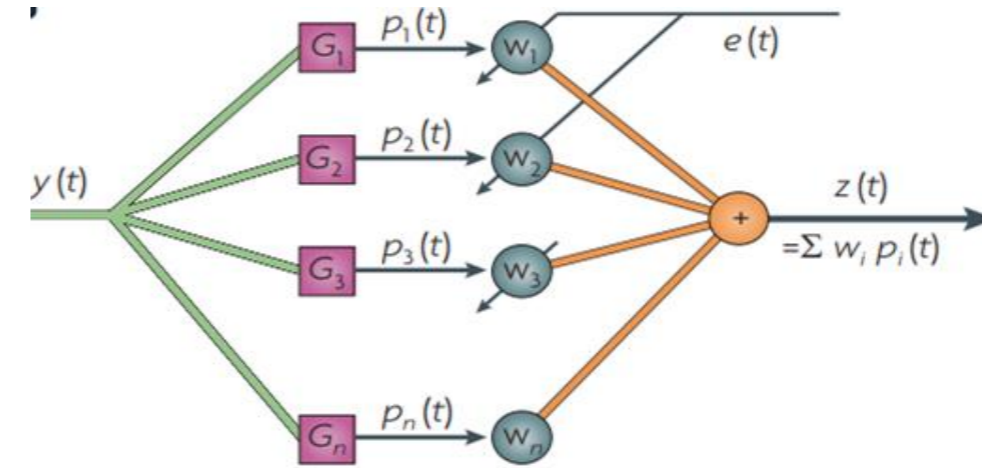
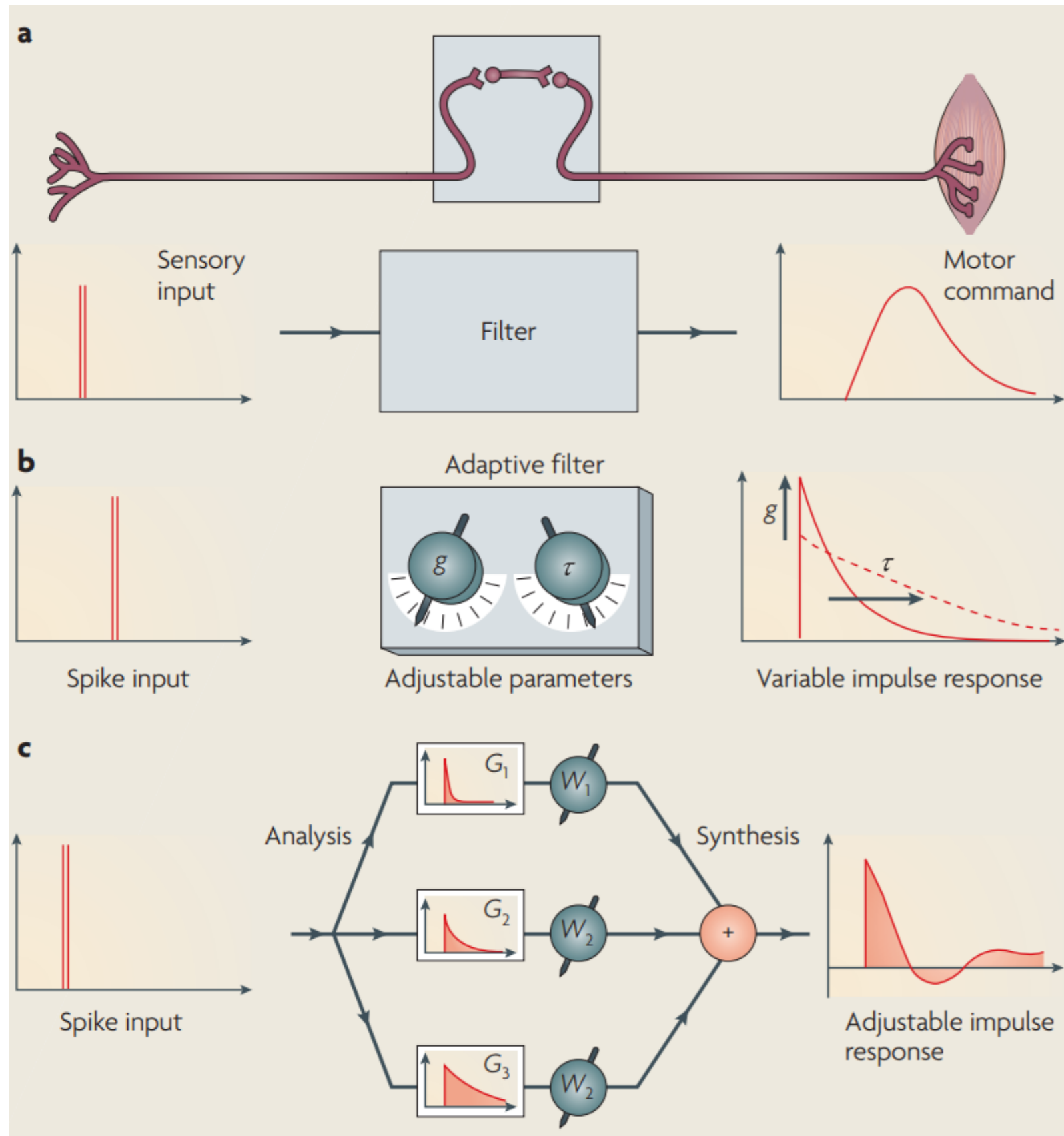
Repetitive crystal like

## Operation

1. Receives input information 'y(t)'
2. Generates a high-dimensional representation  $p(t) = G * y(t)$
3. Produces a purkinje cell output  $z(t) = w * p(t)$

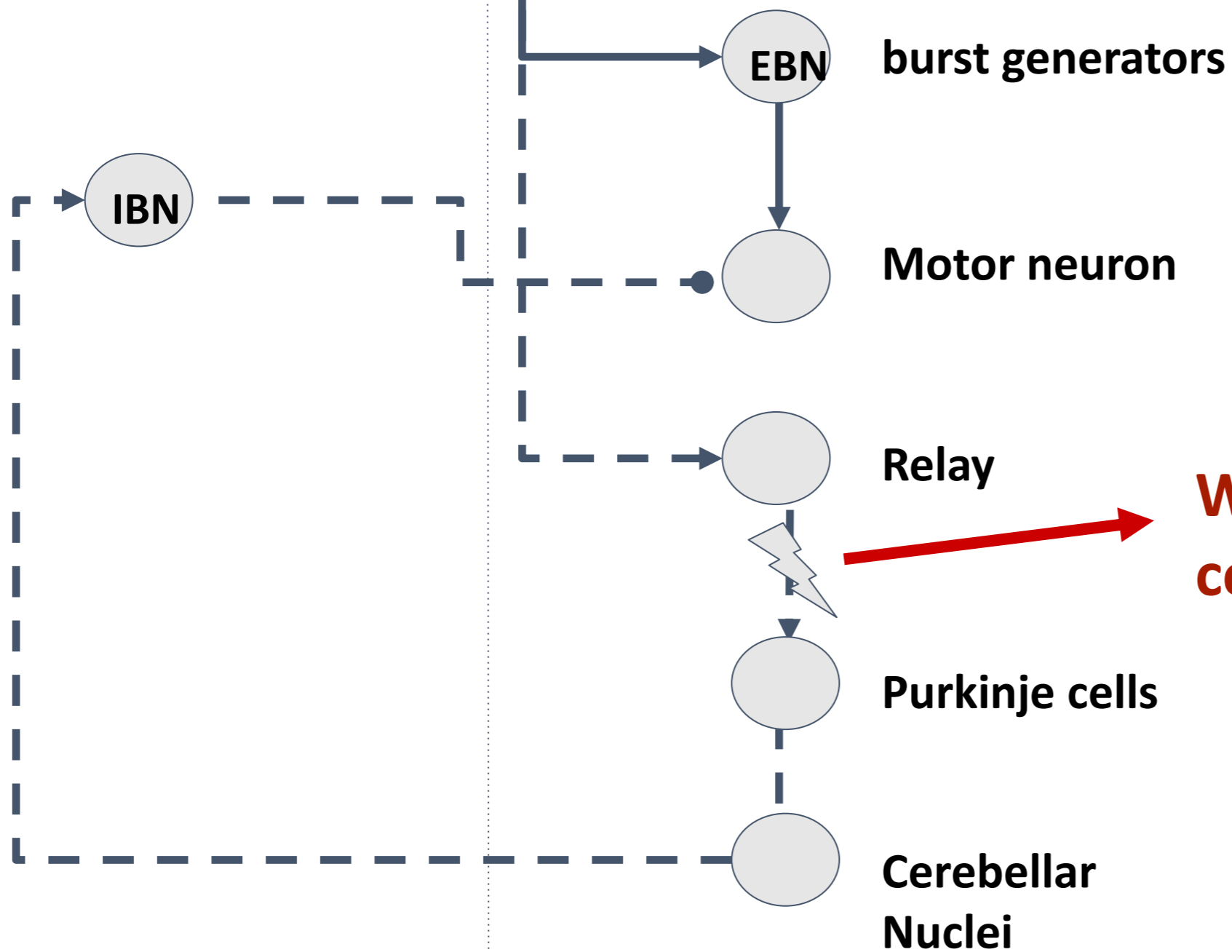
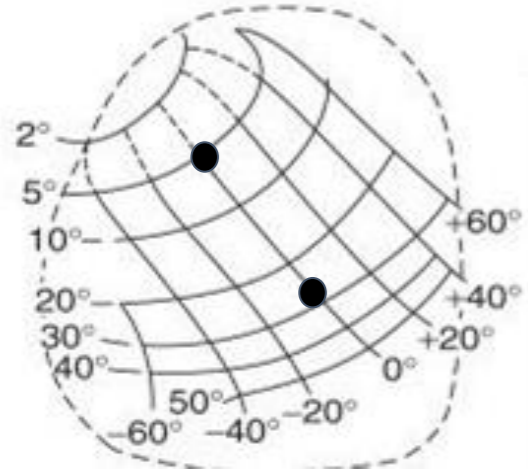
How is the output adjusted to produce desired response??

# The computational circuit of cerebellum - adaptive filter



P.Dean et al., Nature reviews neuroscience 2010

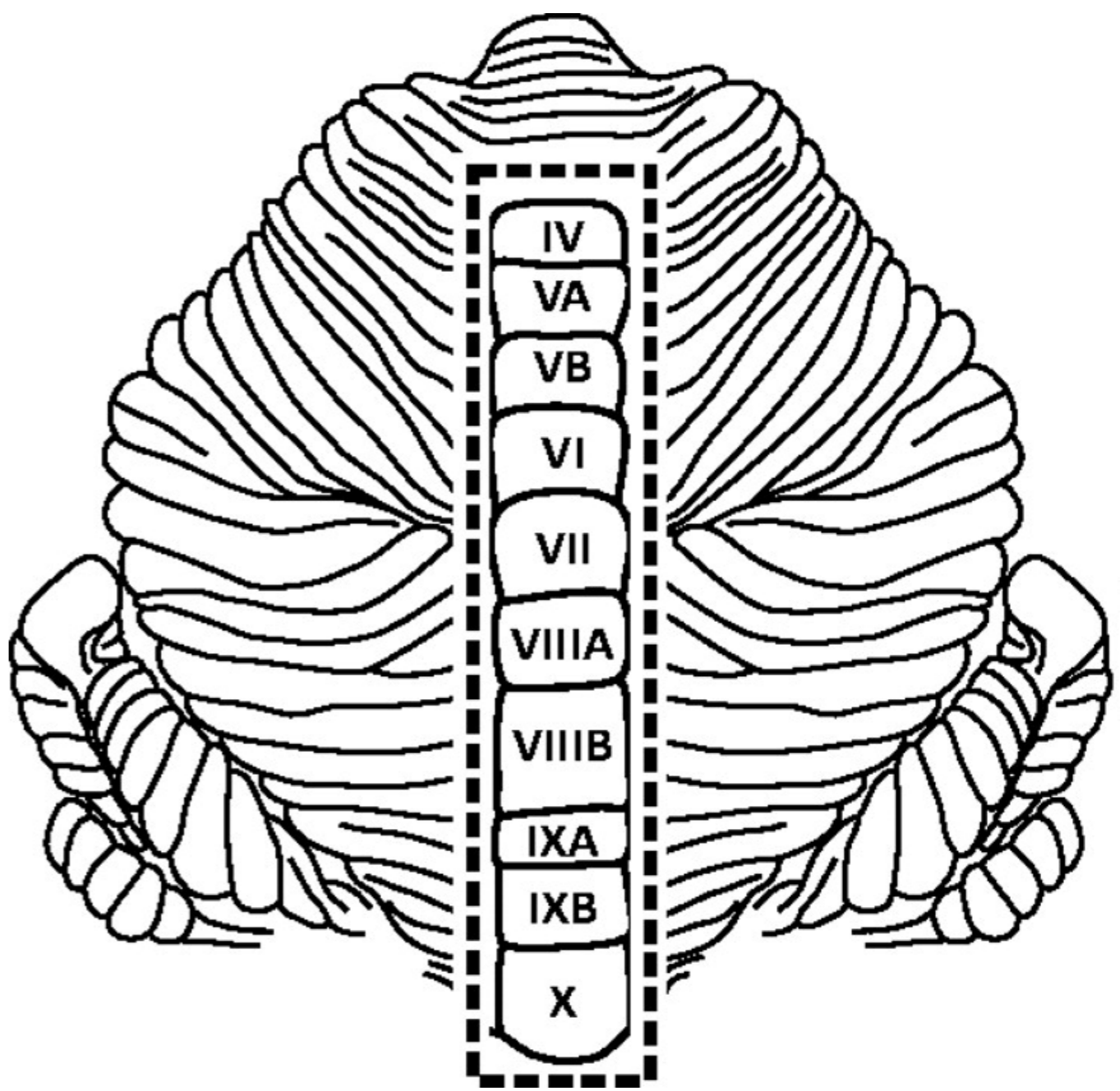
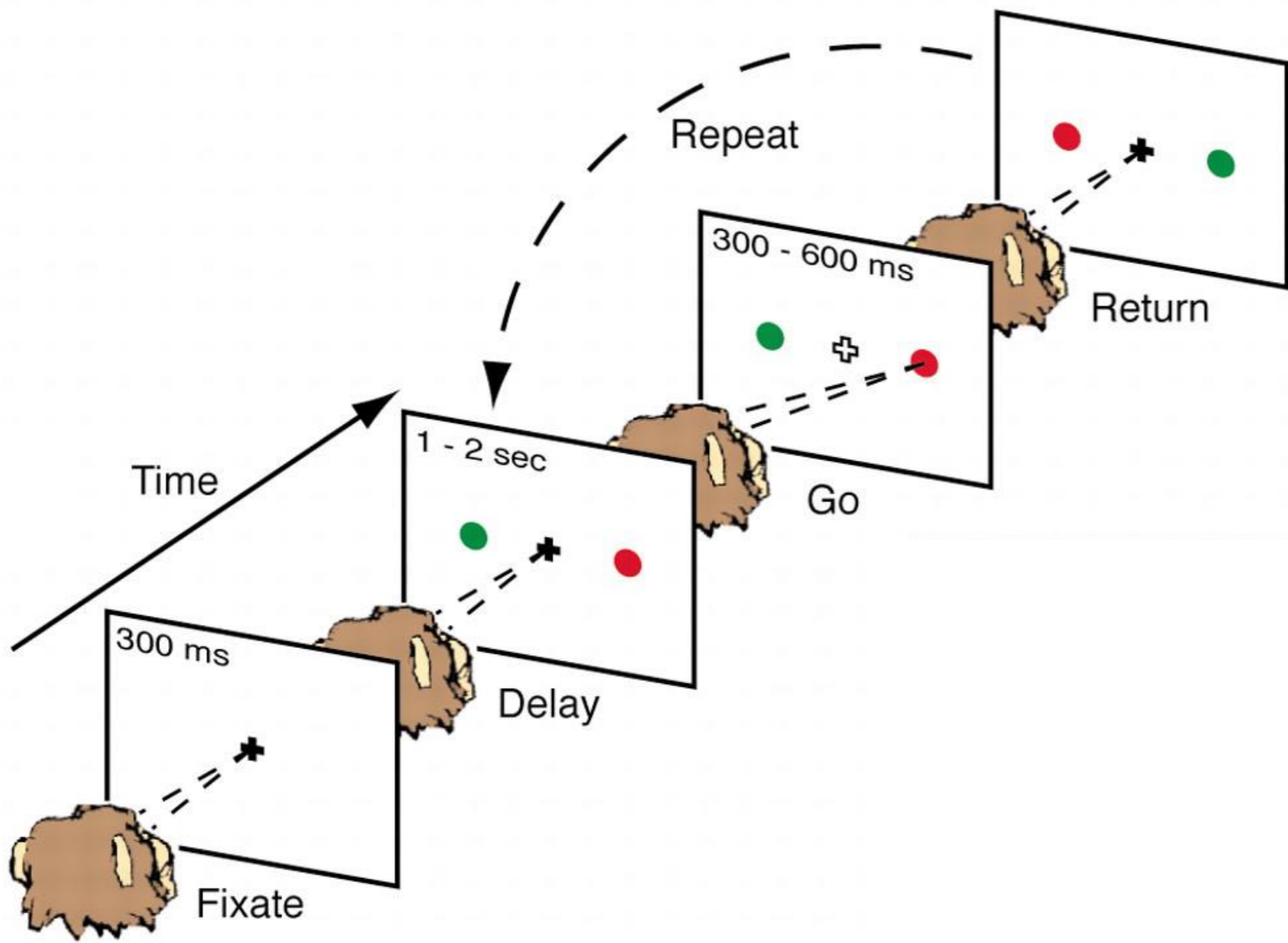
StudyWolf blog



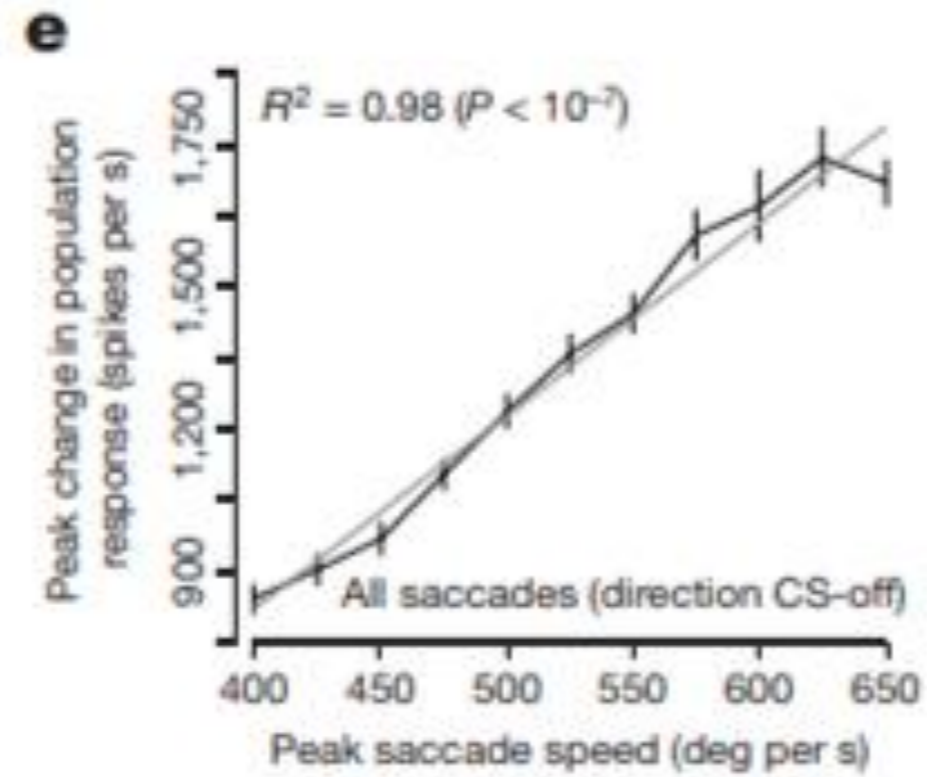
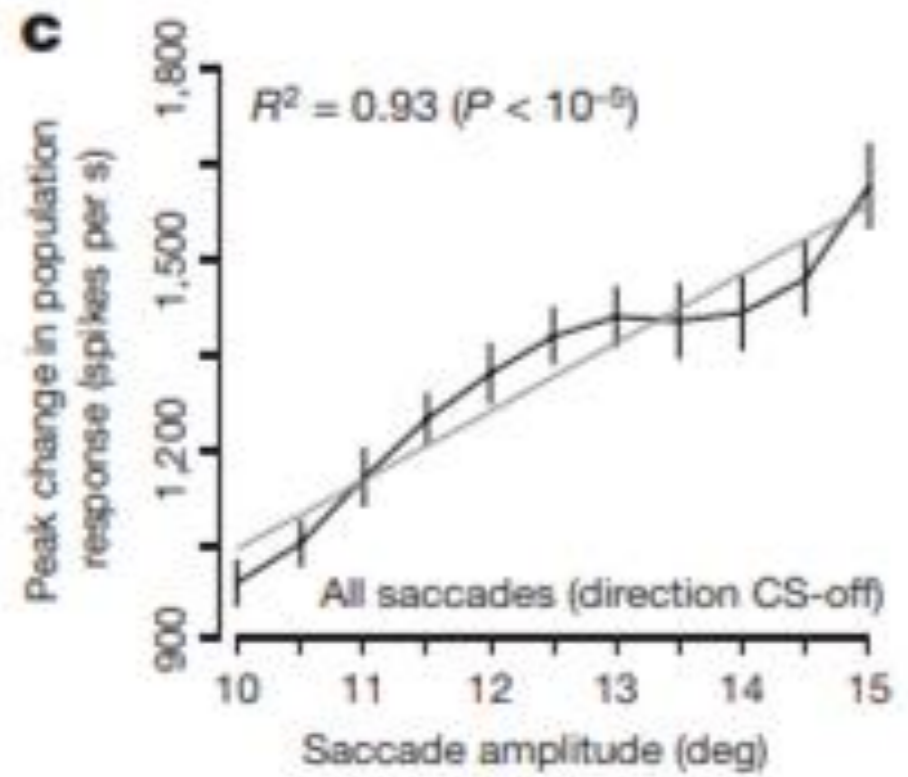
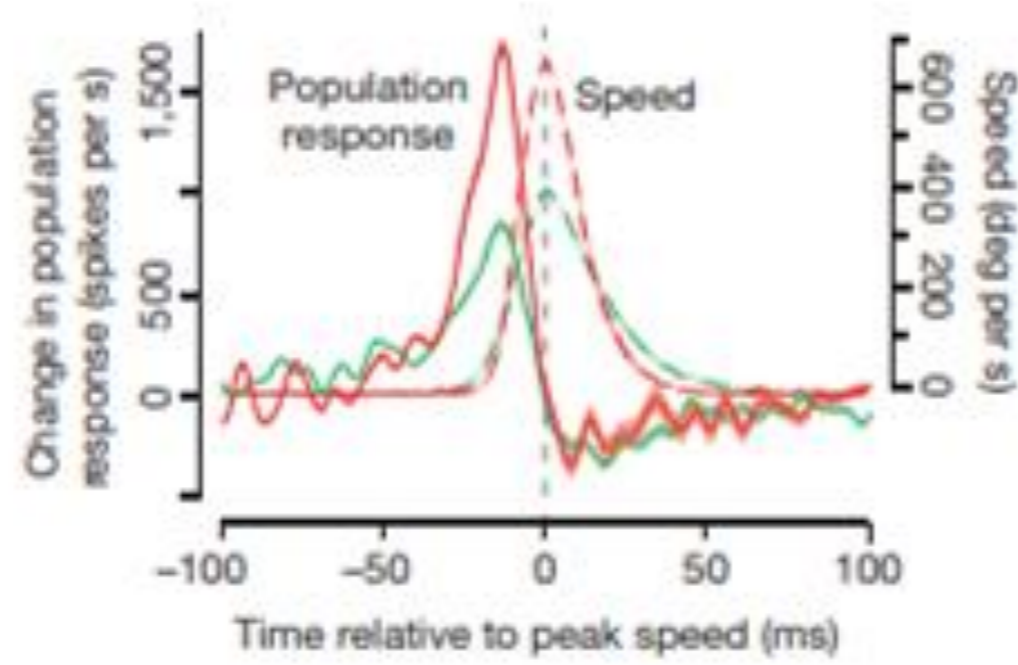
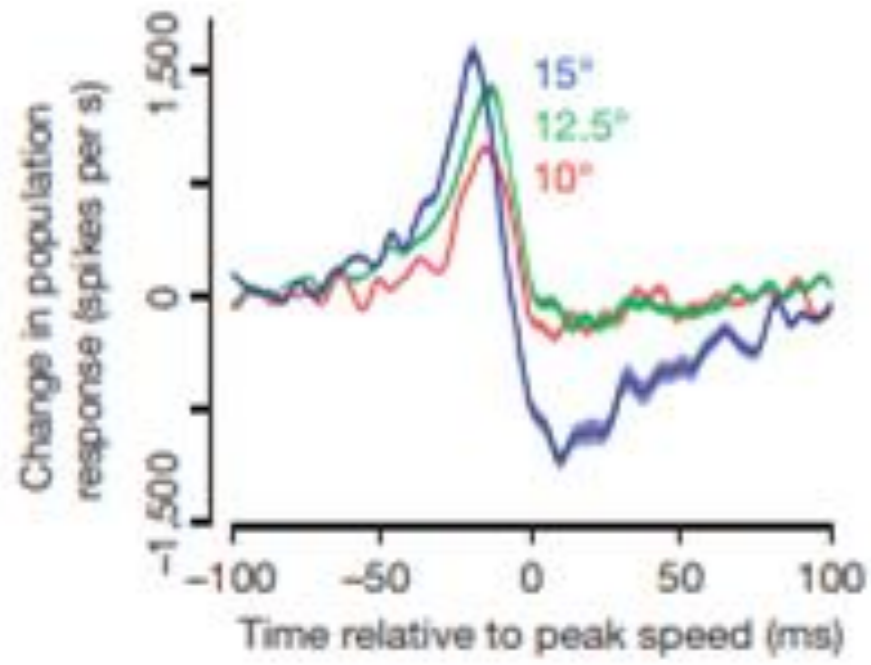
**What is cerebellum computing?**



# Record from cerebellum

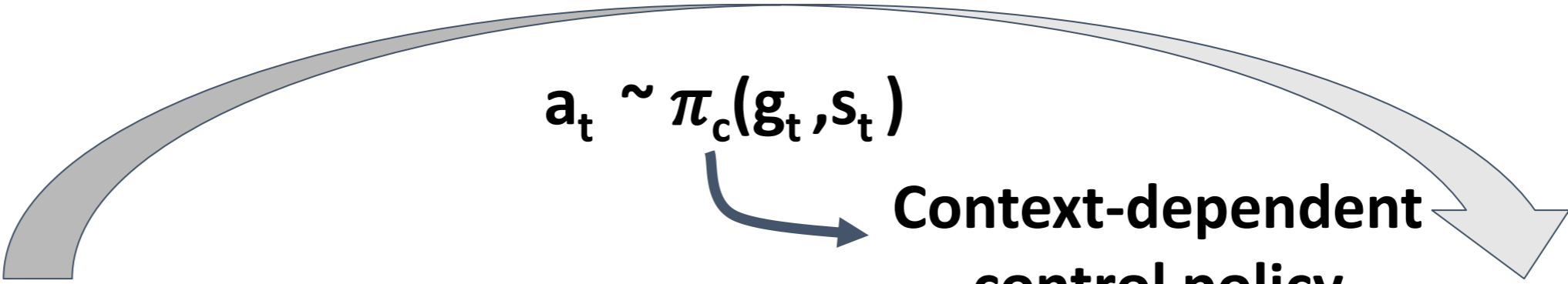
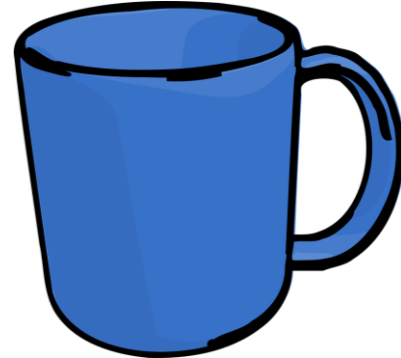
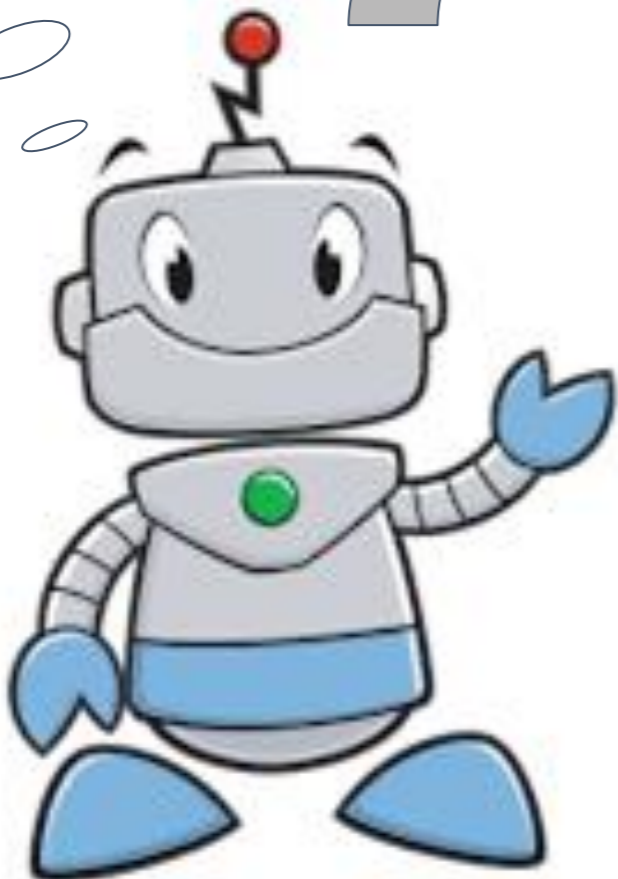
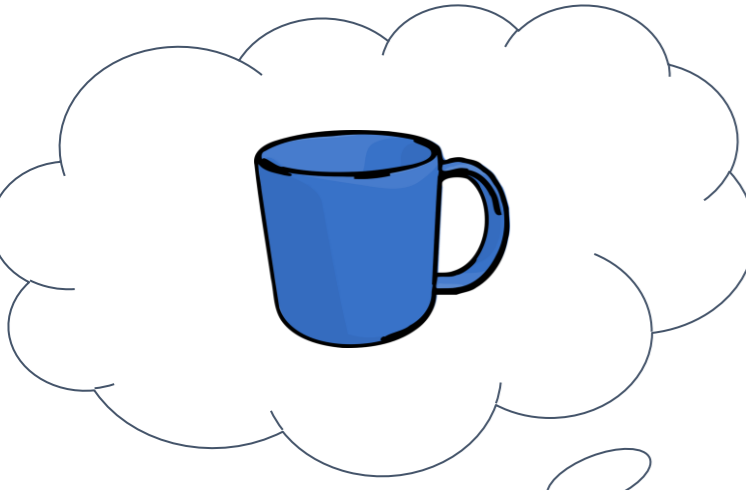


# Output of cerebellum precedes the actual eye movement



Purkinje cell firing is correlated with the eye speed, displacement and precedes the eye movement, **predicting** the state of the eye

# Internal models should continuously adapt

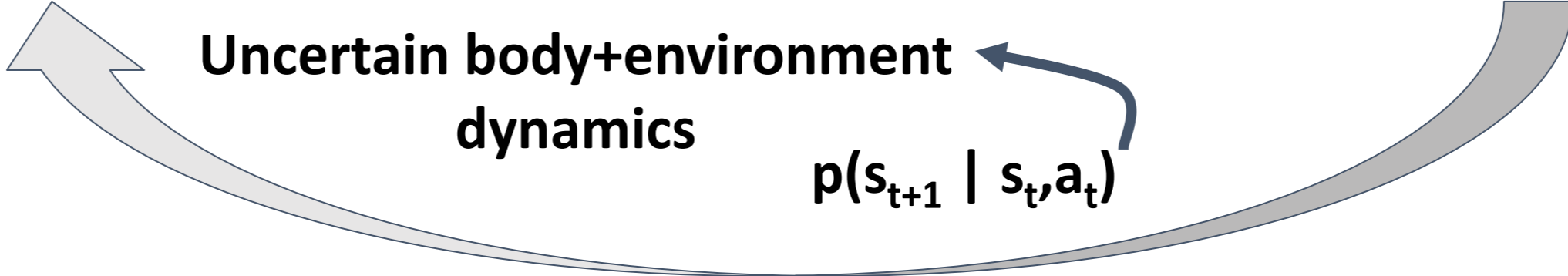


$$a_t \sim \pi_c(g_t, s_t)$$

**Context-dependent control policy**

Both 'π' and 'p' are probability distributions over state and actions respectively. 'c' indicates the current context of movement

These distributions should be continuously estimated/inferred from experience



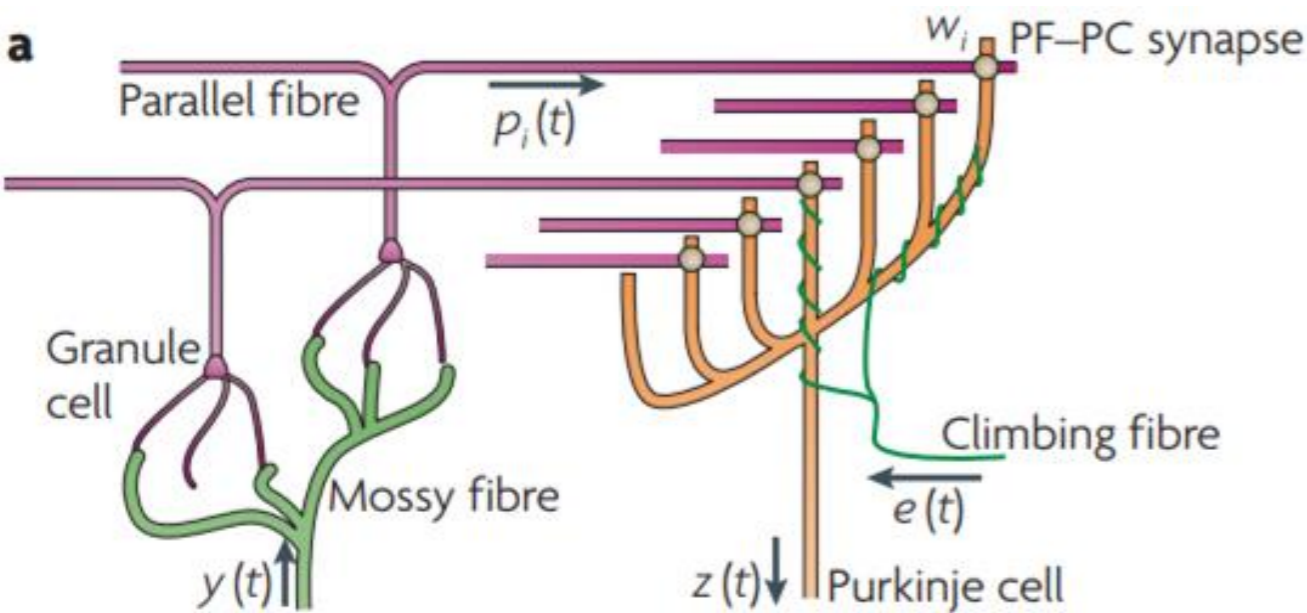
**Uncertain body+environment dynamics**

$$p(s_{t+1} | s_t, a_t)$$



# Decorrelation learning in cerebellum

The PF-PC synapses can be subject to plasticity.

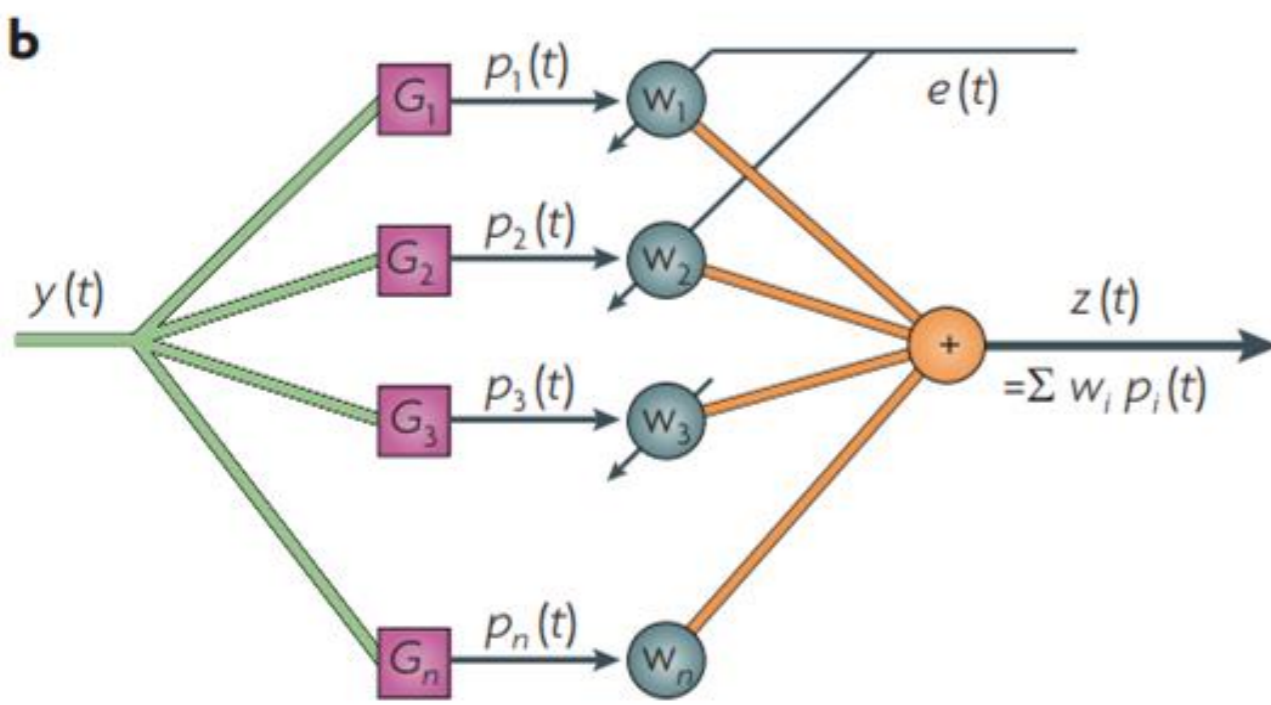


## Adaptation

' $e(t)$ ' be the error between desired cerebellum output and the actual cerebellum output. Then the PF-PC weights can be adjusted based on

$$\Delta w_i(t) \propto - \langle e(t) \cdot \Delta p_i(t) \rangle$$

i.e., occurrence of a positive error decreases the weight of PF-PC synapses and vice-versa



This learning rule enables cerebellum to behave as a supervised learning center, that functions to reduce the mean square error between the desired response and actual response.

# Can the same learning rule explain movement adaptation?

Consider the vestibulo-ocular reflex or head - video





# Applications – icub VOR experiment

## A COMPREHENSIVE GAZE STABILIZATION CONTROLLER BASED ON CEREBELLAR INTERNAL MODELS

LORENZO VANNUCCI, EGIDIO FALOTICO, SILVIA TOLU,  
VITO CACUCCILO, PAOLO DARIO, HENRIK HAUTOP  
LUND, CECILIA LASCHI

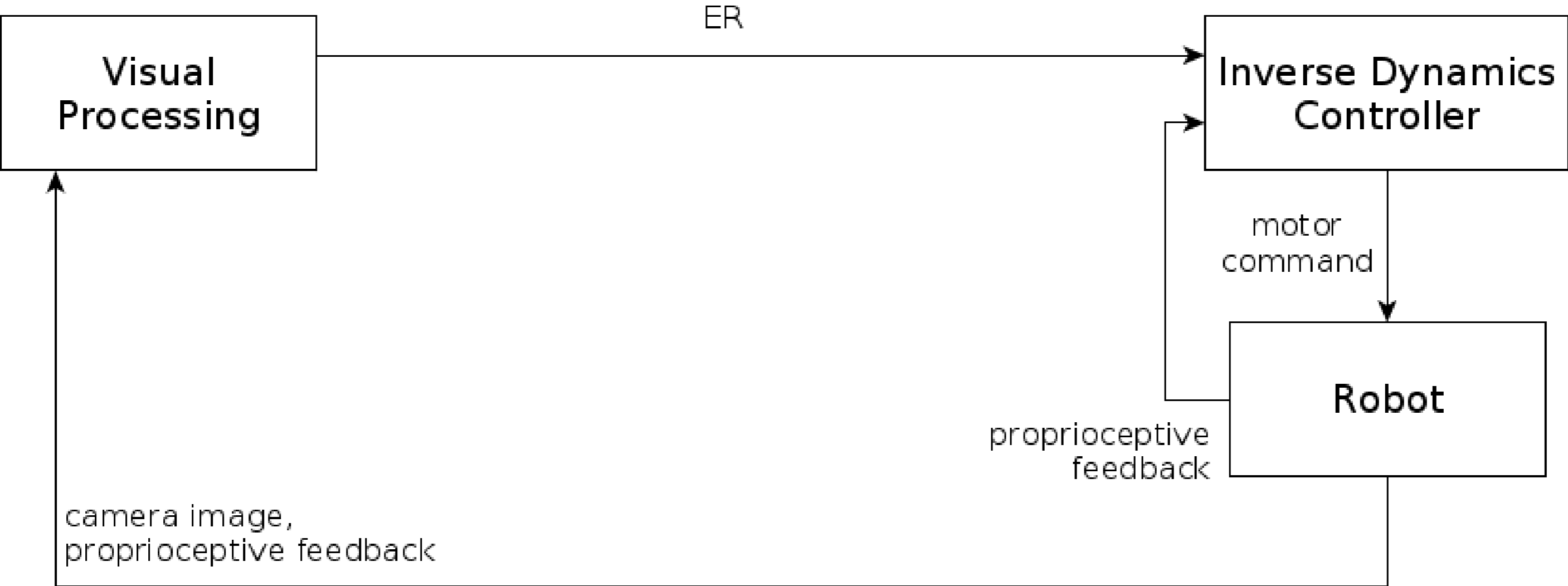


# Applications – smooth pursuit gaze control

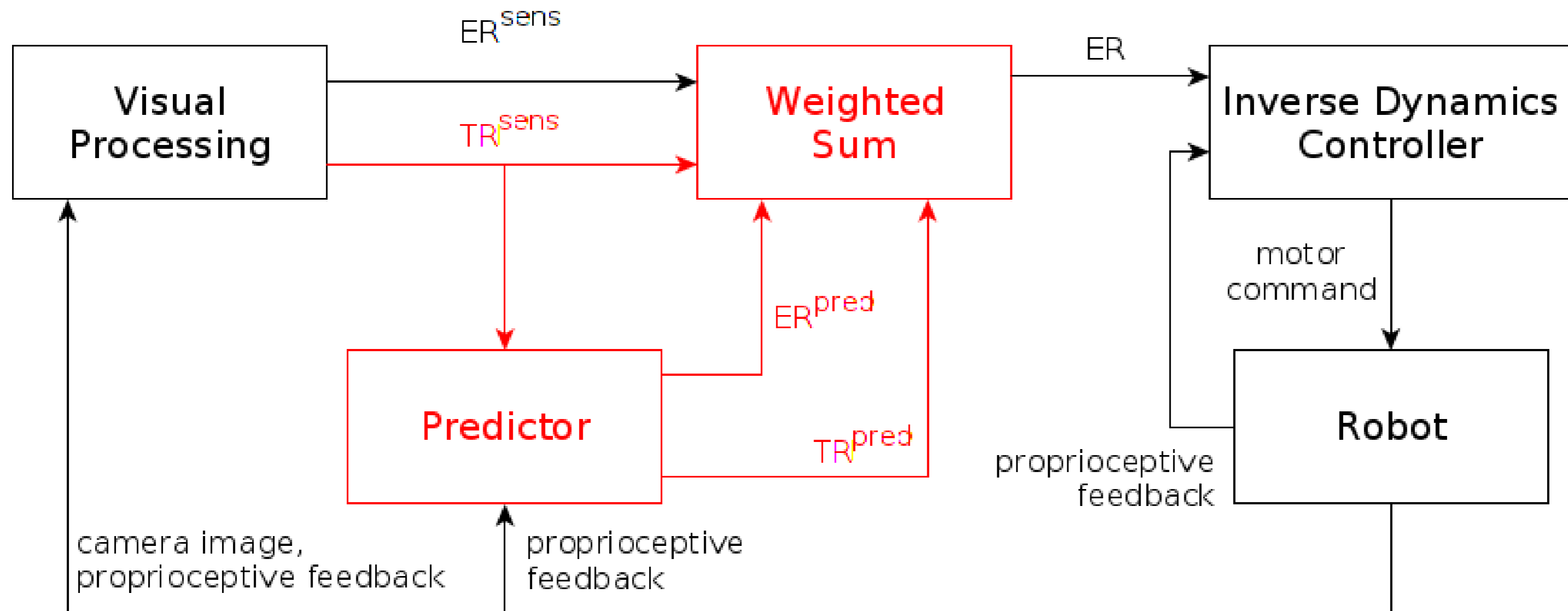
Humans, in order to follow a moving target with foveal vision, use a combination of eye and head movements in conjunction with prediction of the target dynamics in order to align eye and target motion.



# Applications – smooth pursuit gaze control model

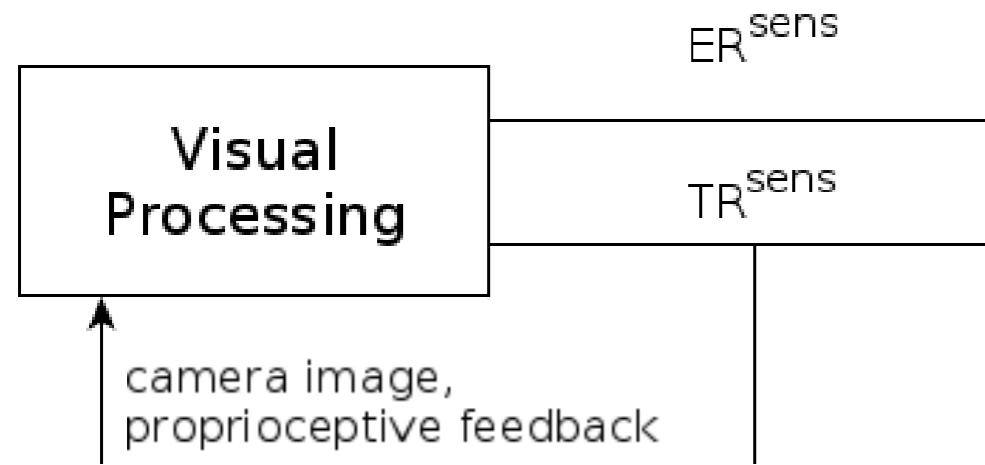


# Applications – smooth pursuit gaze control model



Vannucci, L., Falotico, E., Di Lecce, N., Dario, P., & Laschi, C. (2015, July). **Integrating feedback and predictive control in a bio-inspired model of visual pursuit implemented on a humanoid robot.** In *Conference on Biomimetic and Biohybrid Systems* (pp. 256-267). Springer, Cham.

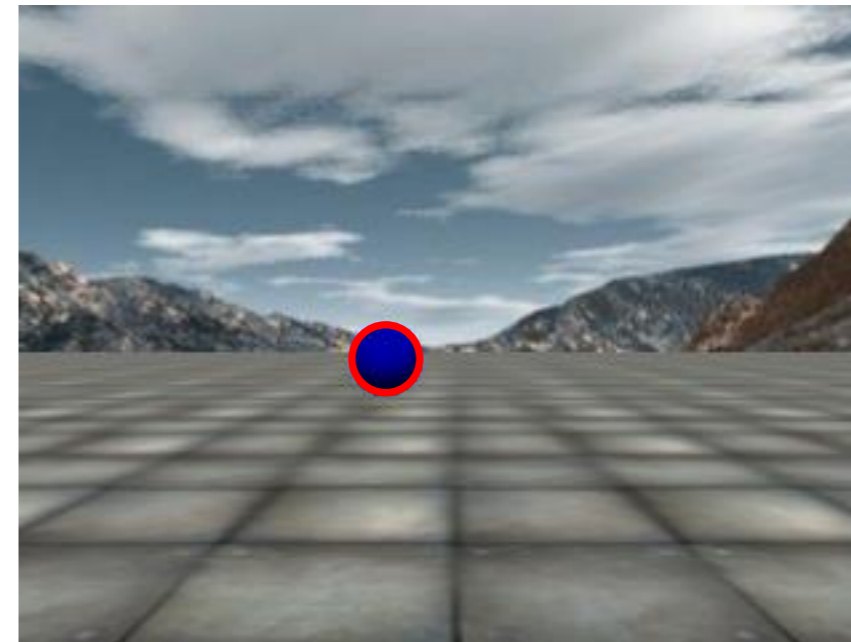
# Applications – smooth pursuit gaze control model



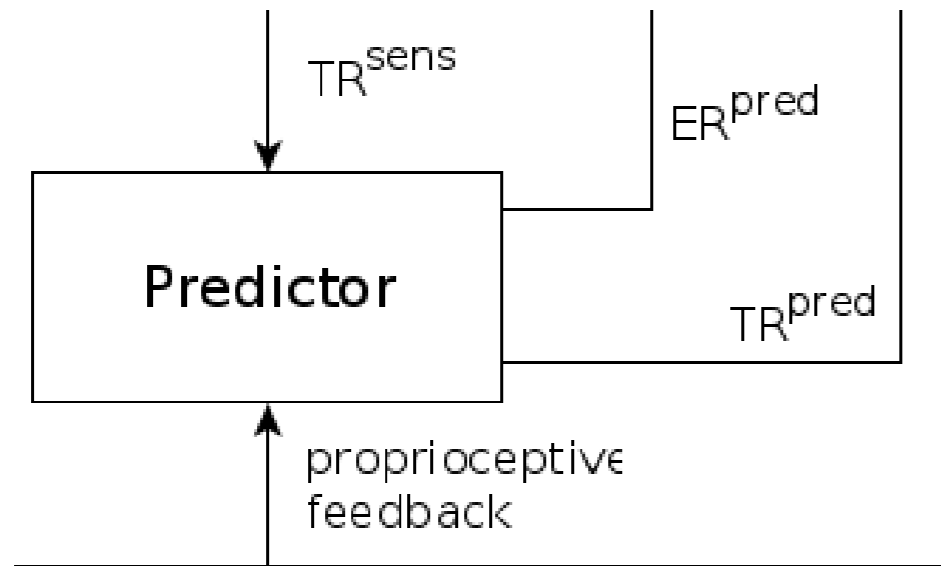
The camera image is processed to get sensory information about the target.

$ER^{\text{sens}}$  = error reference (retinal slip, 3D gaze displacement, etc...)

$TR^{\text{sens}}$  = target reference (target velocity, target 3D position, etc...)



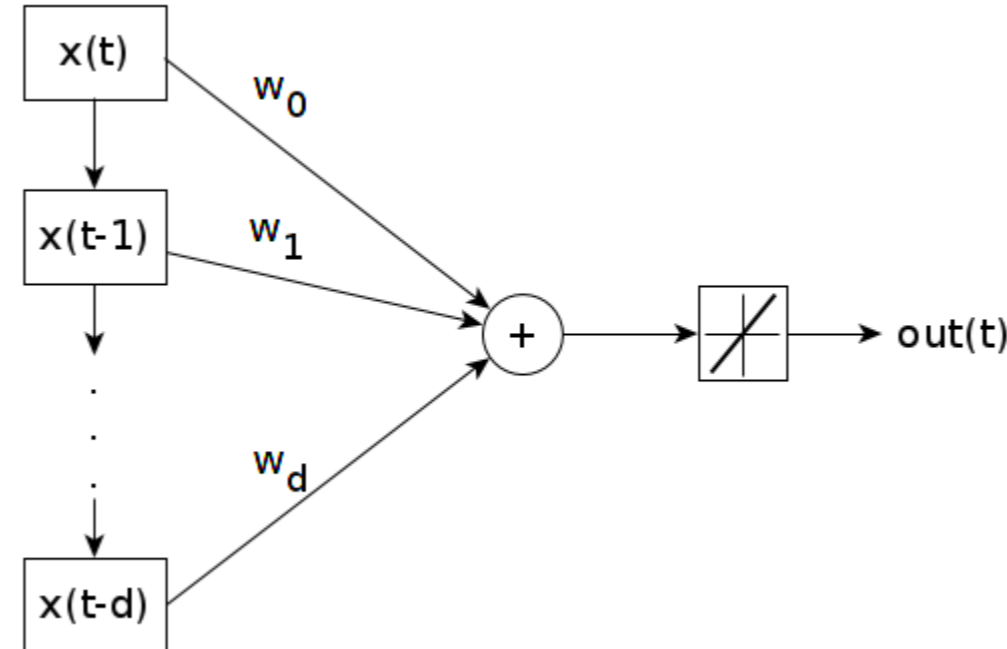
# Applications – smooth pursuit gaze control model



Predictor implemented as linear neural model: Rosenblatt's single layer perceptron with a tap delay.

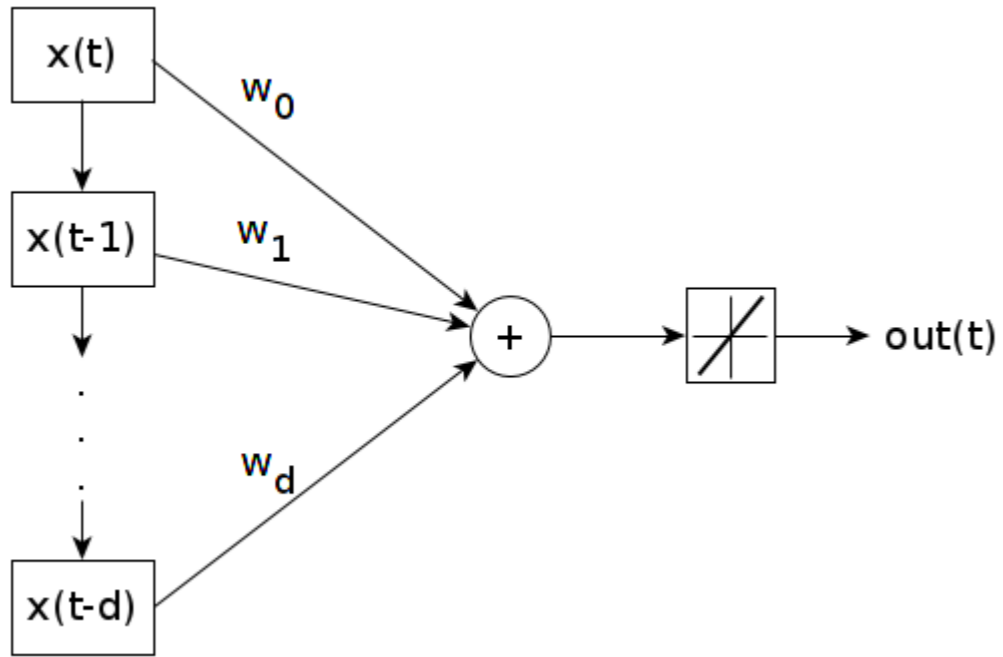
$$out(t) = \sum_{i=0}^d x(t-i) \cdot w_i$$

The predictor uses sensory information to predict future states of the target.





# Applications – smooth pursuit gaze control model



Training with an online version of Widrow-Hoff rule: (which is also a **decorrelation learning rule**)

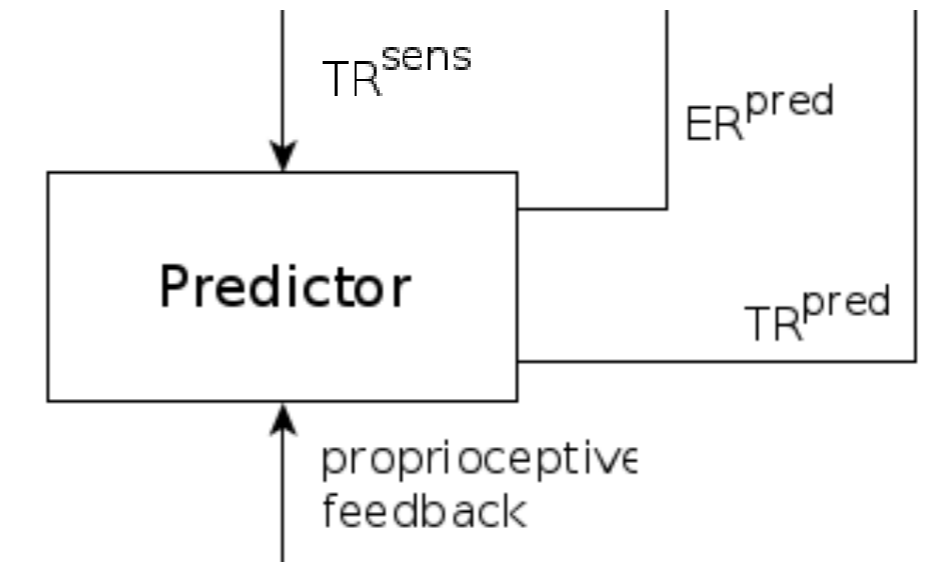
$$\Delta w = \eta \cdot (x(t + p) - out(t)) \cdot x(t)$$

where  $p$  is the number of prediction steps.

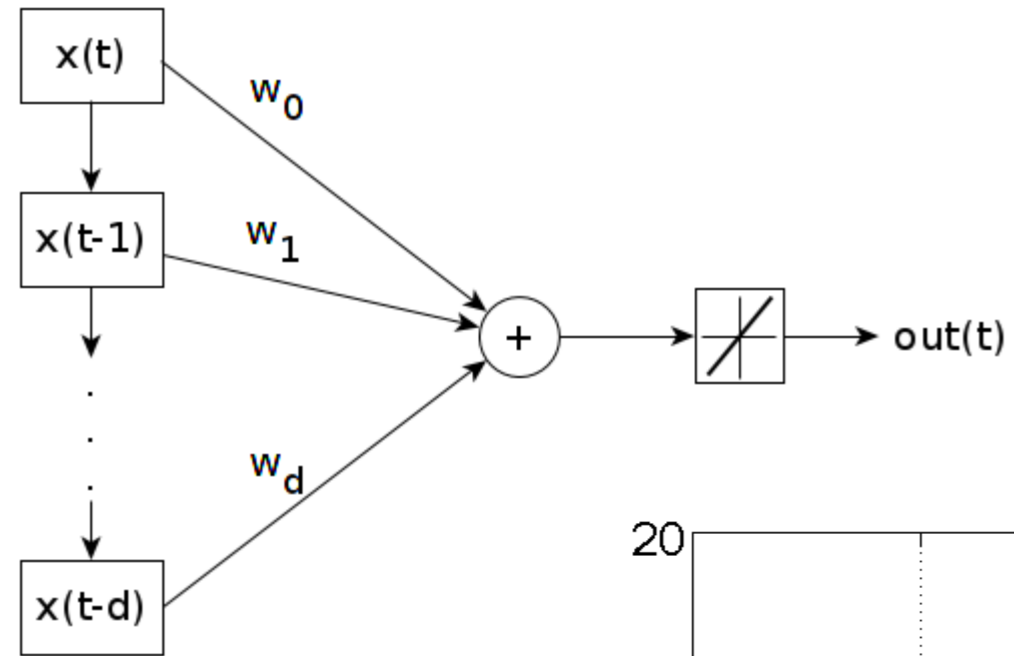
$$x(t) = TR^{sens}(t)$$

$$TR^{pred}(t) = out(t)$$

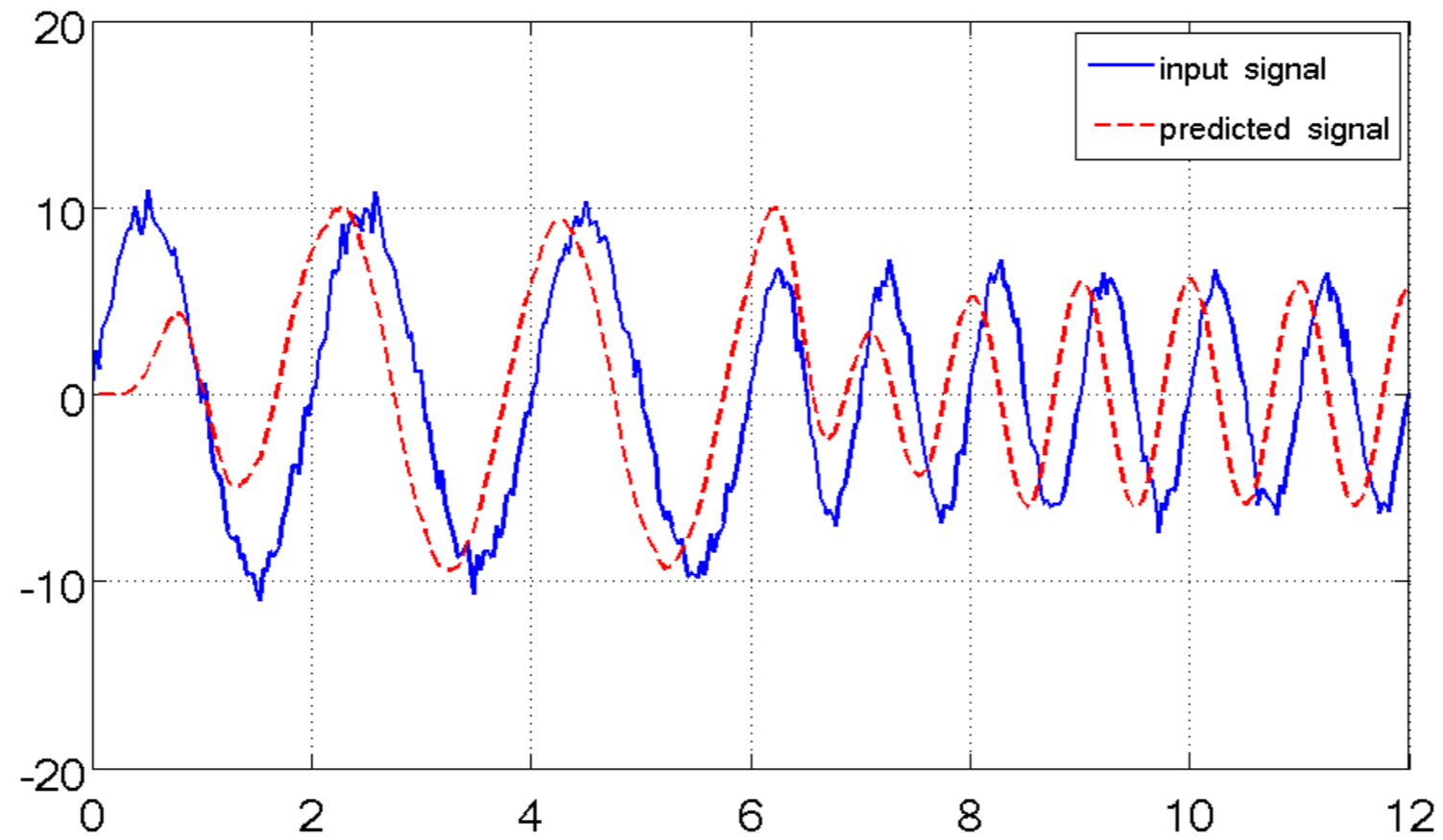
$$ER^{pred}(t) = TR^{pred}(t) - g(sensors(t))$$



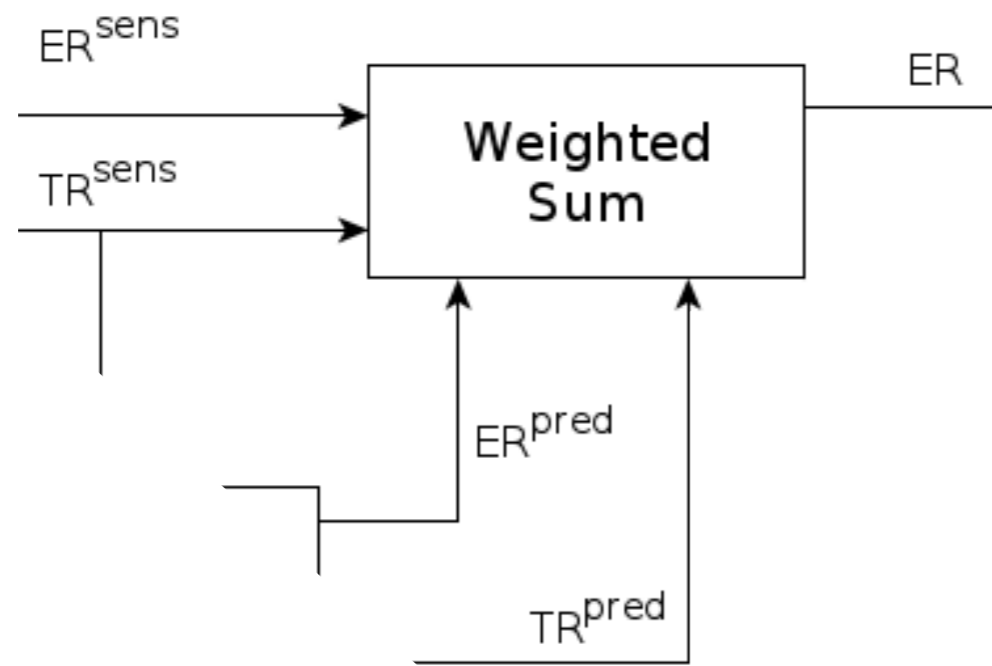
# Applications – smooth pursuit gaze control model



Such a linear model is able to predict periodic motions, also in presence of noise.



# Applications – smooth pursuit gaze control model

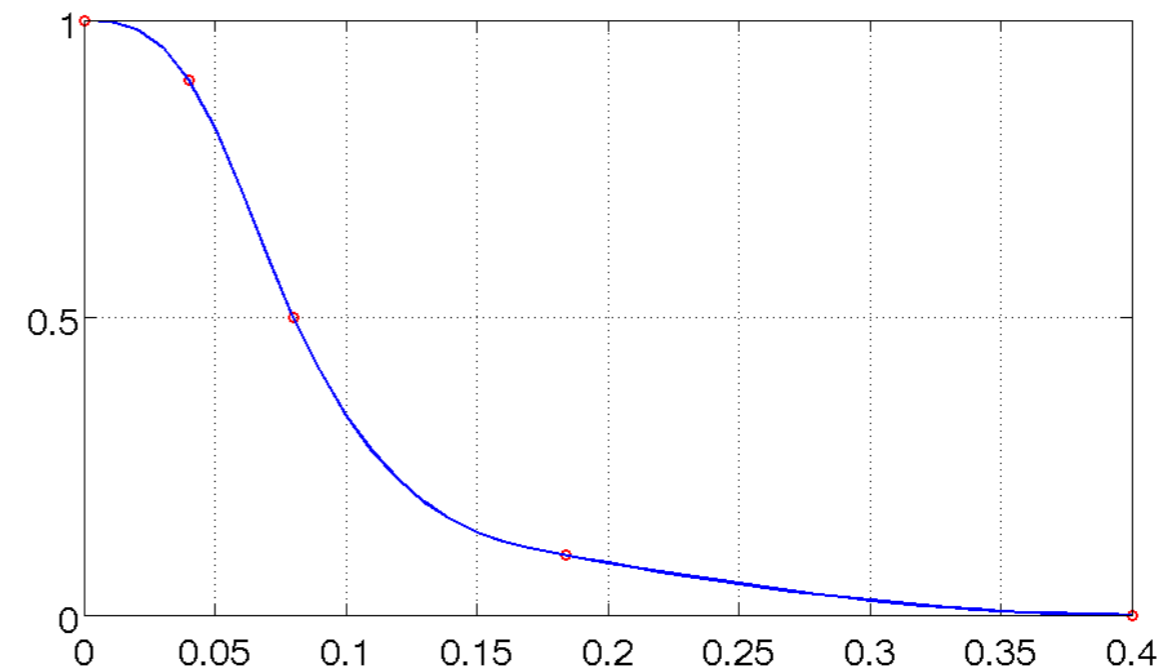


In order to automatically switch between the sensory and predictive pathways, a weighted sum of the error references coming from the two pathways is performed:

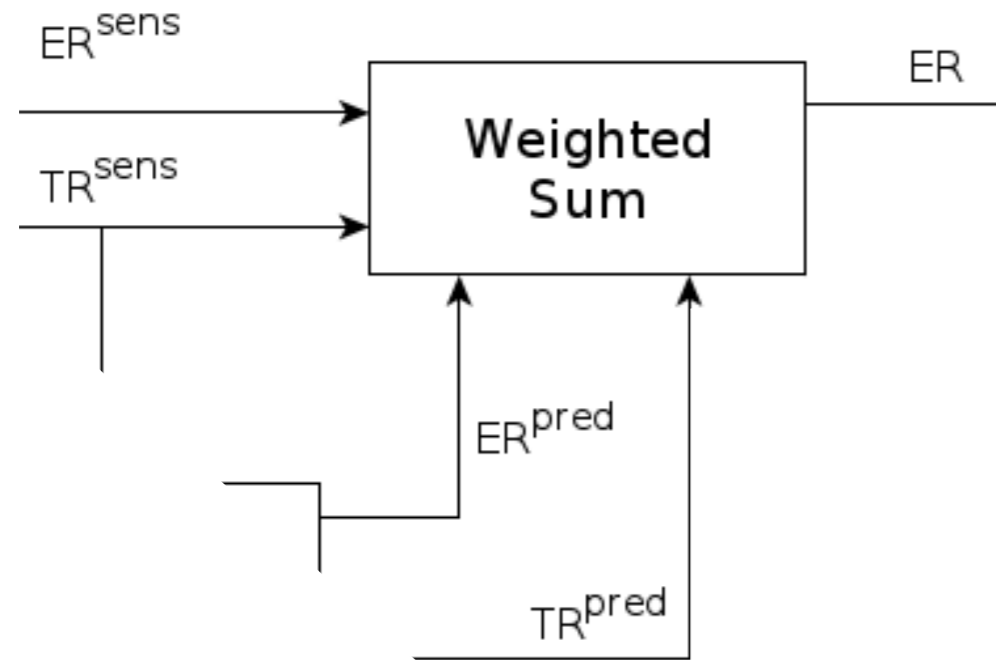
$\alpha \in [0,1]$  is a measure of the accuracy of the prediction and it is computed as follows:

$$\alpha(t) = f(\max\{err(t), \dots, err(t - 100)\})$$

$$err(t) = \frac{|TR^{sens}(t) - TR^{pred}(t - p)|}{maxTR - meanTR}$$



# Applications – smooth pursuit gaze control model

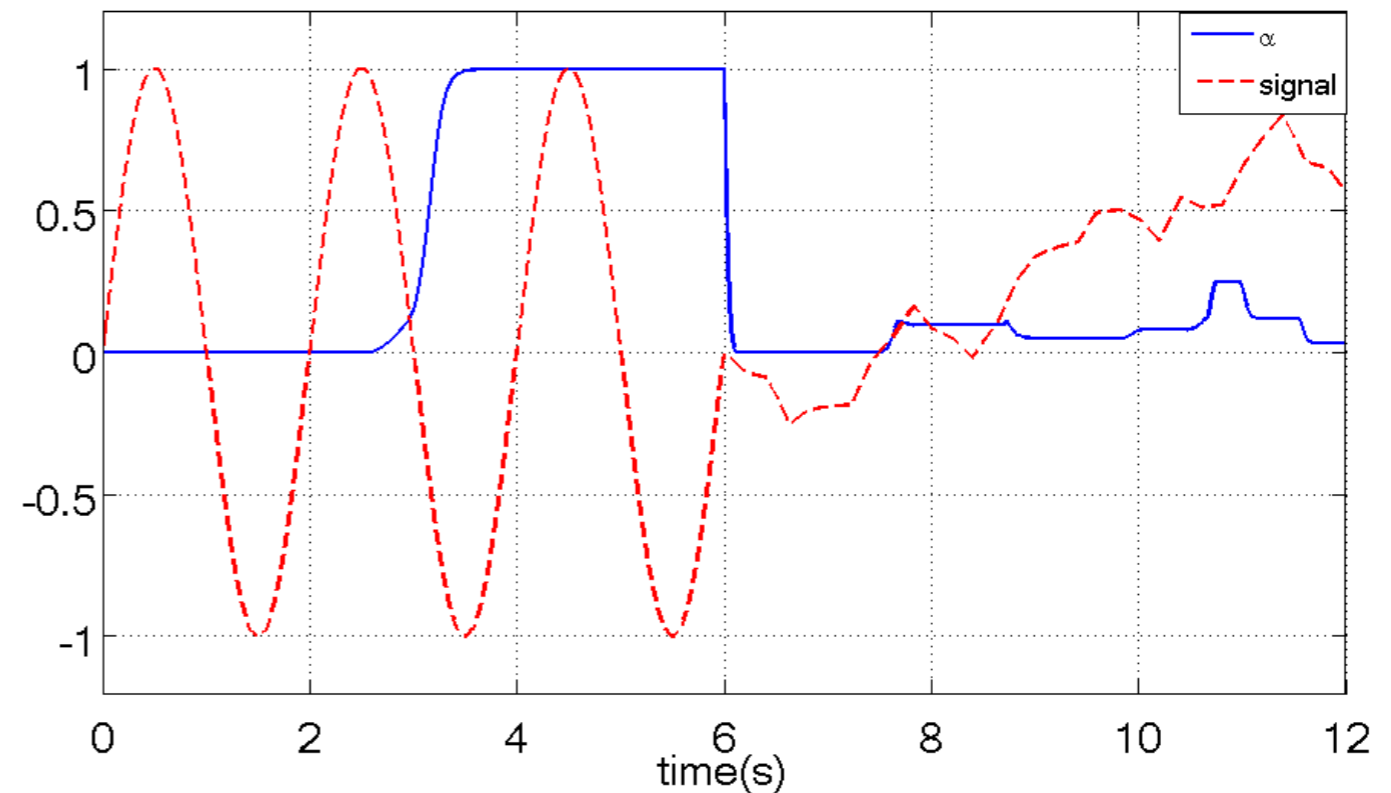


The selection performed by  $\alpha$  works in two directions:

- Its value increases when prediction becomes accurate enough
- it suddenly decreases when the signal changes

The accuracy measure  $\alpha$  actually performs the selection between the predictive and sensory pathways:

$$\alpha(t) \cong 1 \rightarrow ER^{pred} \text{ will be used}$$
$$\alpha(t) \cong 0 \rightarrow ER^{sens} \text{ will be used}$$

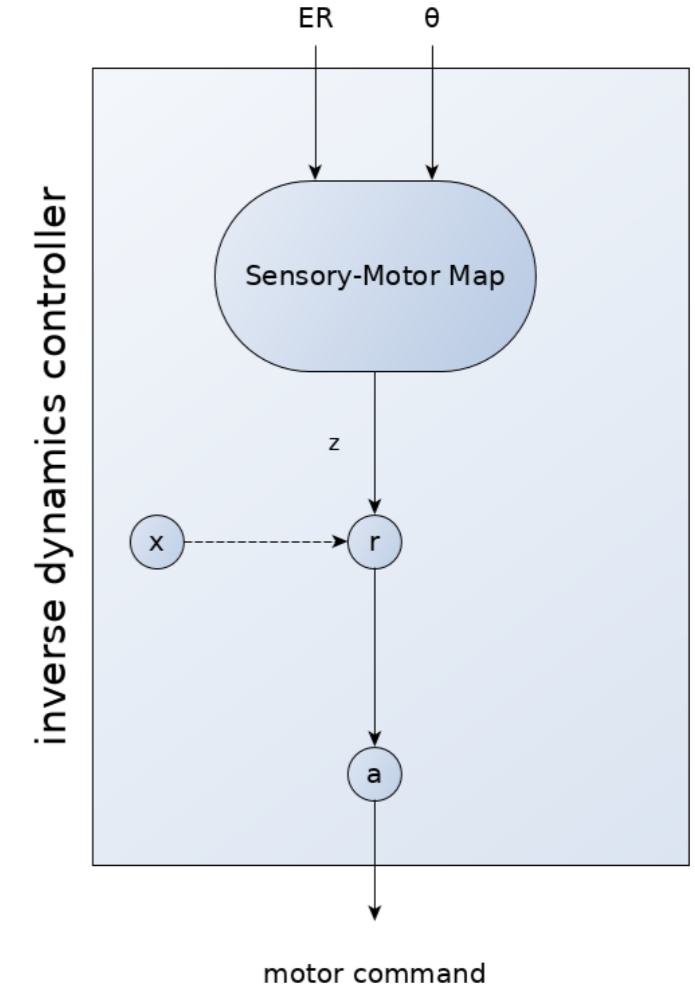
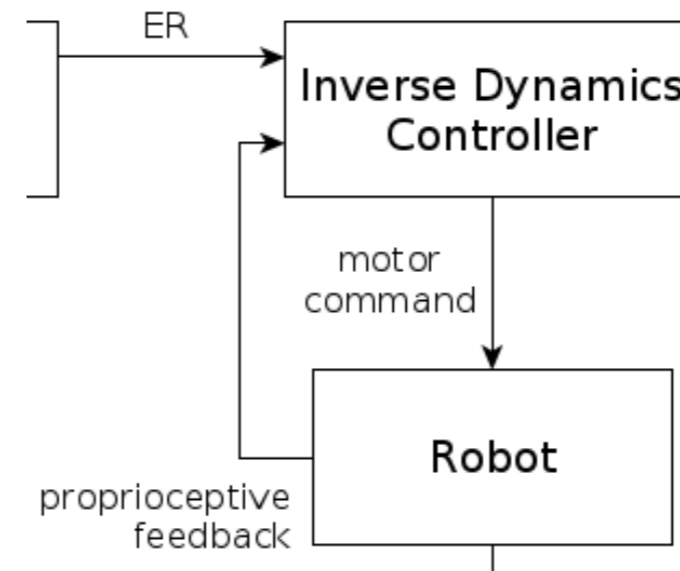


# Applications – smooth pursuit gaze control model

The objective of the IDC is to move the target robot plant towards the target reference. This can be in principle any kind of controller.

Two implementations were given:

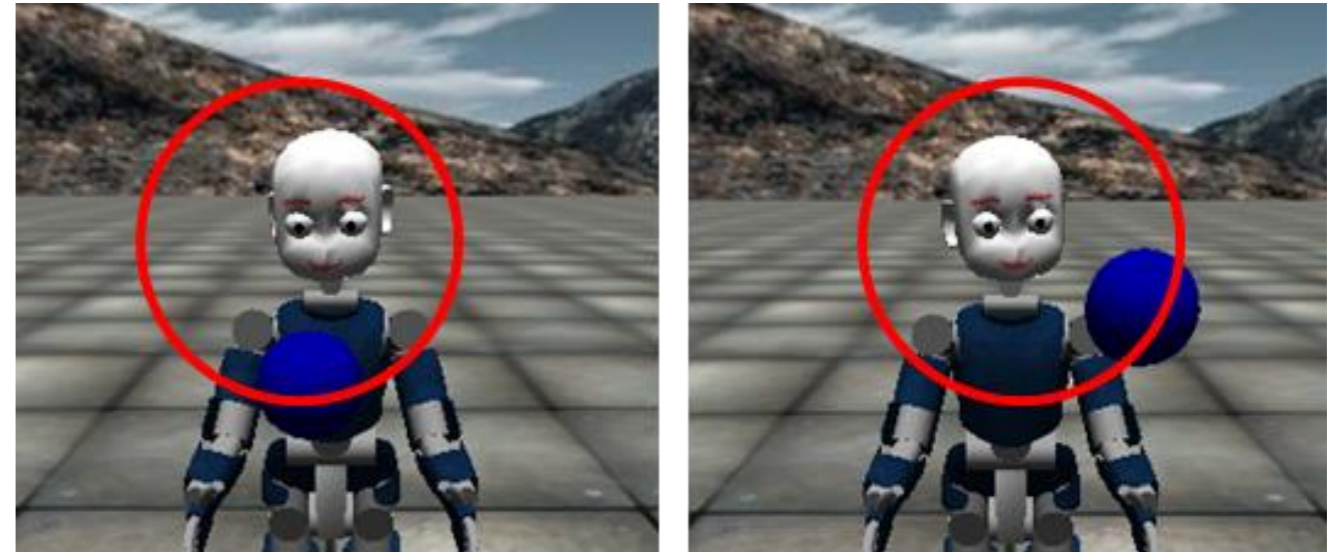
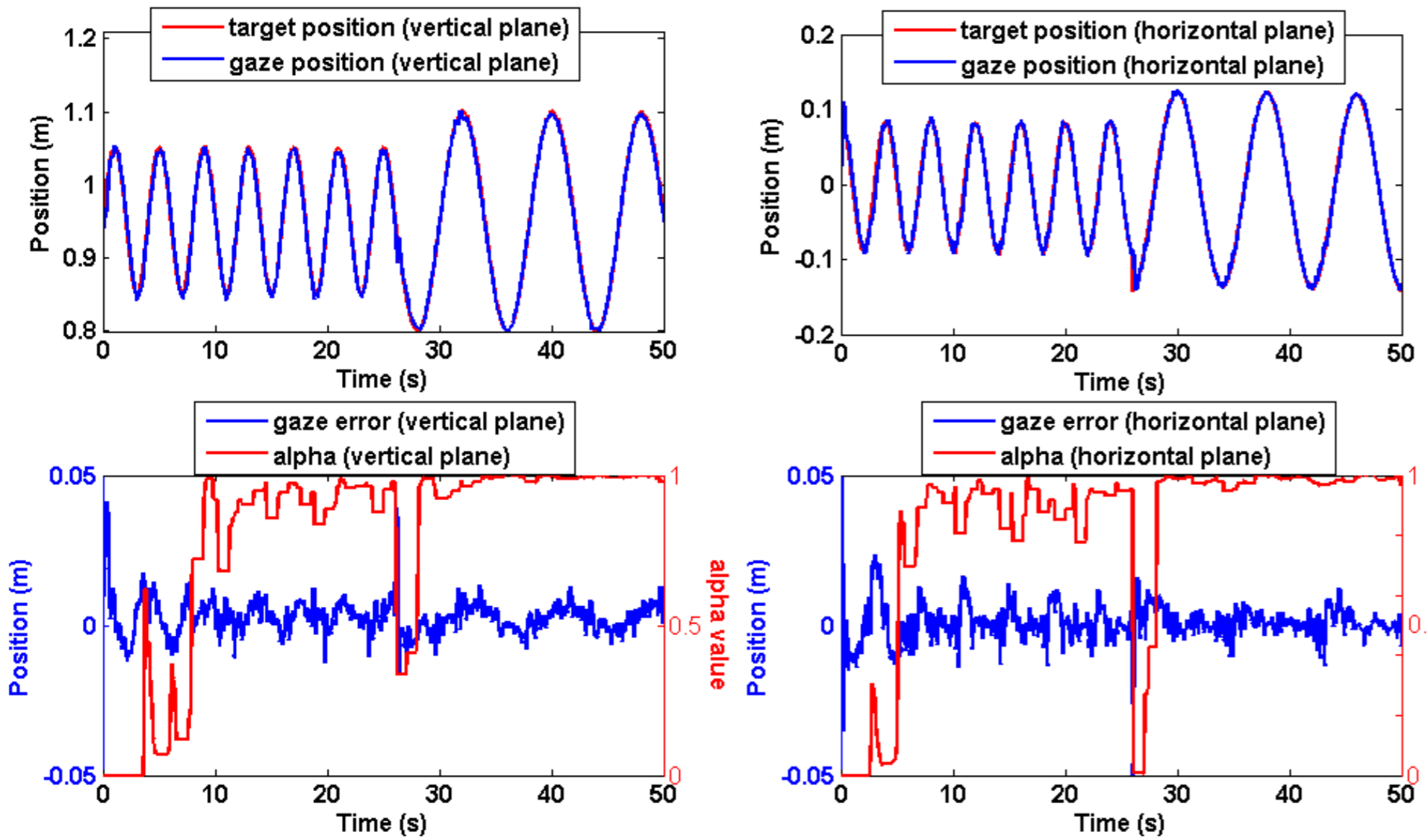
- an adaptive backstepping-based controller
- a neurocontroller, inspired by cortical sensory-motor associations, capable of learning how to perform coordinated gaze movements





# Applications – smooth pursuit gaze control model

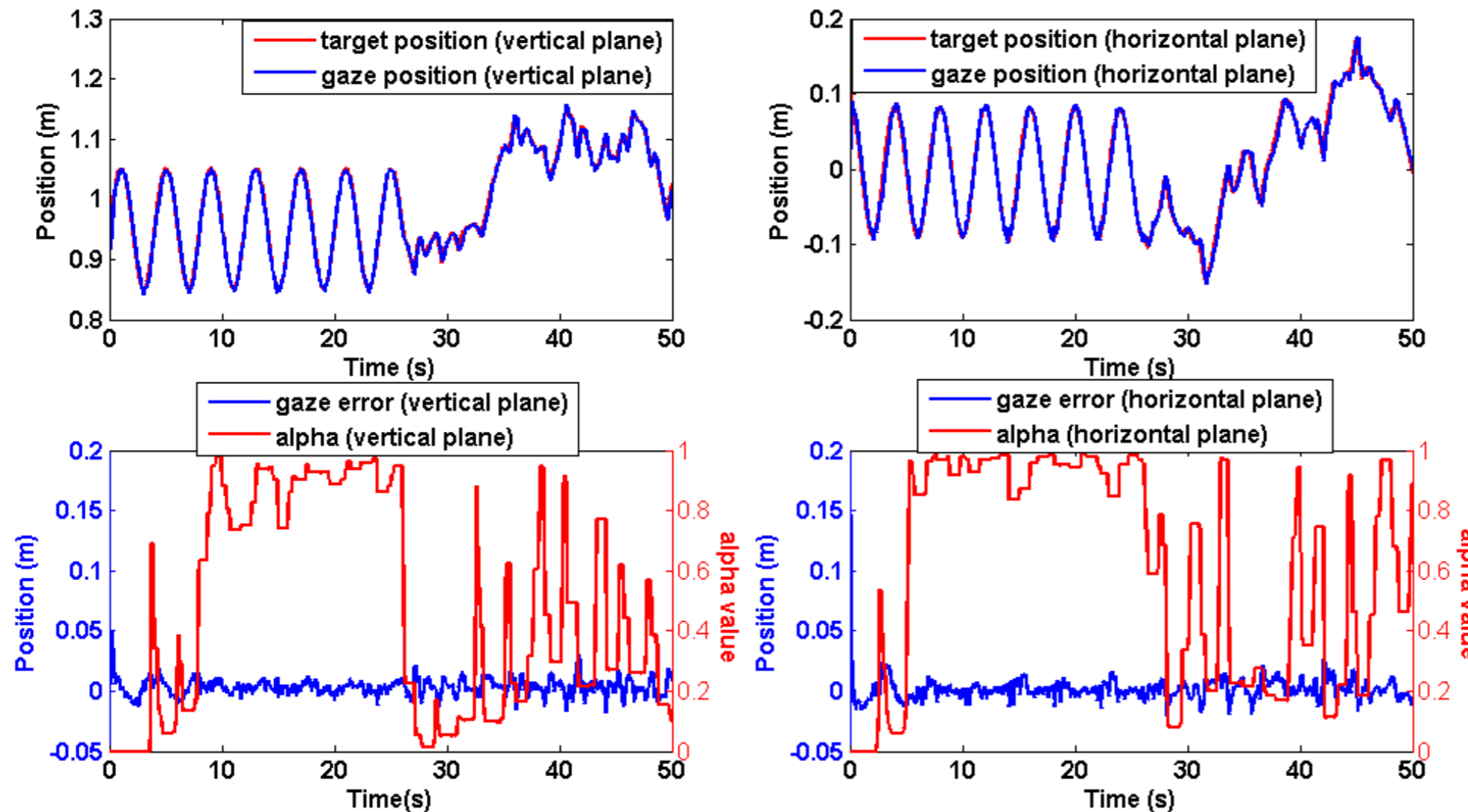
Same movement on both axes: from (0.25Hz, 0.1m) to (0.125Hz, 0.15m) after 26 seconds (in a 50 seconds trial), neurocontroller as IDC.



When  $\alpha$  increases, the peak-to-peak retinal slip decreases from 0.04m to 0.02m, on both axes. After the switch, the value of  $\alpha$  suddenly decreases, only to raise up again after a few seconds.

# Applications – smooth pursuit gaze control model

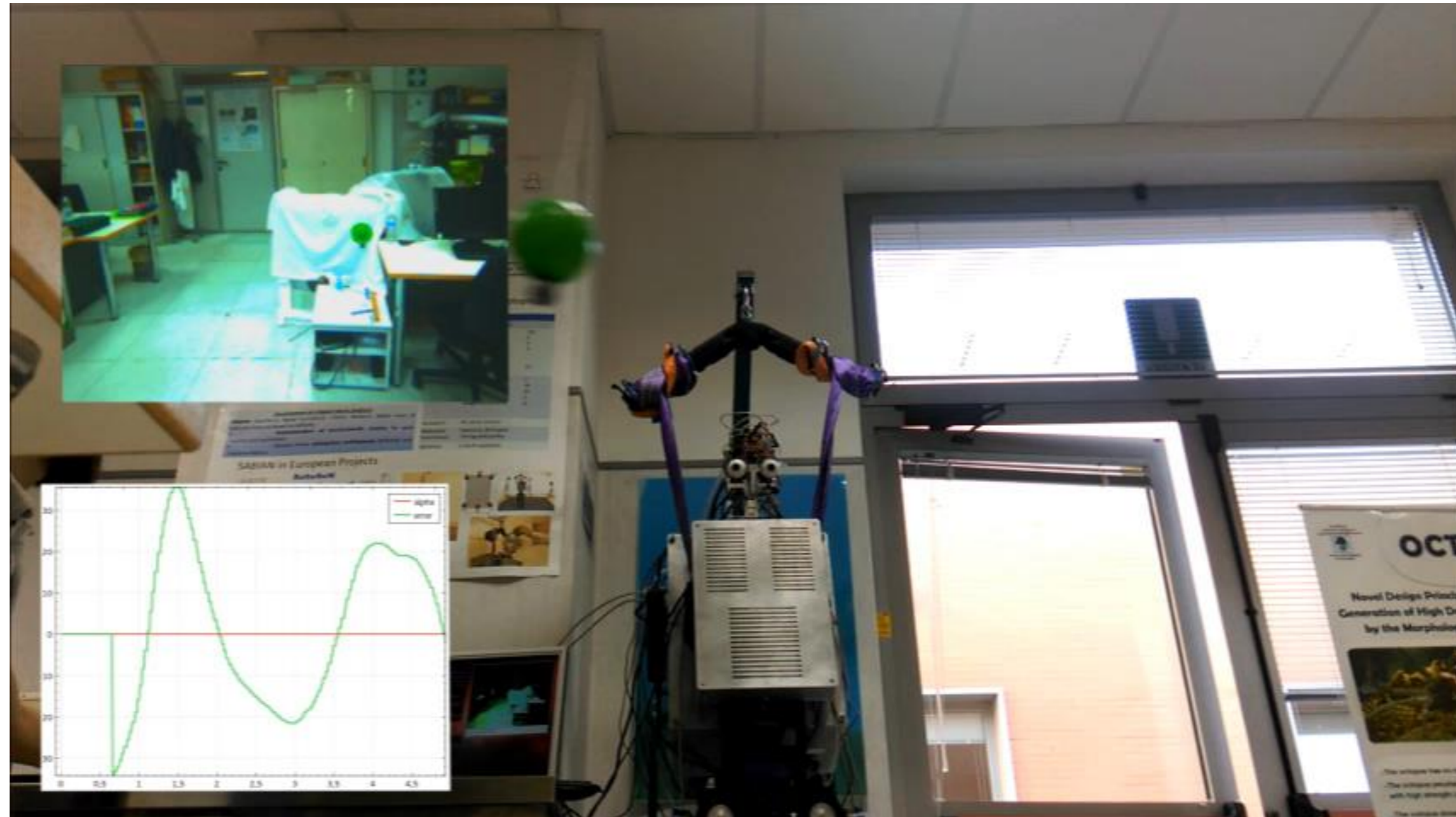
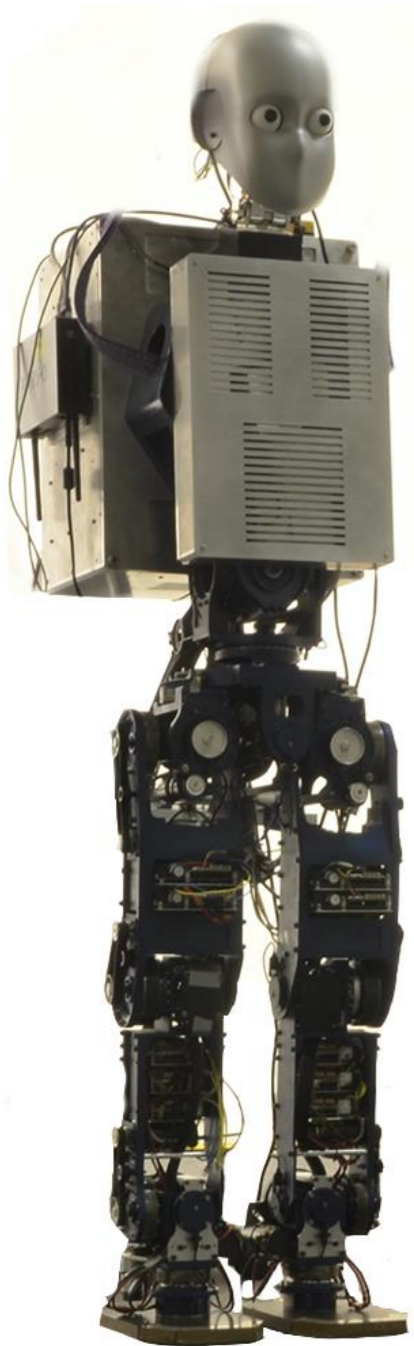
Switching from a sinusoidal motion (0.25Hz, 0.1m) to a random one after 26 seconds (in a 50 seconds trial).



When the signal switches to the random motion, the value of  $\alpha$  suddenly drops. Nevertheless, the model is still able to follow a moving target with a maximum error amplitude of 0.05m.

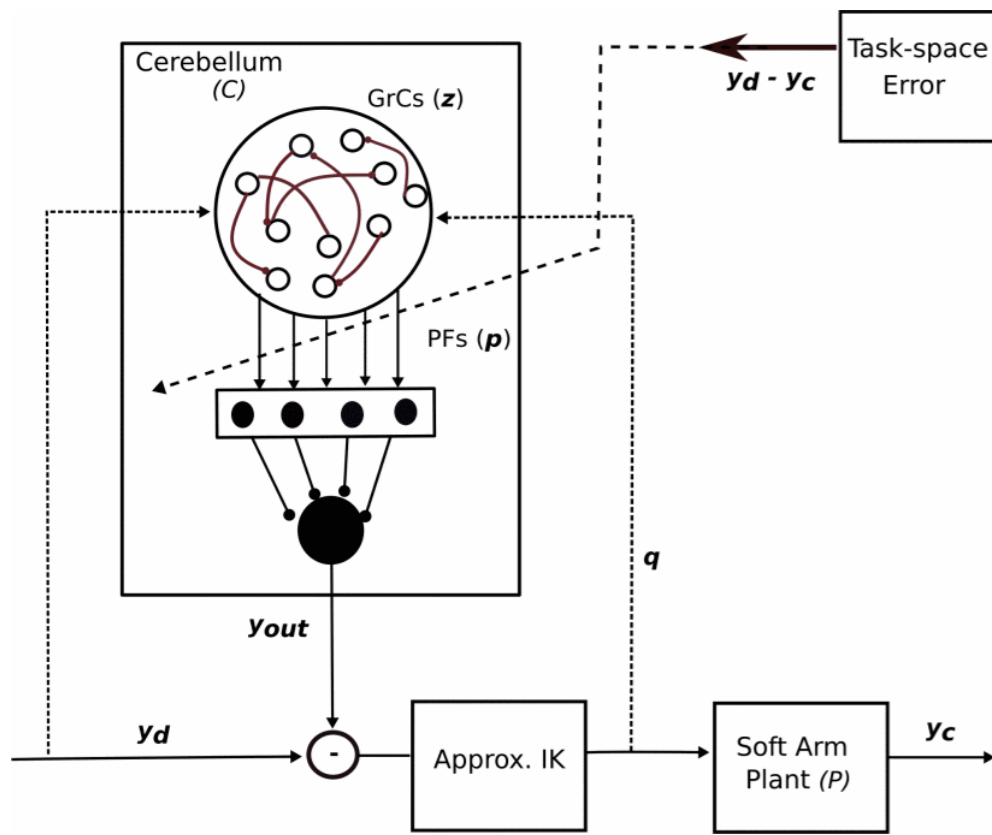
# Applications - Lorenzo's videos on icub smooth pursuit

This model was also implemented on the SABIAN robot (backstepping-based version).

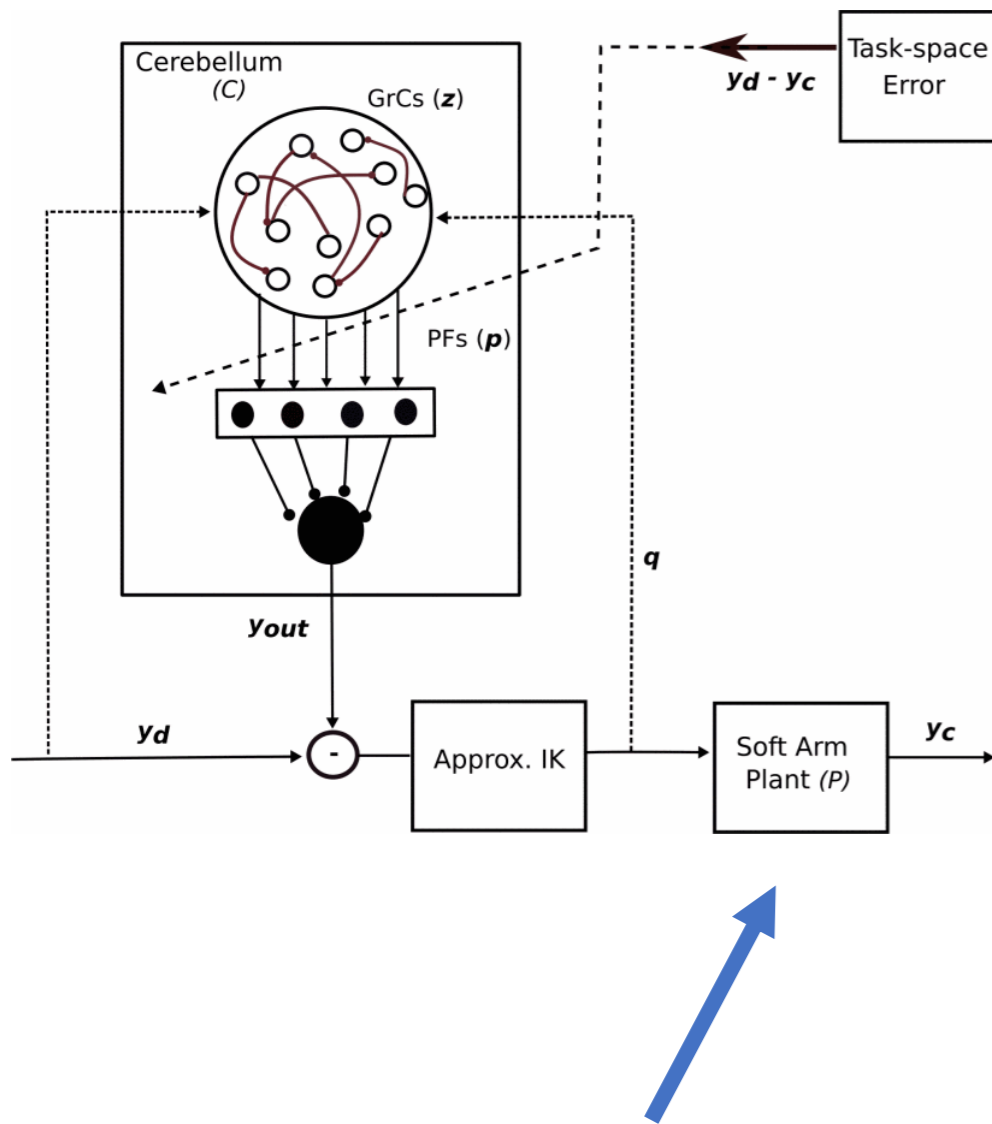




# Applications - Soft robot simulation video



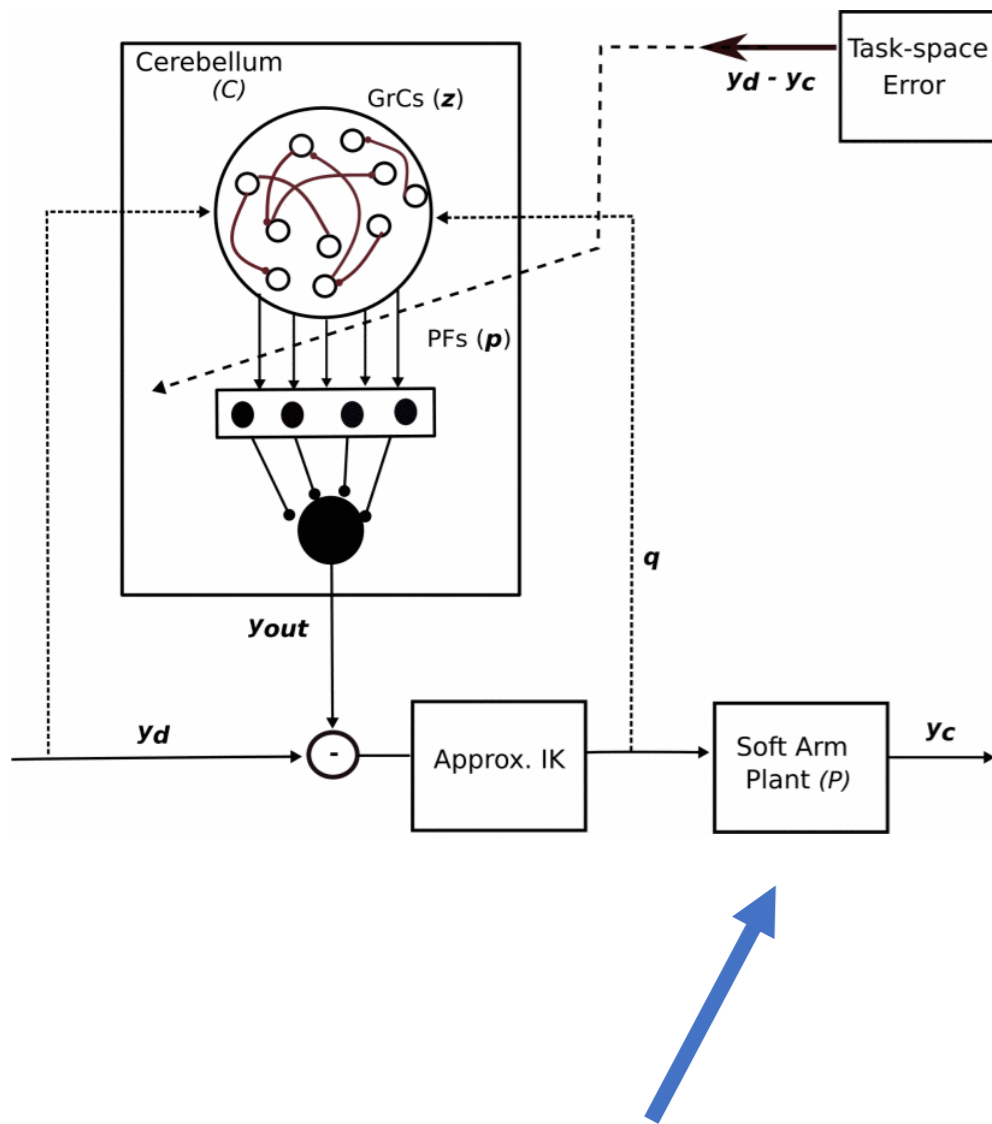
# Applications - Soft robot simulation video



Can the cerebellum forward model compensate for changes in the soft arm dynamics?



# Applications - Soft robot simulation video



Can the cerebellum forward model compensate for changes in the soft arm dynamics?

**Cerebellum-inspired approach  
for  
adaptive kinematic control of soft robots**

**(IEEE RoboSoft - 2019)**

**Hari Teja Kalidindi  
Thomas Thuruthel  
Cecilia Laschi  
Egidio Falotico**