

# Laurea Magistrale in INFORMATICA

## Principi di Linguaggi di Programmazione

### Paradigmi

prof. M. Bellia  
Appello IV - June 25th, 2013

(Timing: 2 hours – Grading: (pts n-m) is the score range to be obtained in each exercise)

**Exercise 1.** (pts. 5 - 9) Let  $H$  be the set of finite strings on  $\{a,b,c,d\}$ . Use Prolog for defining:

- (a) (pts 1) A concrete representation of  $H$  values;
- (b) (pts 4) A binary predicate  $\text{anag}/2(x,y)$  which holds only if  $x$  and  $y$  are in  $H$  and  $x$  is an anagram of  $y$ ;
- (c) (pts 4) A predicate  $\text{split}/4(u,w1,w2,w3)$  which holds only if  $u, w1, w2, w3$  are in  $H$  and,  $u=w1.w.w3$ , i.e.  $u$  is the juxtaposition of  $w1, w, w3$ , and  $w2$  is an anagram of  $w$ .

(Define all the auxiliary predicates that are used in Your solution)

**Exercise 2.** (pts. 5 - 10) Let  $iTree$  be an ADT for immutable trees with nodes of a generic type and of arbitrary outdegree. The  $iTree$ 's have the following public operations:

- $\text{newEmpty}()$ : returns the empty  $iTree$ ;
- $\text{newVertex}(r)$ : returns the  $iTree$  with the only root  $r$ , i.e. without sons;
- $\text{addEdge}(t,r,s)$ : returns the  $iTree$   $t'$  which differs from  $t$ , at most for the edge,  $(r,s)$ , namely with root  $r$  and a new son  $s$ , provided it can be added. Otherwise an exception is raised.
- $\text{sons}(t,r)$ : returns the list of the nodes of  $t$  that are sons of  $r$ .

Use Caml for defining:

- (a) (pts 2) The API for  $iTree$ ;
- (b) (pts 8) An ADT for  $iTree$  such that:
  - it includes a private operation  $\text{inList}(l,r)$  that:
    - i. returns true iff the list  $l$  contains the value  $v$  of a suitable type for  $l$ ;
    - ii. it is defined by using the iterative programming methodology

**Exercise 3.** (pts. 6 - 11) Let

Sia  $mTree$  una classe Java per un ADT di alberi, come quelli in esercizio 2, ma ora, modificabili.

- (a) (pts 4) Si definisca una classe Java,  $mTreeS$ , che estenda  $mTree$  aggiungendo una nuova operazione pubblica  $\text{fanOut}()$  che calcola il massimo outdegree dei nodi dell'albero.
- (b) (pts 7) Si definisca una classe Java,  $mTreeR$ , che estenda  $mTreeS$  aggiungendo una nuova operazione pubblica  $\text{remove}(r,s)$  che modifica l'albero rimuovendo l'arco  $(r,s)$ , se possibile. In caso contrario solleva eccezione.