

# LimiteInf-Sorting

Thursday, 7 March 2019

10:31

LIMITE INFERIORE  
BASATO SU CONFRONTO

# possib. il so

A) Add  $\geq n!$  people

B) Add binario

LIMITE INFERIORE dell'  $\leq$



# ELL' ORDINAMENTO UTI

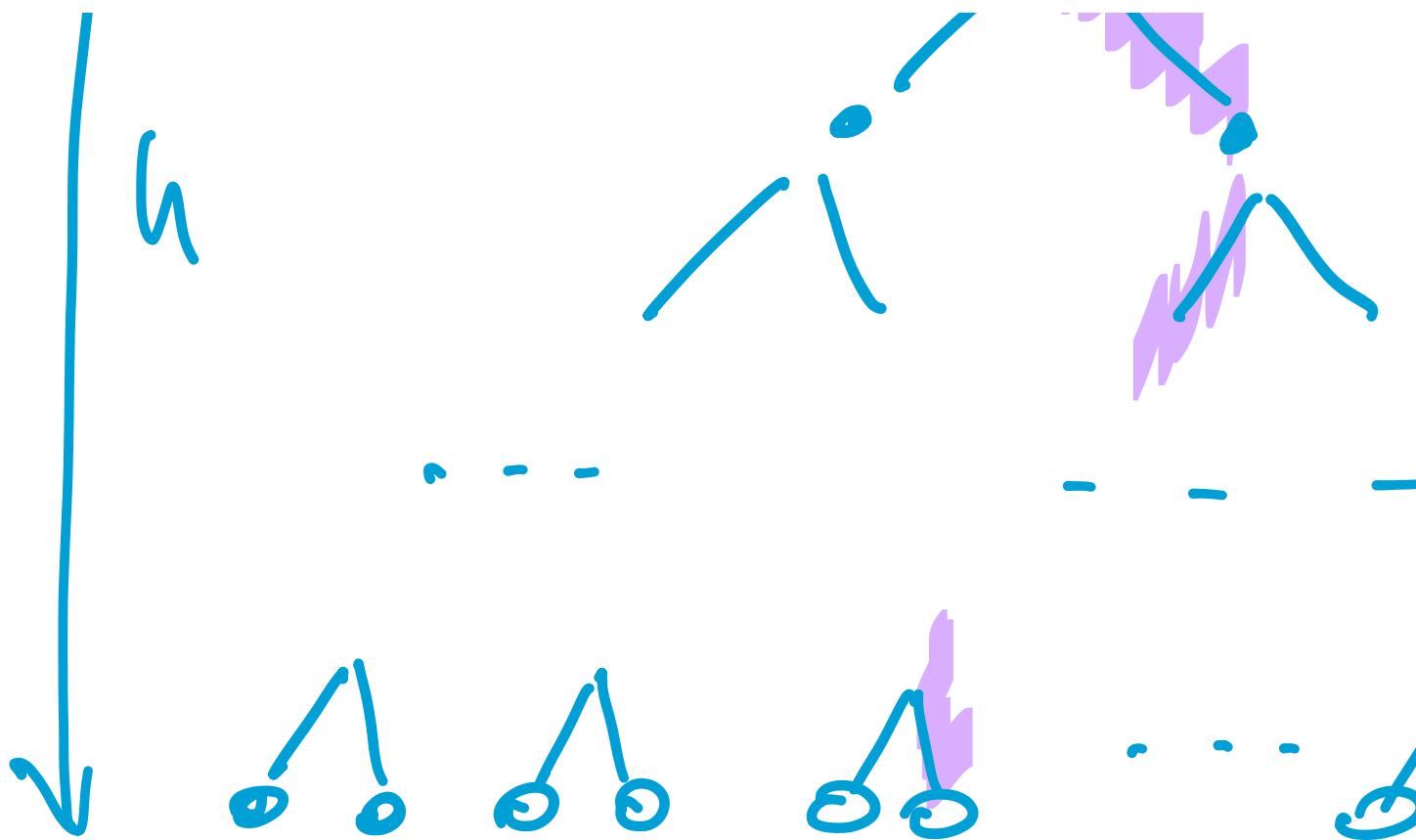
funzion:  $n!$

e



altezza di tale Add

o foglie  
- un'insieme



$$L(n) = \Omega(\log_2(n!))$$

$$\log_2(n!)$$

$$\left[ \begin{array}{l} h \geq \log_2(n!) \\ 2^h \geq n! \end{array} \right]$$

.....

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$$\triangle \dots \triangle \geq n!$$

$(n!)$

$$S(n) = n!$$

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$$\frac{e^2 (n!)}{n!} \uparrow$$

!

... 1



$$n! = \underbrace{n(n-1)(n-2) \dots \left(\frac{n}{2}\right)}_{\geq \frac{n}{2}}$$

$$> \left(\frac{n}{2}\right)^{n/2} \cdot 1^{n/2} = \left(\frac{n}{2}\right)^{n/2}$$

$$\Rightarrow n! > \left(\frac{n}{2}\right)^{n/2}$$

$$\stackrel{*}{\Rightarrow} n \geq \log_2 n! > \frac{n}{2}$$

MERGE SORT È O...

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...

$$\underbrace{\left(\frac{n}{2}-1\right) \cdots 2 \cdot 1}_{\geq 1}$$

$n/2$

$$\log_2 \left(\frac{n}{2}\right)^{n/2} = \frac{n}{2} \log_2 \frac{n}{2}$$

$$\in \Omega(n \log n)$$

также!

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и, и

$$L_{\pi}(n) \in \Omega(\log S(n))$$

$S(n)$  # possib. l

RICERCA IN ARRAY DI  $n$  E

$$S(n) = n + 1$$

$$L_{\pi}(n) \in \Omega(\log n)$$

$\mu)$

' soluzione'

ΕΛΕΓΧΟΝΤΙ

$$+1) = \mathcal{R}(\log \mu)$$